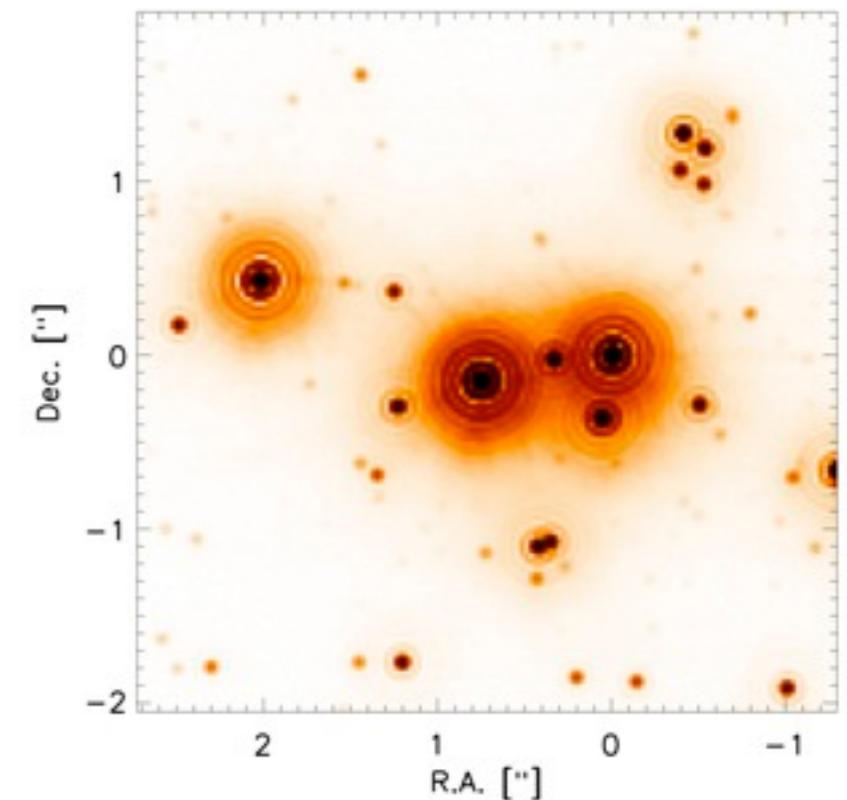
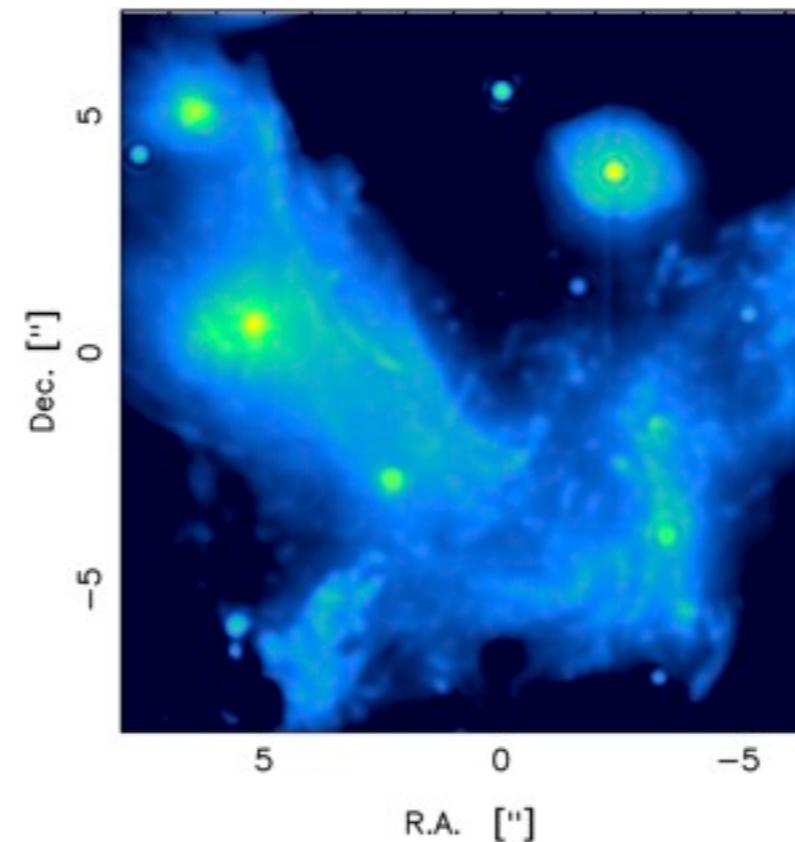
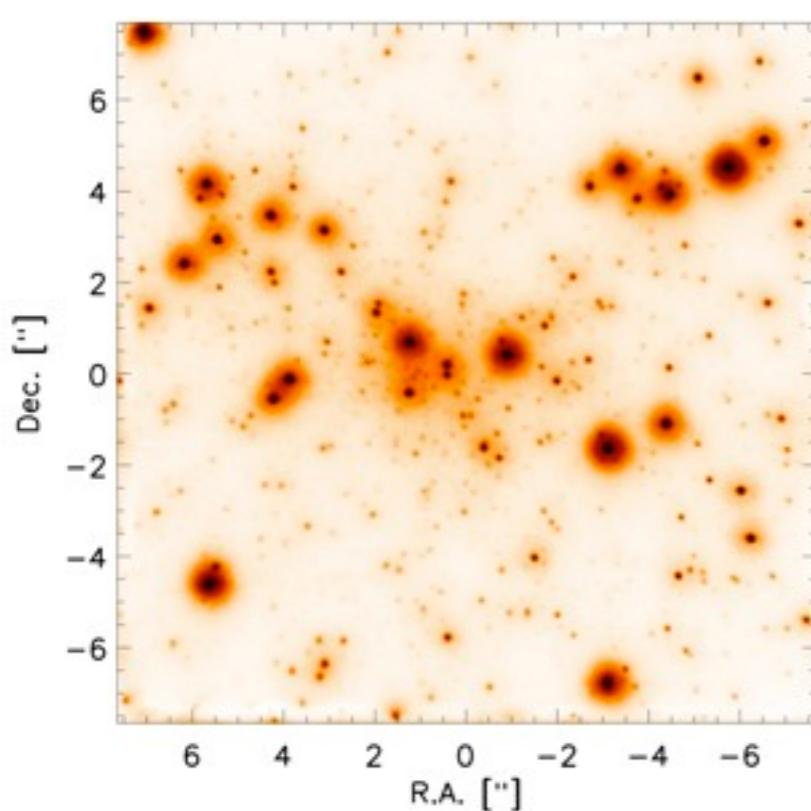


Imaging large fields at high resolution: cheat's MCAO for the CAHA and ORM



Rainer Schödel (IAA-CSIC)
Madrid, 22 March 2012

Schödel, Yelda, Ghez, Girard, Labadie, Rebolo, Pérez-Garrido, Morris, 2012,
arXiv:1110.2261

Basic concepts

The perfect image form the ground...
an old dream of astronomers.

