

Unravelling the 3D effects of the bar and spirals in the Milky Way

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Work done with A. Siebert, G. Monari & C. Faure

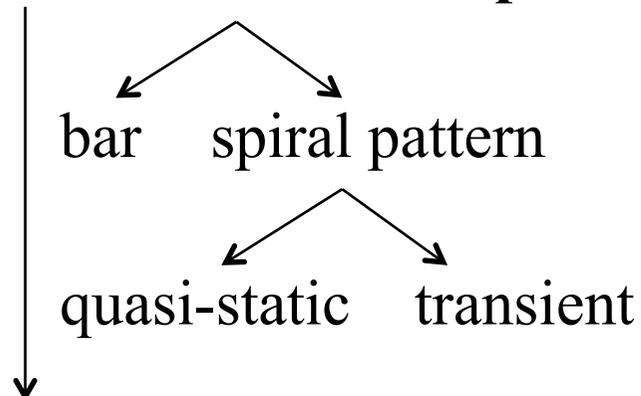
0th order models: axisymmetry & equilibrium

Pair (f_0, Φ_0) collisionless Boltzmann + Poisson

$$[f_0, H_0] = 0 \quad ; \quad \nabla^2 \Phi_0 = 4\pi G \int d^3\mathbf{v} f_0$$



1st order with **ONE** main perturber



Combine multiple perturbers

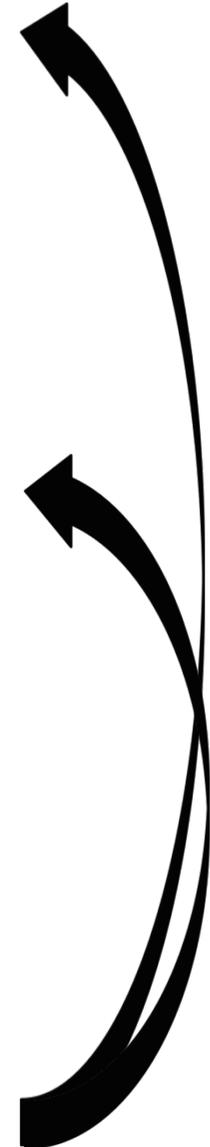
Learn about the nature of the non-axisymmetries

How much can be explained by them alone?

Influence on secular evolution?

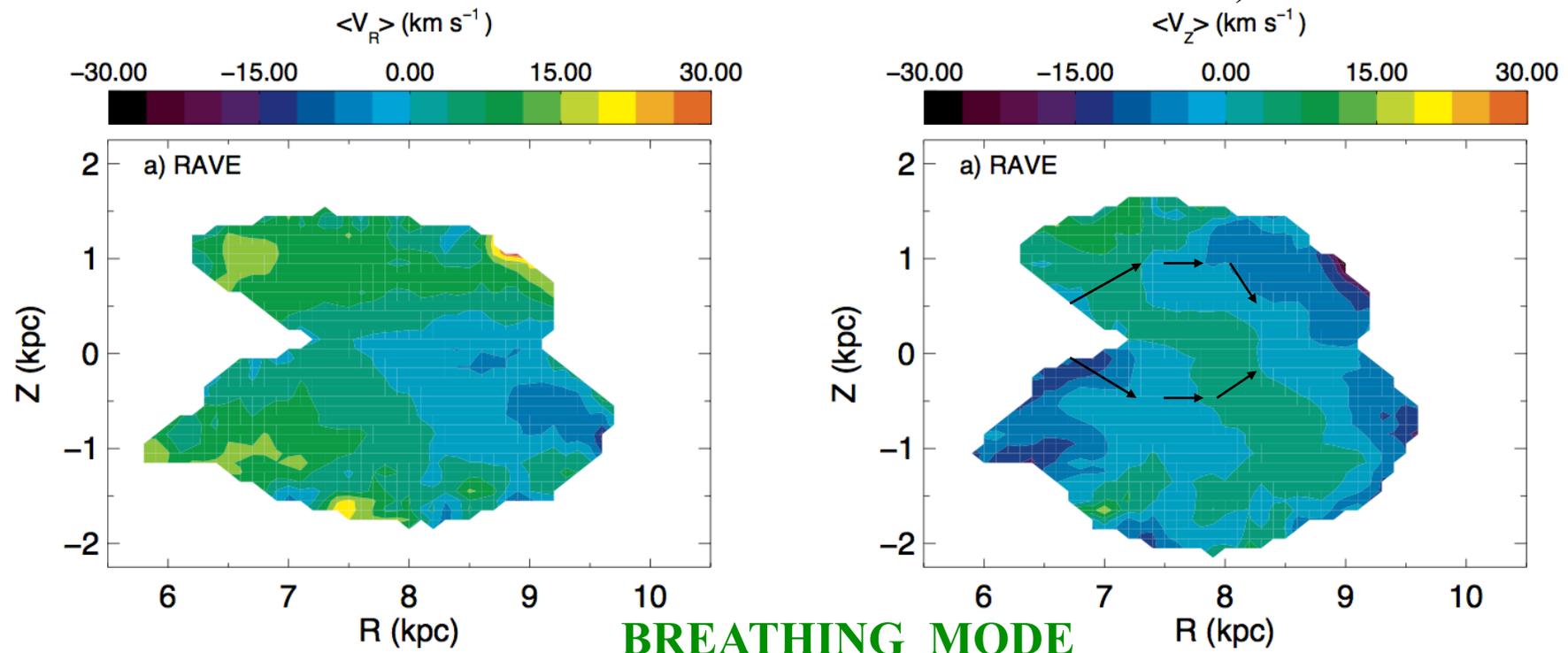
Existing non-axisymmetries can bias the axisym. fit !