The diffraction limit and atmospheric turbulence

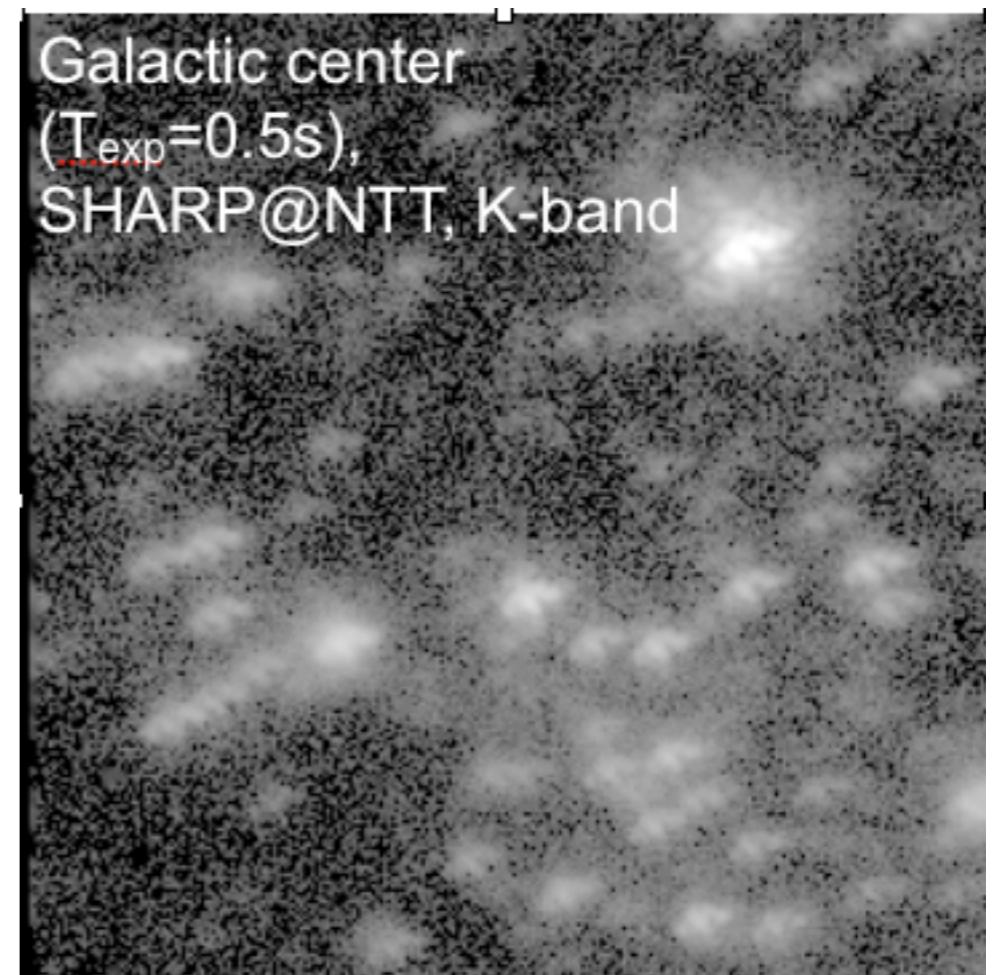
Fried parameter:

$$r_0 = \left[0.423 \left(\frac{2\pi}{\lambda} \right)^2 (\cos \gamma)^{-1} \int_0^{\infty} C_n^2(h) dh \right]^{-3/5}$$
$$r_0 \propto \lambda^{6/5}$$

$$r_0 (0.5\mu\text{m}) \approx 10 \text{ cm}$$

$$r_0 (2.2\mu\text{m}) \approx 60 \text{ cm}$$

$$r_0 (10\mu\text{m}) \approx 360 \text{ cm}$$

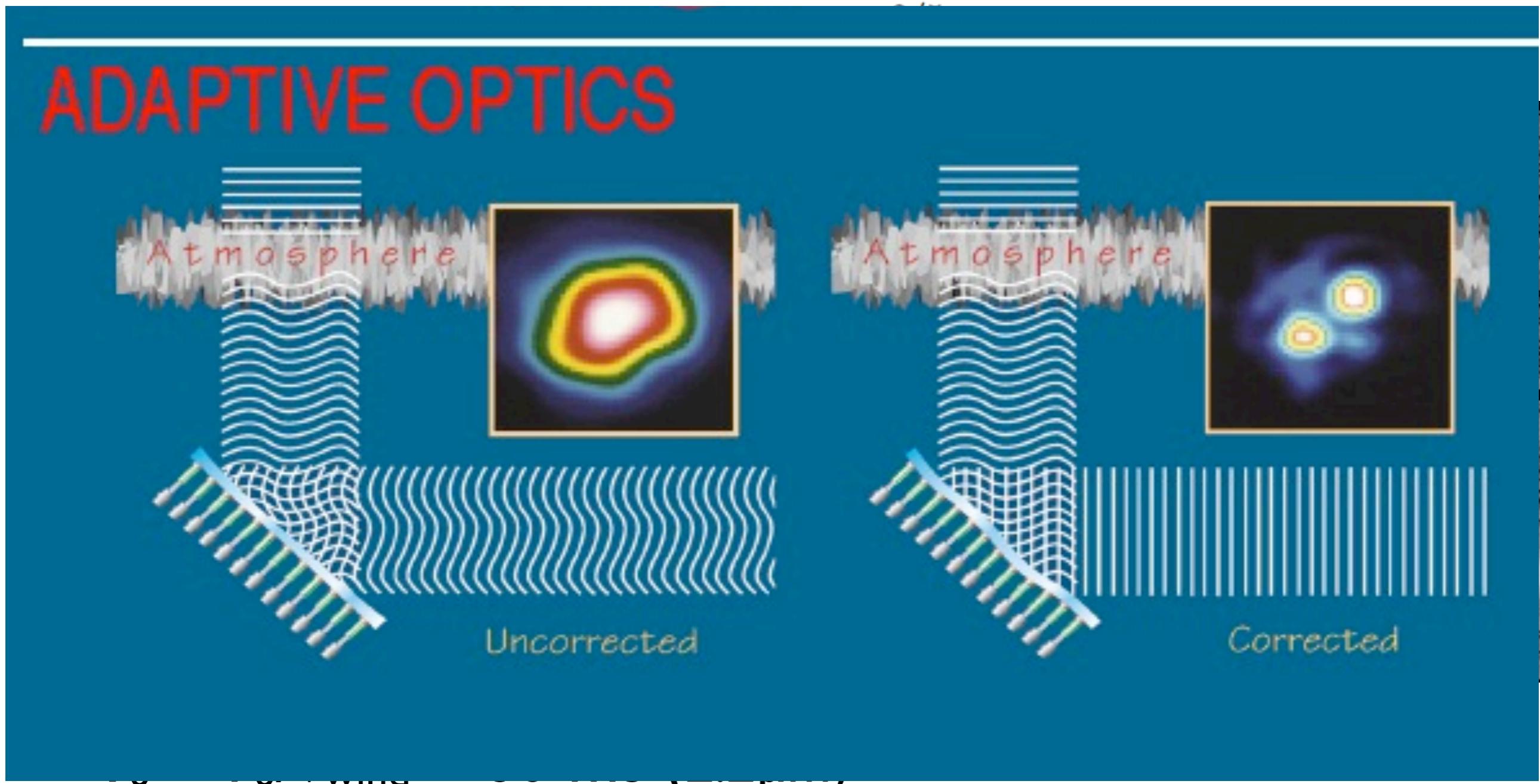


Coherence time:

$$\tau_0 = r_0/v_{\text{wind}} \approx 60 \text{ ms (2.2}\mu\text{m)}$$

The diffraction limit and atmospheric turbulence

Fried parameter:



The diffraction limit and atmospheric turbulence

Fried parameter:

ADAPTIVE OPTICS

But: It's (very) expensive and (very) complex.

Is there a smarter, leaner way, attractive for small telescopes?



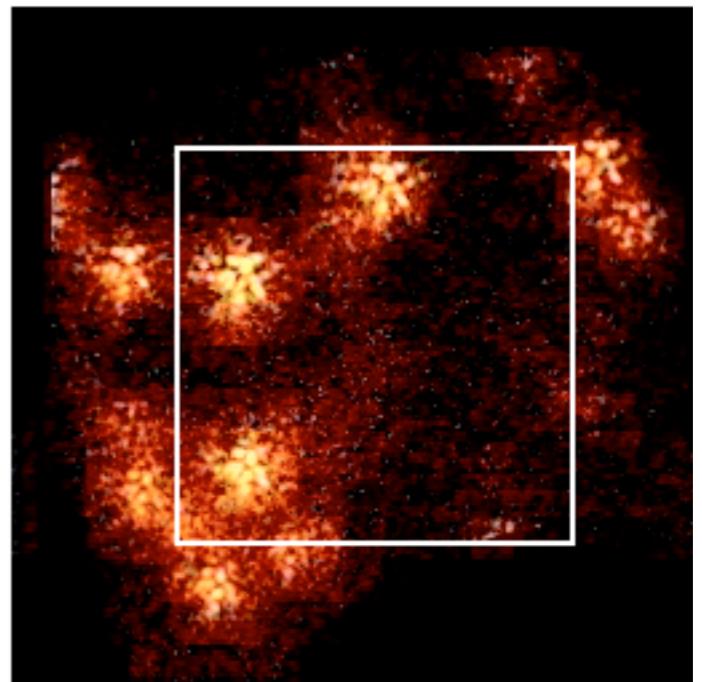
Speckle imaging

- 1) take short exposures with $t_{\text{exp}} \sim T_0$
- 2) reconstruct images off-line

Simple Shift-and-Add (SSA) algorithm:

1. choose a reference star and reference pixel
2. shift each image in stack so that brightest speckle of reference star comes to rest on reference pixel
3. average stack

(see, e.g., Christou, 1991; Eckart & Genzel 1996; Ghez et al., 1998)



Selection of best frames (*lucky imaging*)

⇒ Strehl ratios 10%-30%

(4-10m telescopes, Ks-band, e.g. Schoedel et al., 2003;
Ghez et al. 2005)

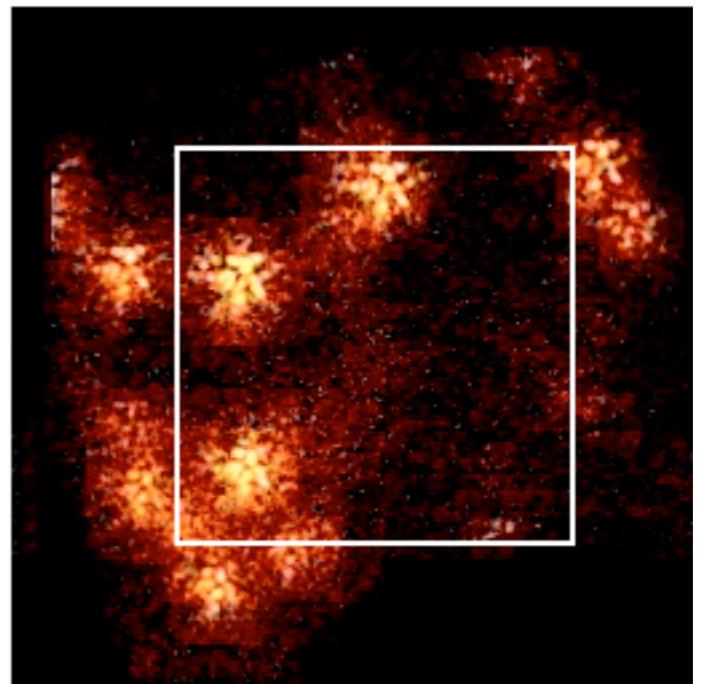
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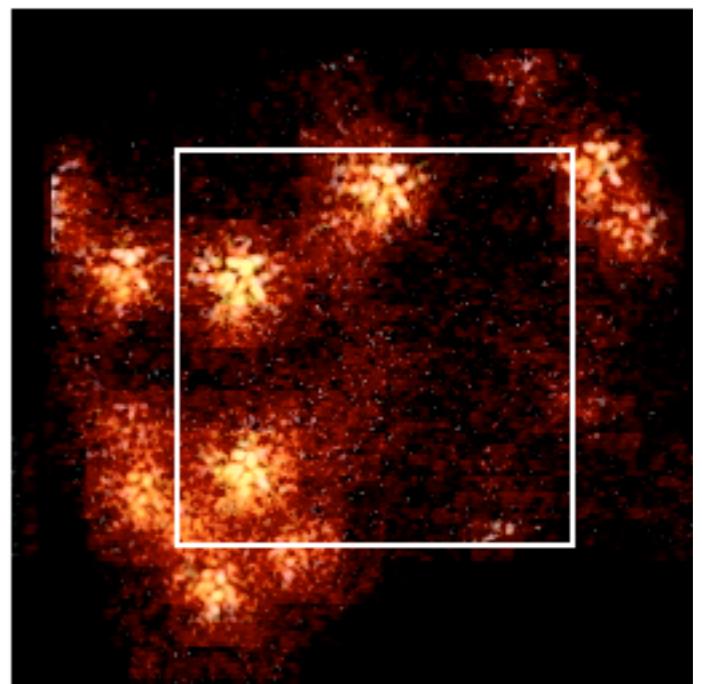
Speckle imaging

- 1) take short exposures with $t_{\text{exp}} \sim T_0$
- 2) reconstruct images off-line

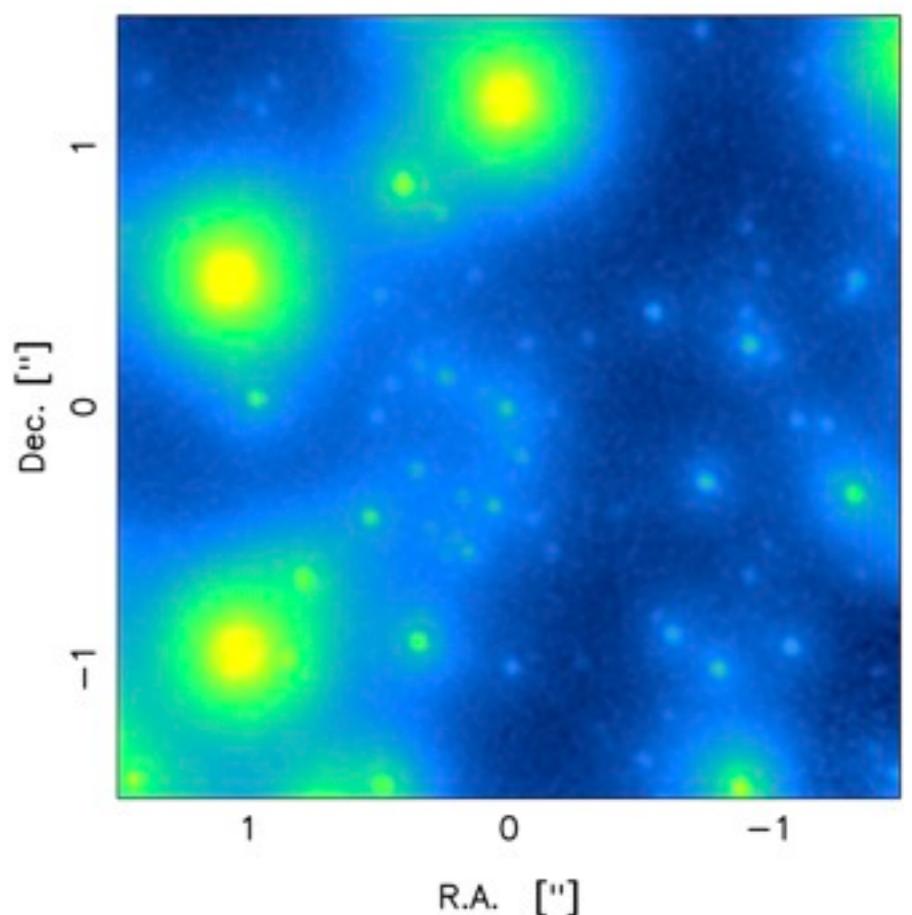
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(see, e.g., Christou, 1991; Eckart & Genzel 1996; Ghez et al., 1998)



SSA reconstruction



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Ghez et al. 2005)

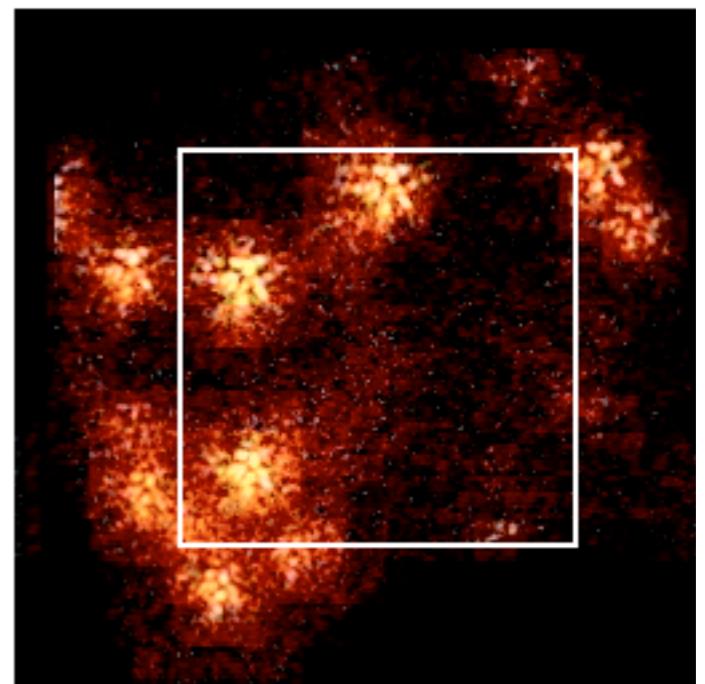
Speckle imaging

- 1) take short exposures with $t_{\text{exp}} \sim T_0$
- 2) reconstruct images off-line

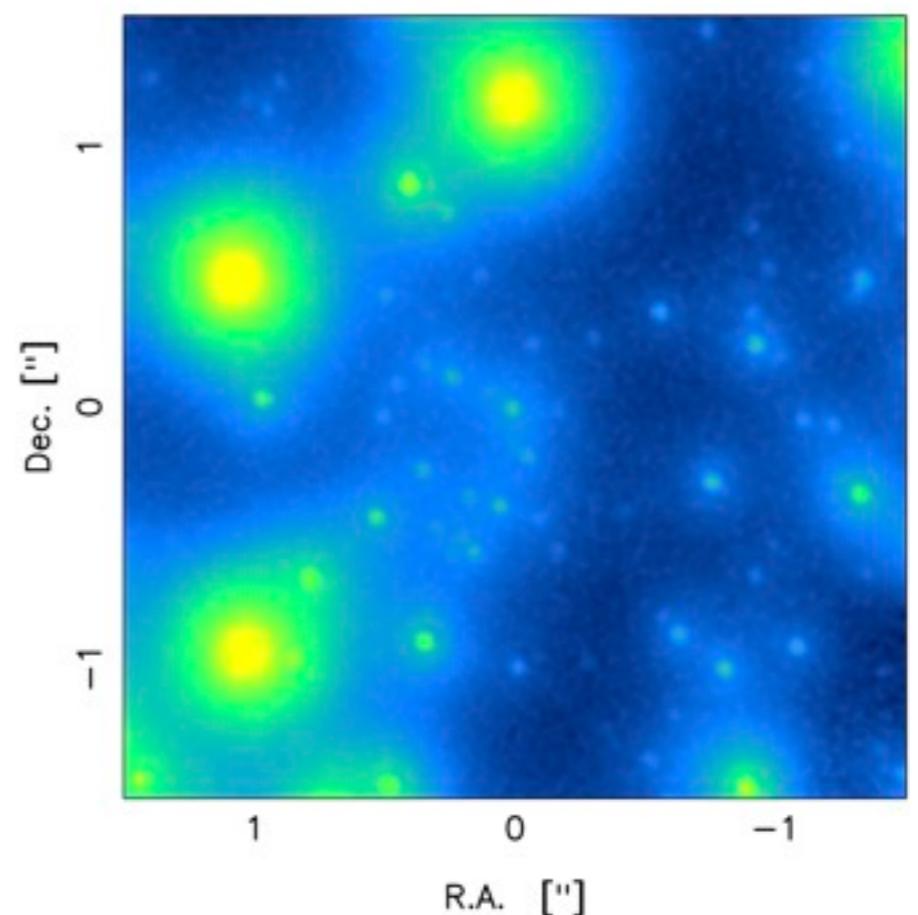
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(see, e.g., Christou, 1991; Eckart & Genzel 1996; Ghez et al., 1998)