(test robustness of approximation at each step)



Signatures of non-axisymmetry in recent spectroscopic surveys

- RAVE (Siebert, Famaey, et al., 2011, 2012): gradient in the mean radial velocity of 4 km/s/kpc in extended solar neighbourhood ($\sim 200\,000$ stars)
- Affects stars substantially above (and below) the plane
- And mean vertical motions are non-zero too (Williams et al. 2013: RAVE, see also Widrow et al. 2012: SEGUE and Carlin et al. 2013: LAMOST)



Linearized Jeans equations for cold stellar fluid in 3D

Assume only one main non-axisymmetric perturber, long-lived enough (~ 1 Gyr) so that the stationary response is meaningful (Faure, Siebert & Famaey 2014)

Tightly-wound spiral:

$$\Phi_s = \text{Re}\{\Phi_a(R, z) \exp[i m(\Omega_P t - \theta)]\}$$

with

$$\Phi_a = -A \text{sech}^2\left(\frac{z}{z_0}\right) \exp\left(i \frac{m \ln(R)}{\tan p}\right).$$

Parameter	Spiral potential
m	2
A (km ² s ⁻²)	1000
p (deg)	-9.9
z_0 (kpc)	0.1
Ω_P (kms ⁻¹ kpc ⁻¹)	18.6
R_{ILR} (kpc)	1.94
R_{IUHR} (kpc)	7.92
R_{CR} (kpc)	11.97

Linearized Jeans equations (zero dispersion):

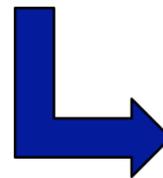
$$\frac{\partial v_{R1}}{\partial t} + \frac{v_{\theta 0}}{R} \frac{\partial v_{R1}}{\partial \theta} - \frac{2v_{\theta 0}v_{\theta 1}}{R} = -\frac{\partial \Phi_1}{\partial R}$$

$$\frac{\partial v_{\theta 1}}{\partial t} + v_{R1} \frac{\partial v_{\theta 0}}{\partial R} + \frac{v_{\theta 0}}{R} \frac{\partial v_{\theta 1}}{\partial \theta} + v_{z1} \frac{\partial v_{\theta 0}}{\partial z} + \frac{v_{R1}v_{\theta 0}}{R} = -\frac{1}{R} \frac{\partial \Phi_1}{\partial \theta}$$

$$\frac{\partial v_{z1}}{\partial t} + \frac{v_{\theta 0}}{R} \frac{\partial v_{z1}}{\partial \theta} = -\frac{\partial \Phi_1}{\partial z}$$

Solution is sum of terms of the form:

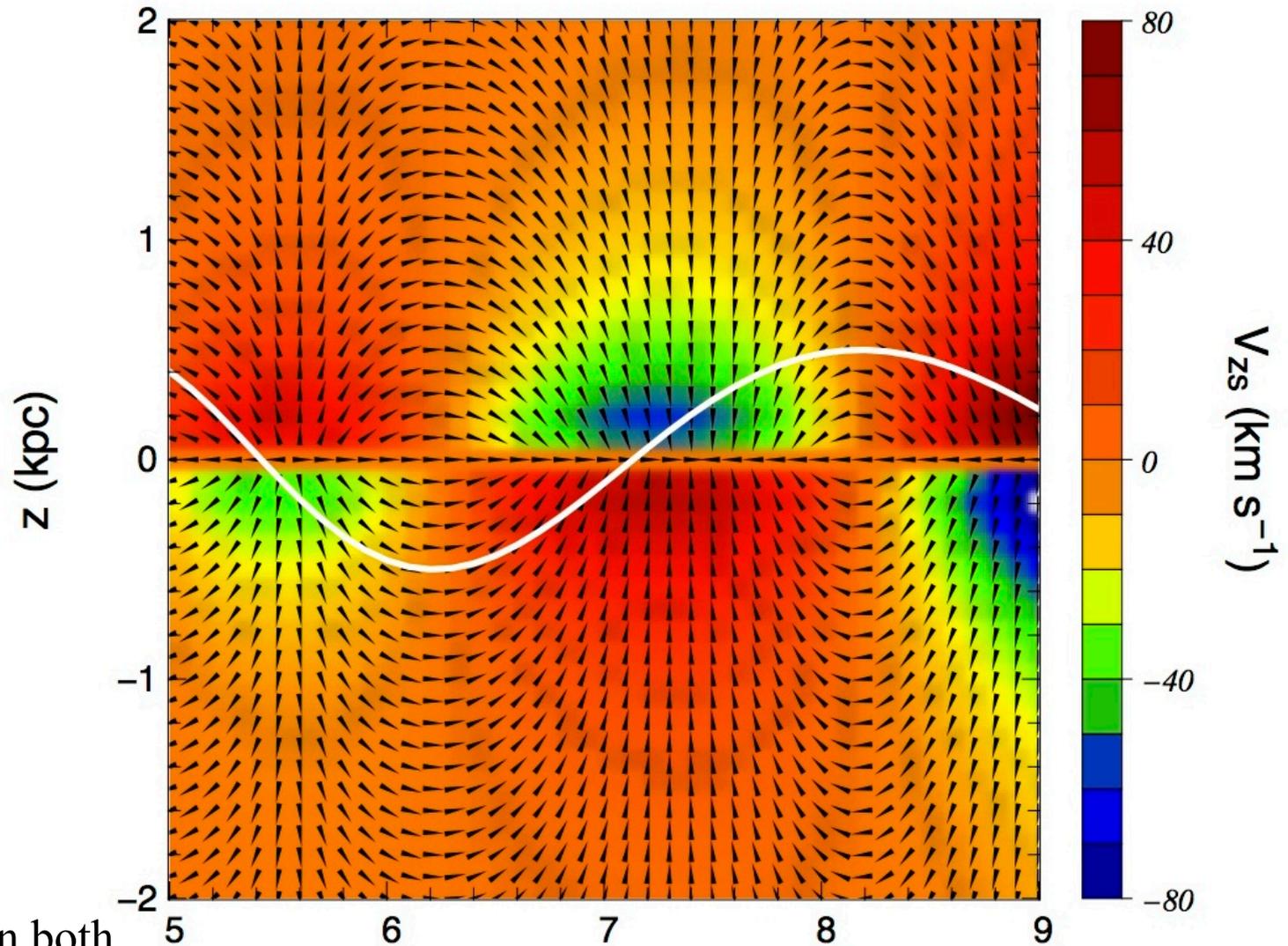
$$v_{R1} = \text{Re}\{v_{Ra}(R, z) \exp[i m(\Omega_P t - \theta)]\}$$



$$v_{Ra} = -\frac{m(\Omega - \Omega_P)}{\Delta} k \Phi_a$$

$$v_{za} = -\frac{2i}{m(\Omega - \Omega_P)z_0} \tanh\left(\frac{z}{z_0}\right) \Phi_a$$

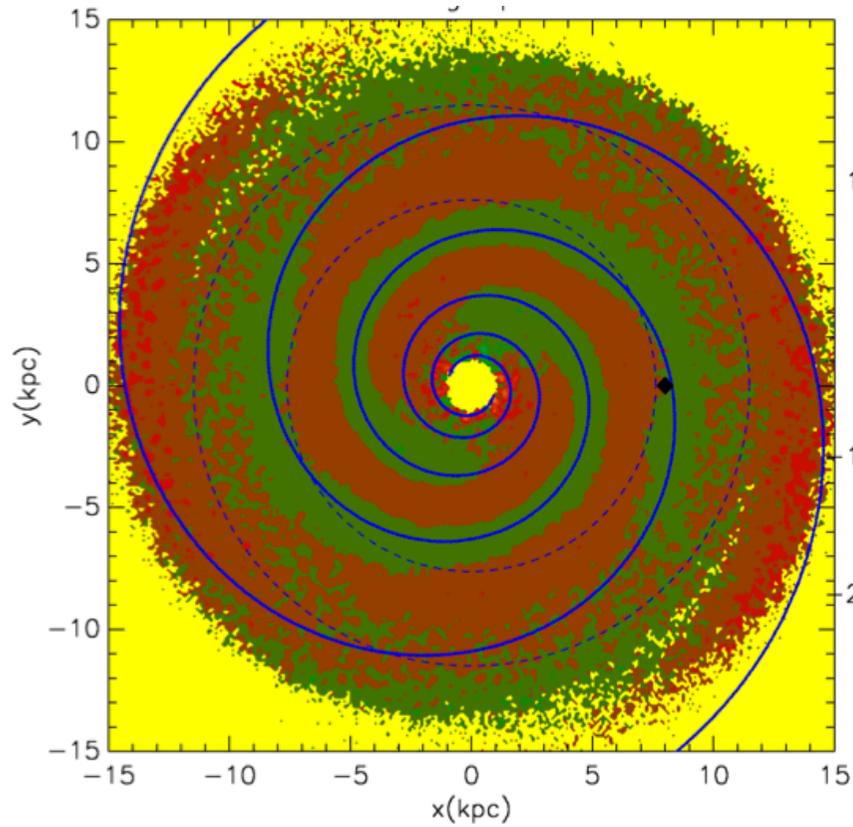
Faure, Siebert & Famaey (2014 MNRAS 440 2564)