SSA reconstruction



Selection of best frames (*lucky imaging*)
⇒ Strehl ratios 10%-30%

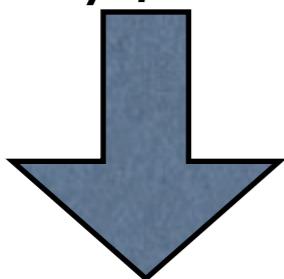
(4-10m telescopes, Ks-band, e.g. Schoedel et al., 2003;
Ghez et al. 2005)

⇒ but: *inefficient and not very sensitive*

Speckle holography

$$O(u, v) = \frac{I_m(u, v)}{P_m(u, v)}$$
$$= \frac{I_m(u, v) P_m^*(u, v)}{|P_m(u, v)|^2}$$

many frames



$$O_e(u, v) = \frac{\langle I_m P_m^* \rangle}{\langle |P_m|^2 \rangle} .$$

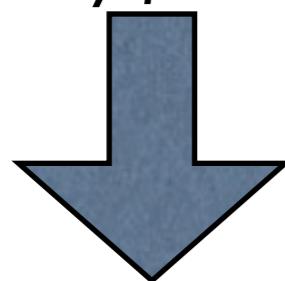
see, e.g., Primot, Rousset & Fontanella
(1990); Petr et al. (1998)

Speckle holography

$$O(u, v) = \frac{I_m(u, v)}{P_m(u, v)}$$

$$= \frac{I_m(u, v) P_m^*(u, v)}{|P_m(u, v)|^2}$$

many frames



$$O_e(u, v) = \frac{\langle I_m P_m^* \rangle}{\langle |P_m|^2 \rangle} \cdot$$

see, e.g., Primot, Rousset & Fontanella (1990); Petr et al. (1998)

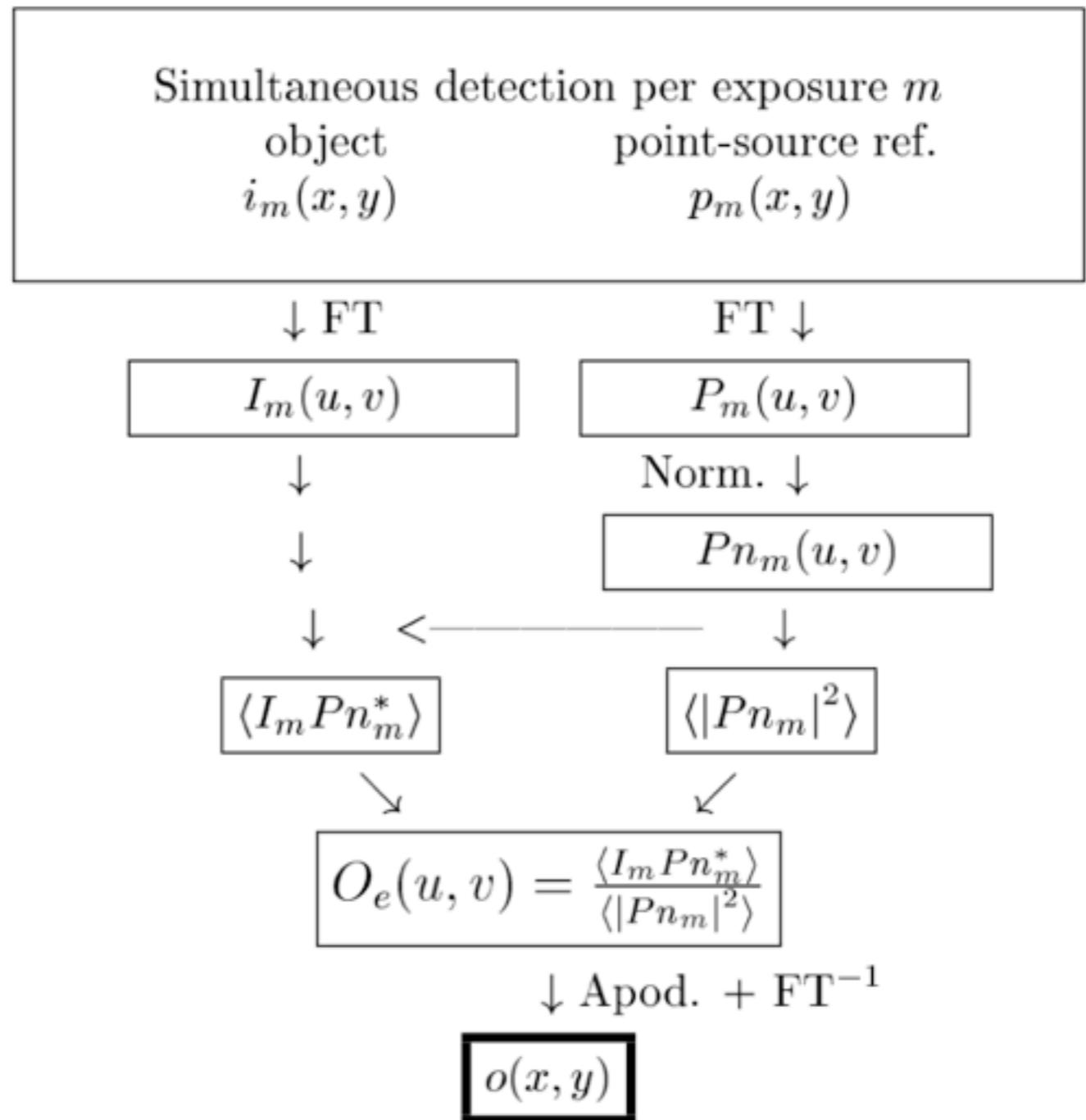


figure from Petr et al. (1998)

Speckle holography

$$O(u, v) = \frac{I_m(u, v)}{P_m(u, v)}$$

$$= \frac{I_m(u, v)P_m^*(u, v)}{\langle |P_m|^2 \rangle}$$

Simultaneous detection per exposure m
 object point-source ref.
 $i_m(x, y)$ $p_m(x, y)$

Key is accurate measurement of the instantaneous PSF.