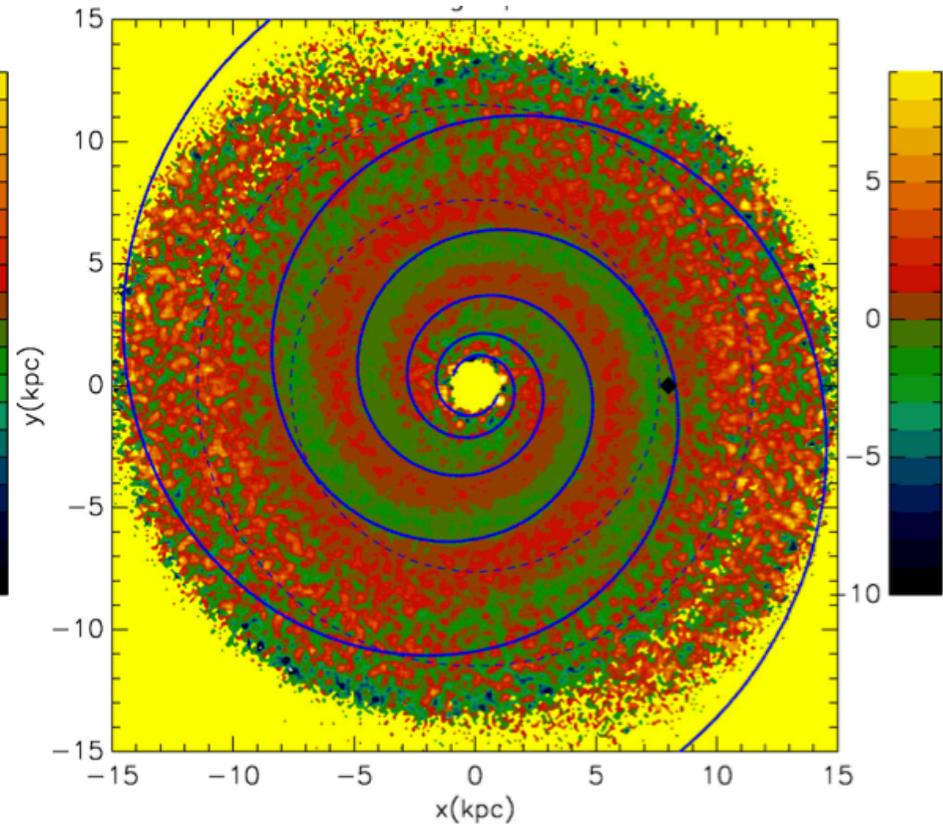
Effect confirmed in both test-particle and N-body sims (Debattista 2014)

R (kpc) $\theta = 30^\circ$ and $t = 0$

Effect of spirals on mean motions

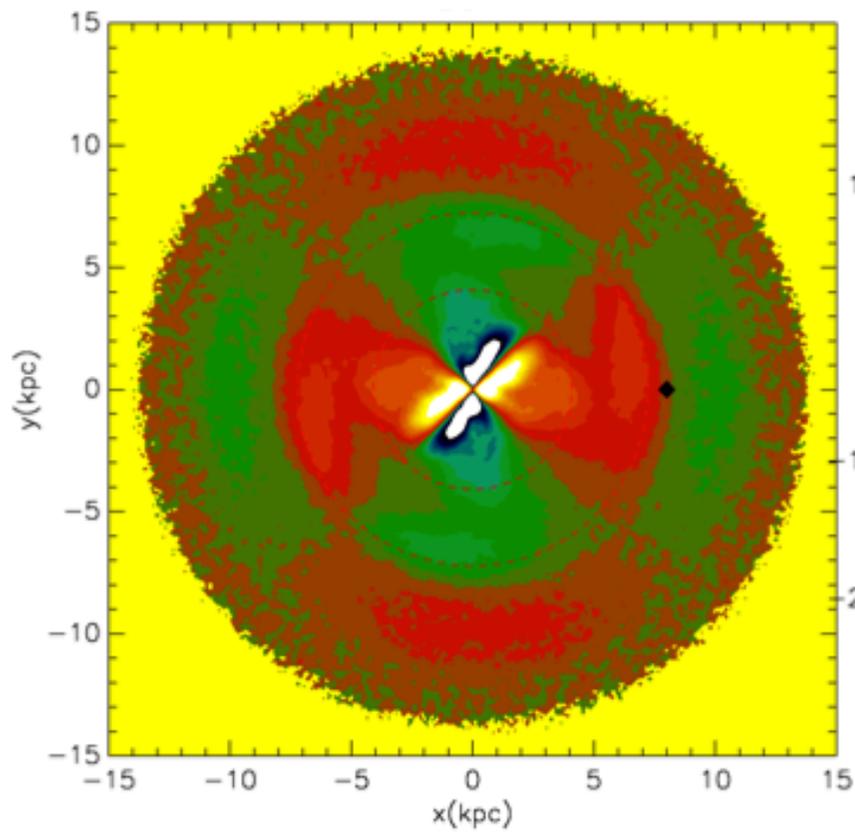


$\langle VR \rangle$

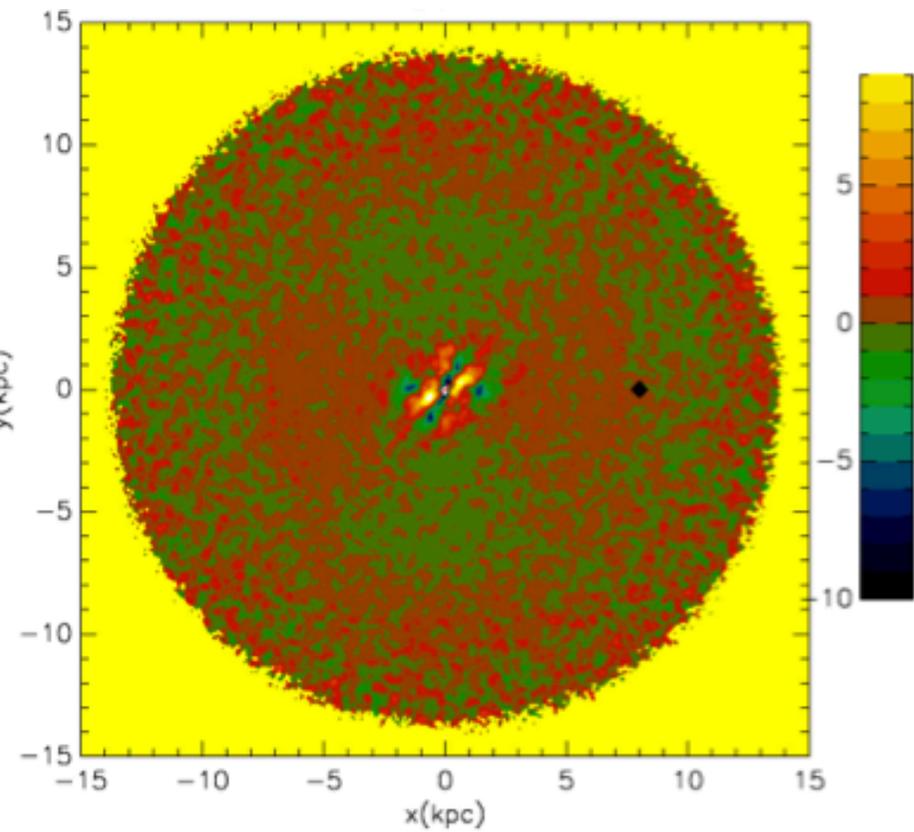


$\langle VZ \rangle_{z>0} - \langle VZ \rangle_{z<0}$