- ⇒ Isolated, bright point source near target (rare!)
- ⇒ dense fields: iterative extraction, use of multiple guide stars

$$O_e(u, v) = \frac{\langle I_m P_m^* \rangle}{\langle |P_m|^2 \rangle} \cdot$$

$$\langle I_m P_m^* \rangle \quad \langle |P_m|^2 \rangle$$

$$O_e(u, v) = \frac{\langle I_m P_m^* \rangle}{\langle |P_m|^2 \rangle}$$

↓ Apod. + FT⁻¹

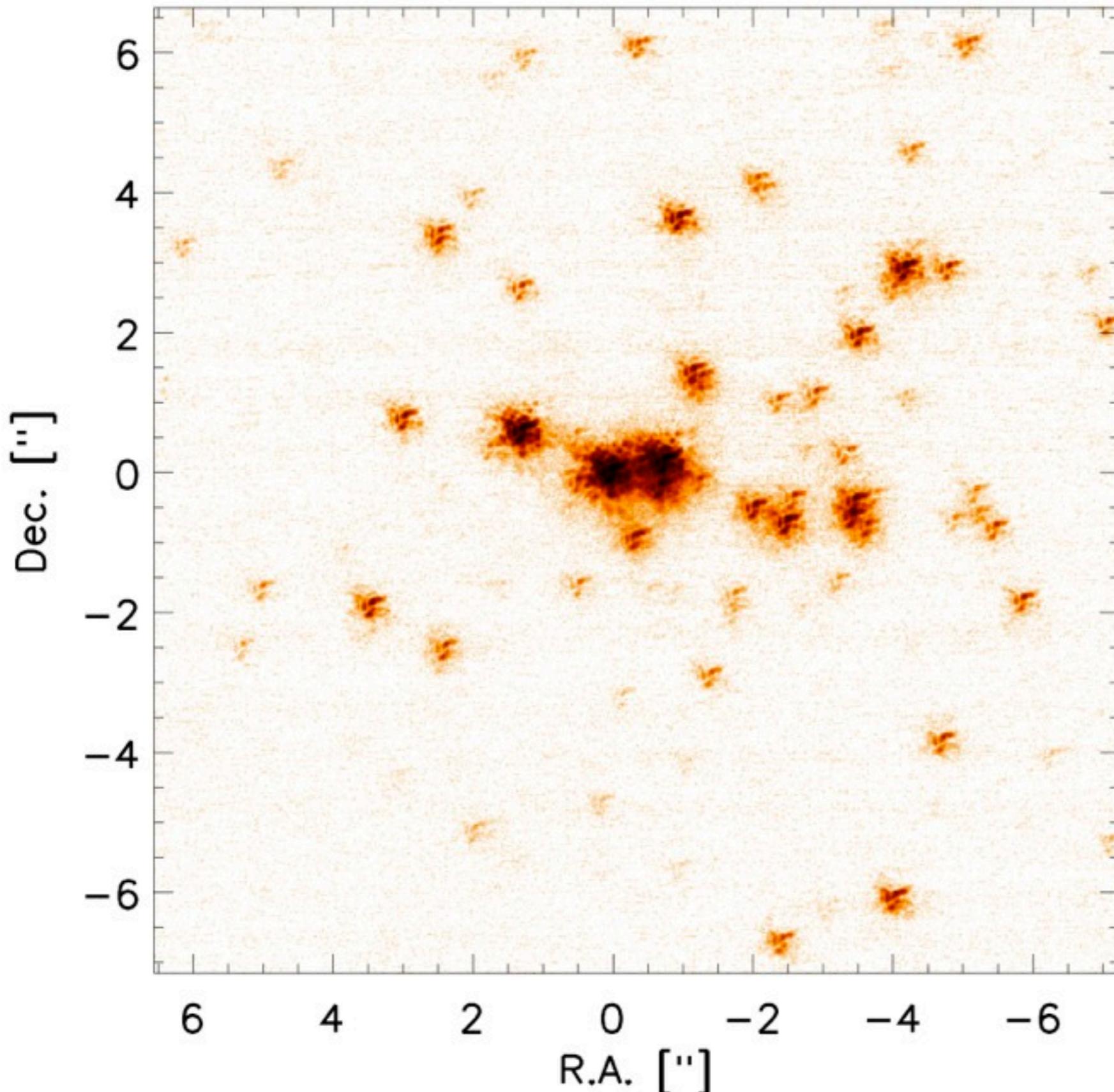
$$o(x, y)$$

see, e.g., Primot, Rousset & Fontanella
 (1990); Petr et al. (1998)

figure from Petr et al. (1998)