Effect of bar on mean motions



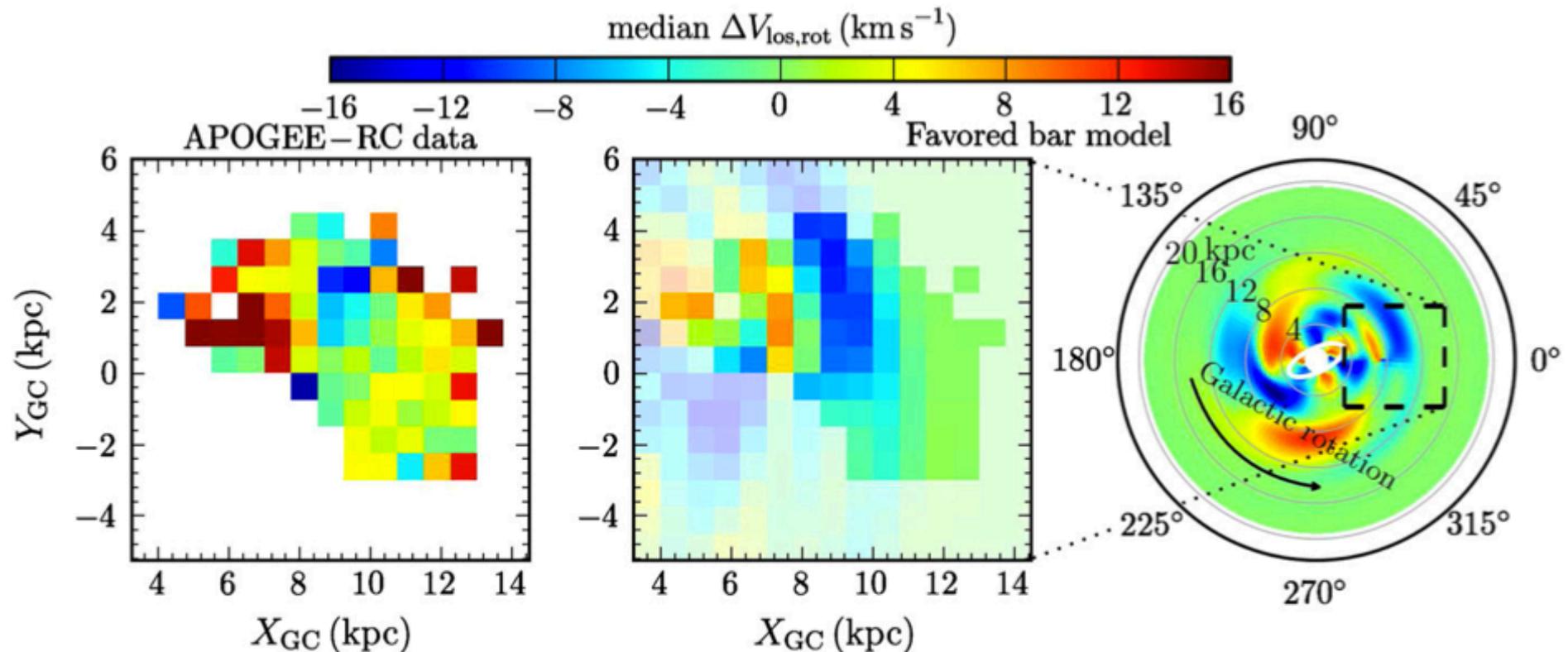
$\langle V_R \rangle$



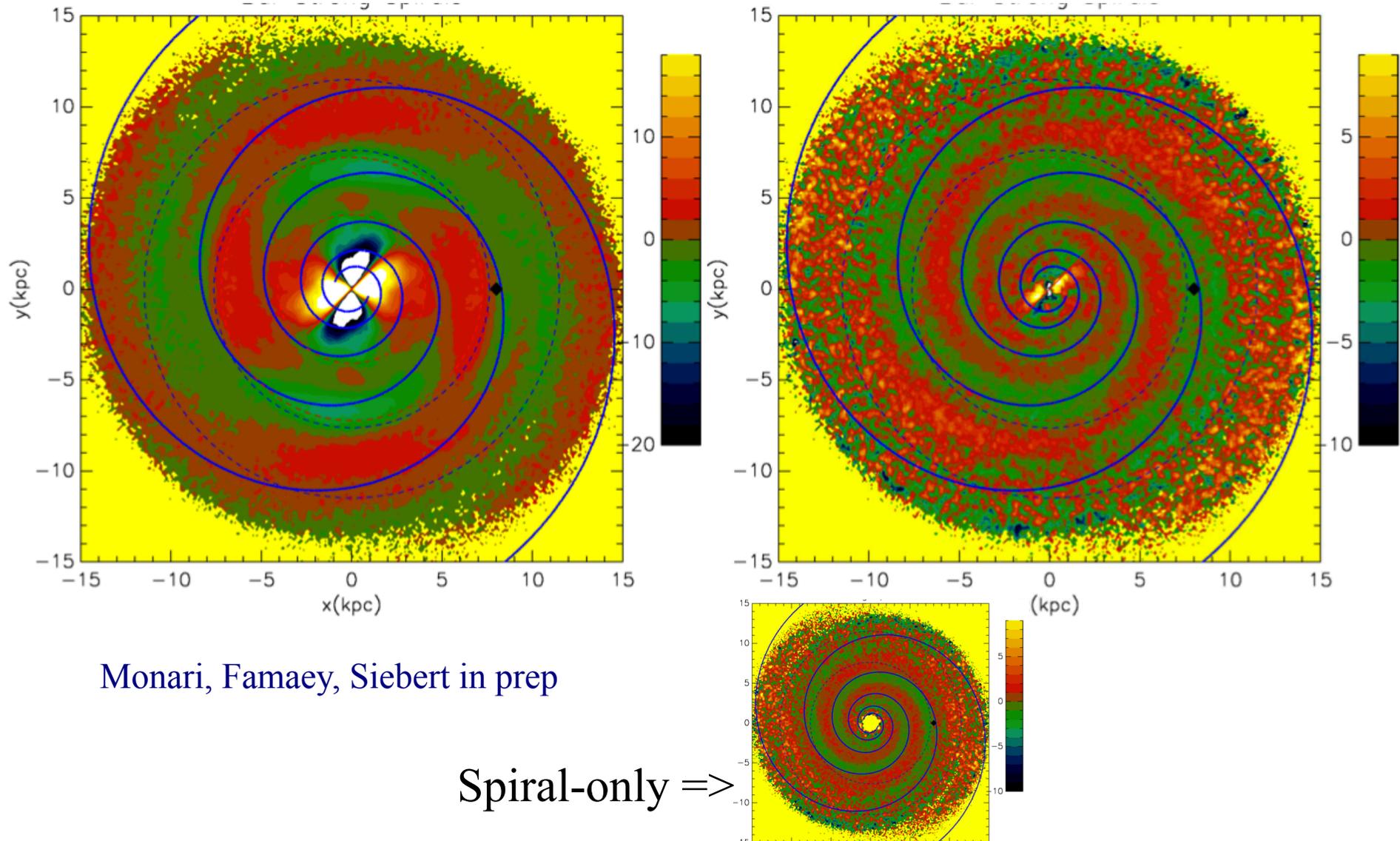
$\langle V_Z \rangle_{z>0} - \langle V_Z \rangle_{z<0}$