The Test: Speckle imaging of NGC 3603

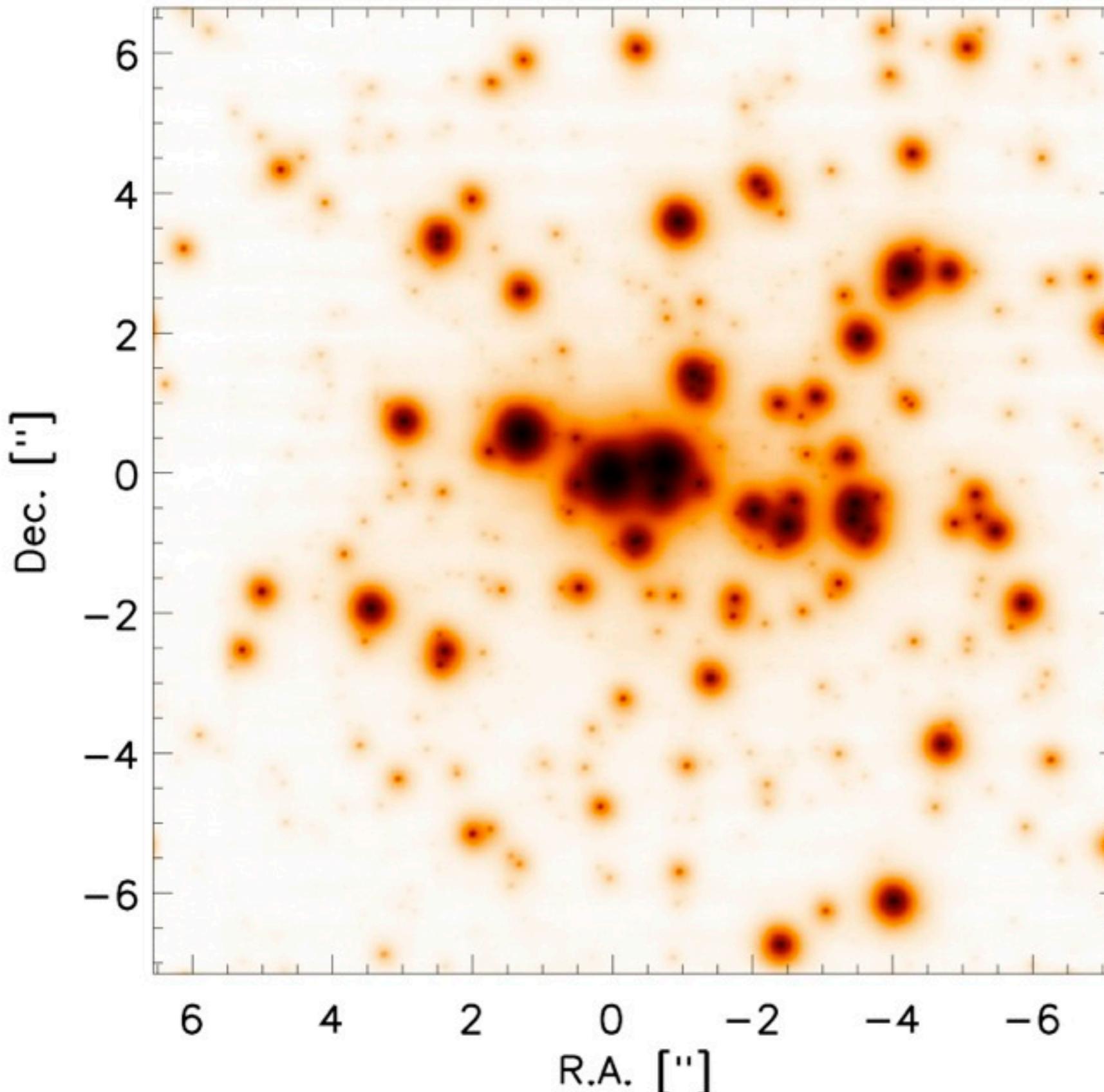
Speckle holography: NGC 3603



NGC 3603
NaCo@VLT, Ks
windowing 512x514
 $DIT = 0.1\text{ s}$
 $DIMM \sim 0.5''$
4900 frames
 $t_{int} \approx 540\text{s}$

Thanks to J. Girard, S. Rengaswamy, G. Montagnier (ESO)!

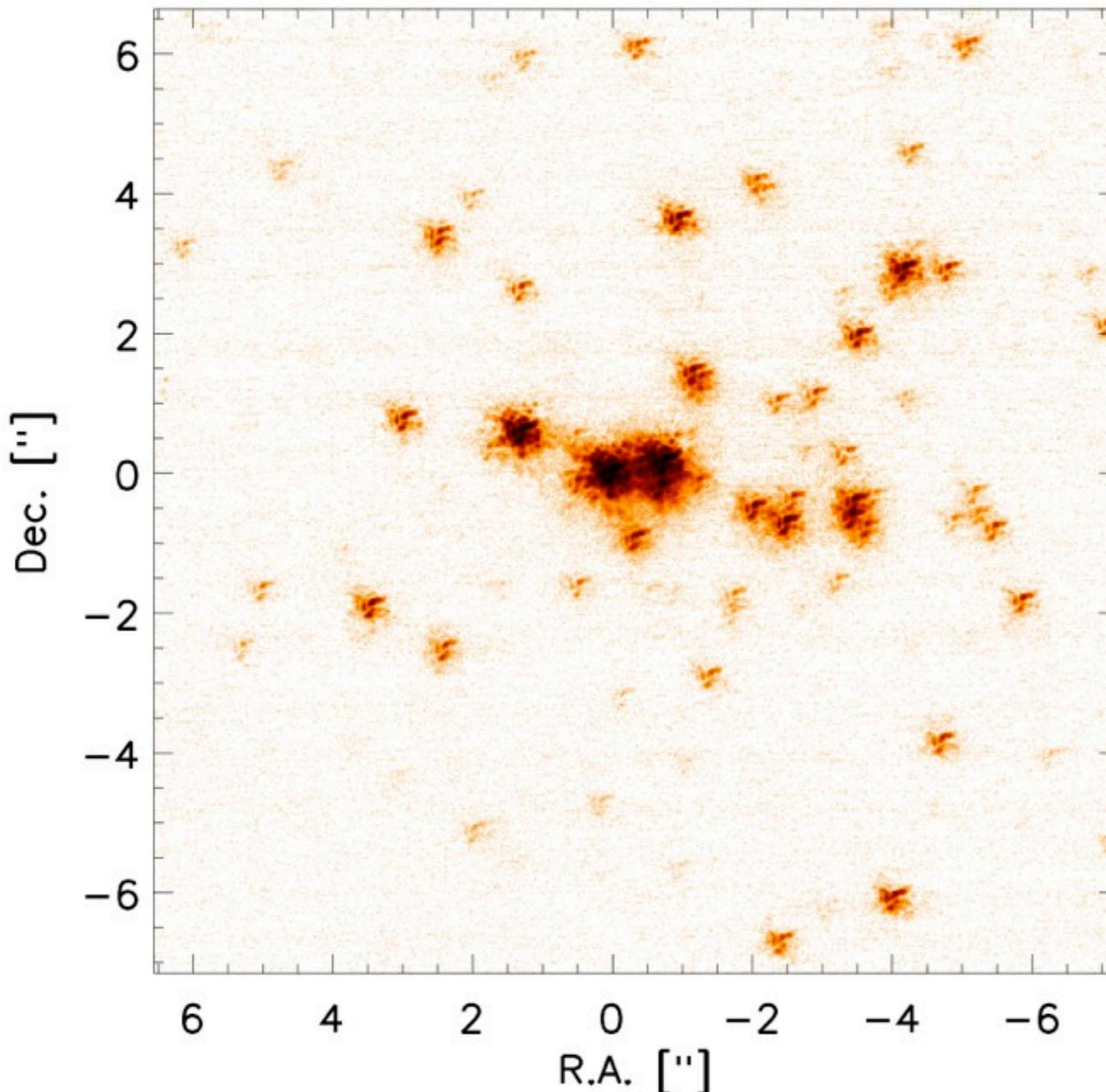
Speckle holography: NGC 3603



- Step 1
Create SSA image
- Step 2
Run StarFinder
- Step 3
Save positions and fluxes of stars

Thanks to J. Girard, S. Rengaswamy, G. Montagnier (ESO)!