Signatures of non-axisymmetry in recent spectroscopic surveys

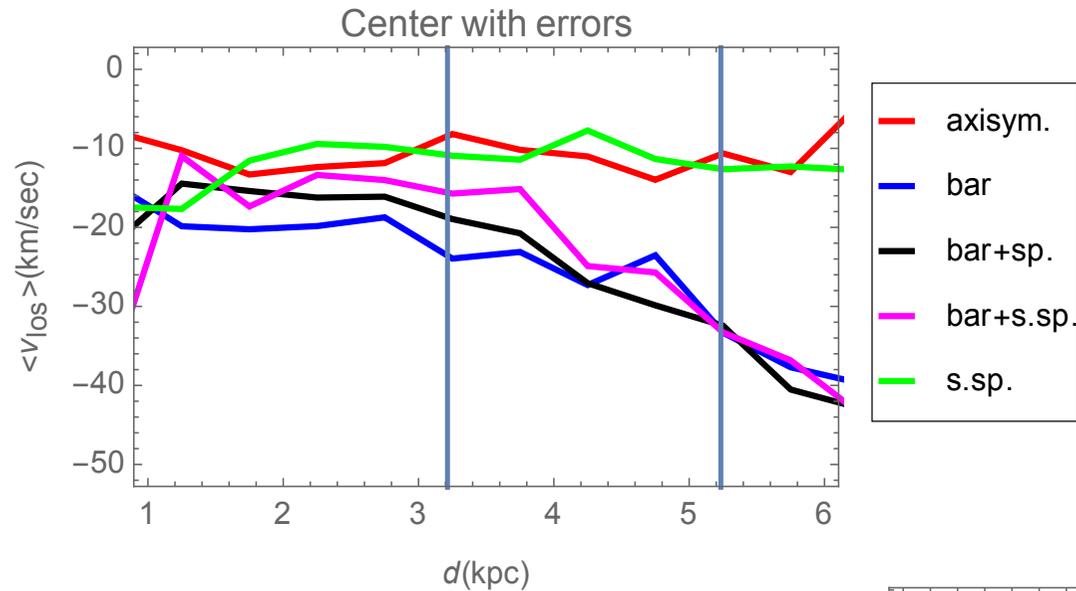
APOGEE (Bovy et al. 2015) finds (for ~ 8000 RC stars within 250 pc from plane) large-scale line-of-sight velocity fluctuations in the disk (associated with the bar)



Work in progress: bar+spiral



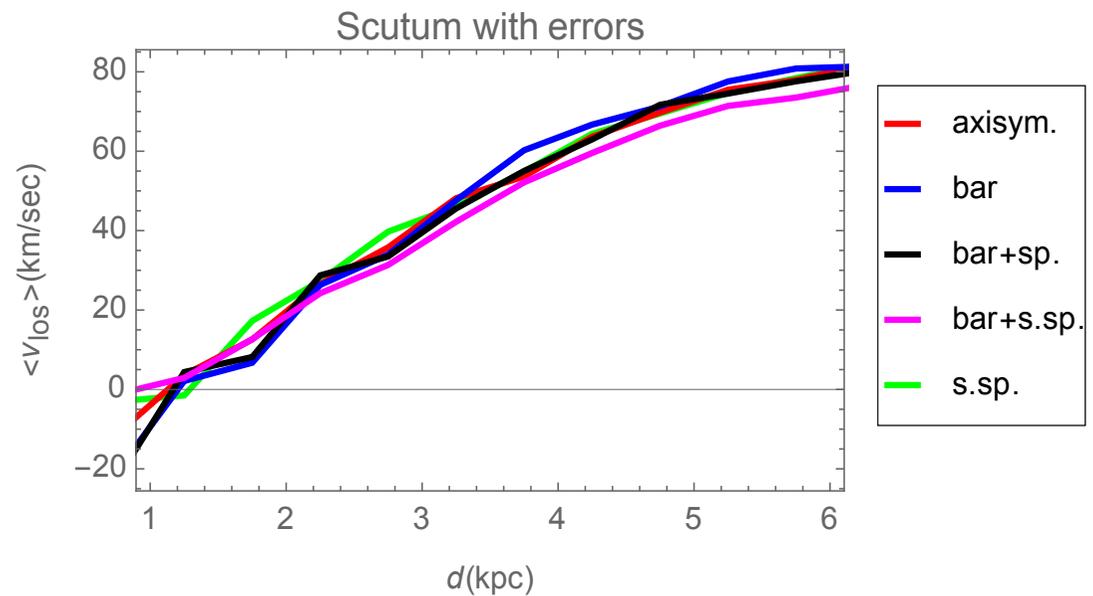
Examples of kinematic signatures



20% error on distances

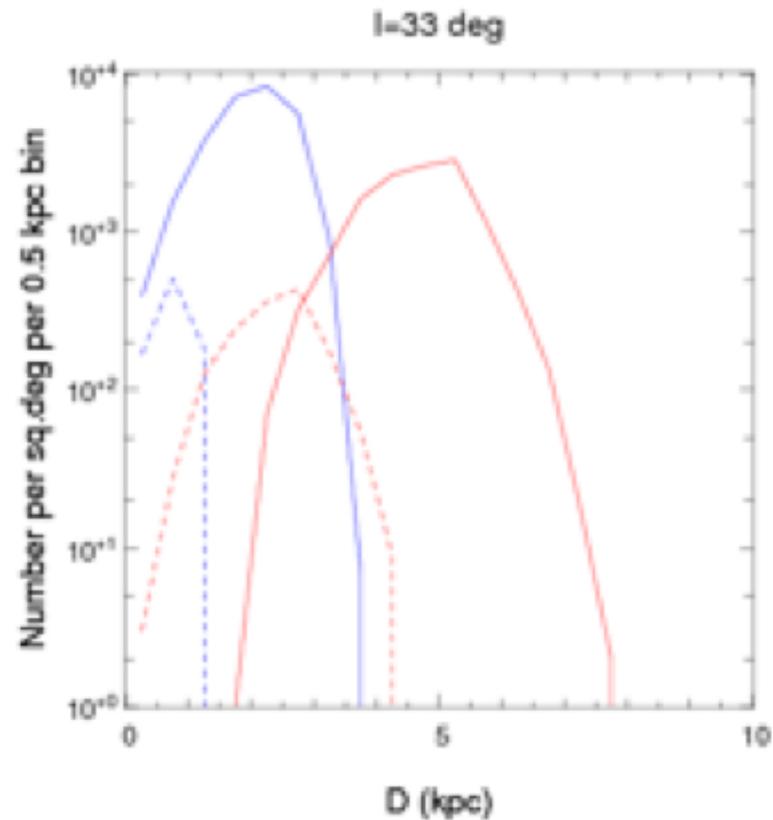
$l=30^\circ$

$l=0^\circ$



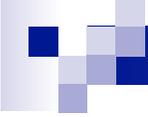
WEAVE LR strategy

A lot (100) l.o.s for total of several 10^6 stars



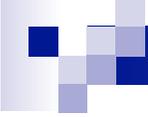
$17 < V < 20$
Blue: GKM dwarfs
Red: Giants

Gaia DR2 + gal plane phot surveys (e.g. IPHAS)



Conclusions

- Clear signatures of non-axisymmetries in recent spectroscopic surveys
- RAVE radial velocity gradient can be explained by either bar or spiral... but spiral needs to be quite strong
- **Strong variations of vertical motions cannot be induced by bar, but breathing mode qualitatively ok for spiral**
- APOGEE confirms main effect of **bar** on large scales
- Work in progress: **bar+spiral can enhance effect on vertical motions**
- Soon (work in progress): also compare **different spiral arms** simulations (with D. Kawata)
- **Velocities along \neq lines of sight at large distances (WEAVE) can bring a lot of information even without very precise distances**
- Clear that one can **BIAS** axisymmetric fit if one neglects effects of non-axisymmetries... => NO A PRIORI & GET QUANTITATIVE!



Conclusions & perspectives II

- Try to **include the effects into MW modelling**... Include effects of spirals and bar in DF (by e.g. perturbation theory)
- Test axisym. assumption on non-axisym. simus to test robustness
- Effect on estimating MW parameters such as **local circular velocity** or **local DM density**...
- Ideally, ultimately fit all effects **simultaneously** without too many priors on axisymmetric background
- BUT ALSO disentangle from additional effects due to **non-equilibrium dynamics** from satellites (bending modes) => history of accretion, possibility of dark matter subhalos interacting with disk etc.