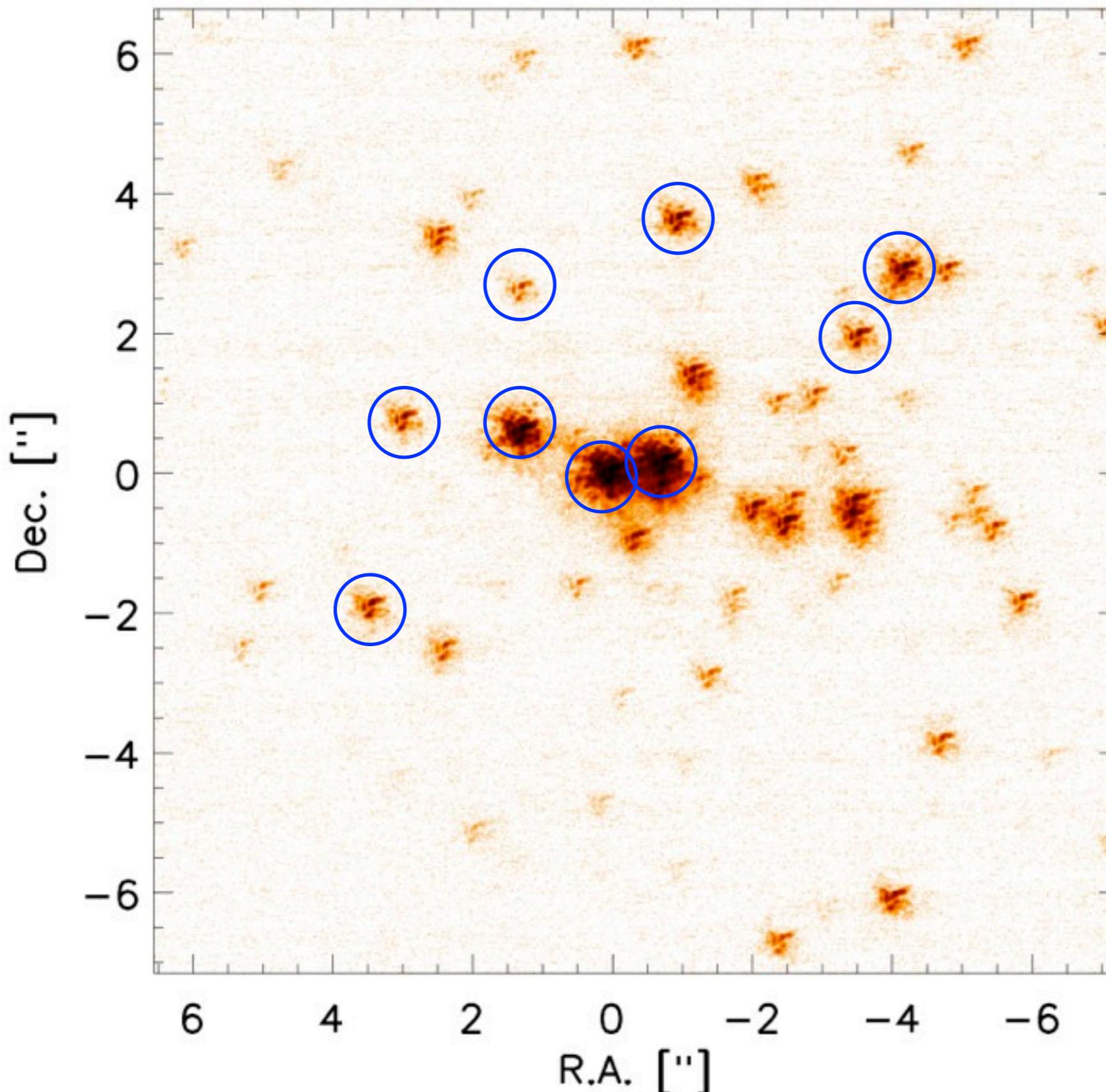
Speckle holography: NGC 3603



- Step 4
Select reference + secondary stars
For each frame do...
- Step 5
PSF estimate
- Step 6
Improve PSF estimate by subtraction of secondary stars

Thanks to J. Girard, S. Rengaswamy, G. Montagnier (ESO)!

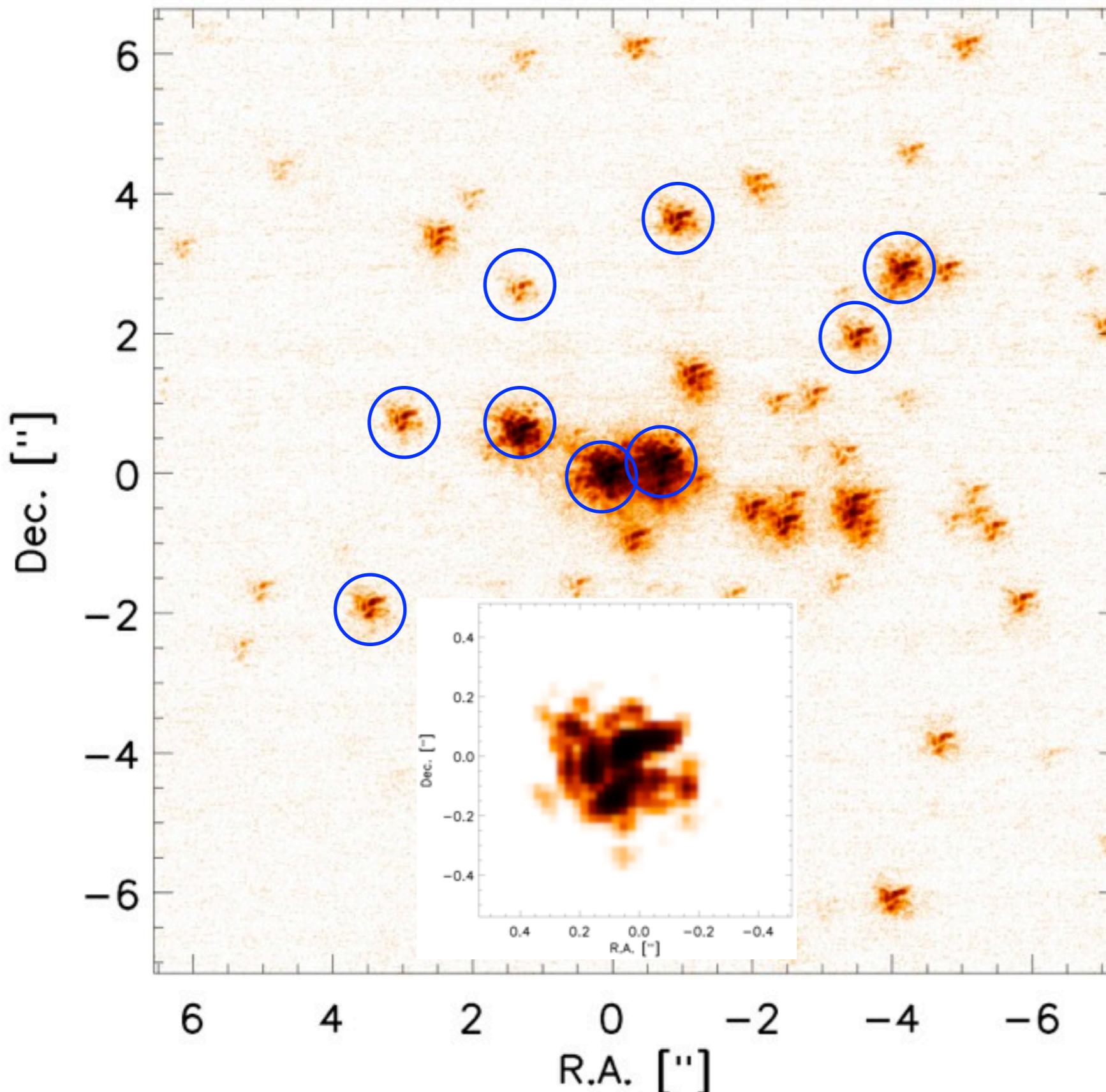
Speckle holography: NGC 3603



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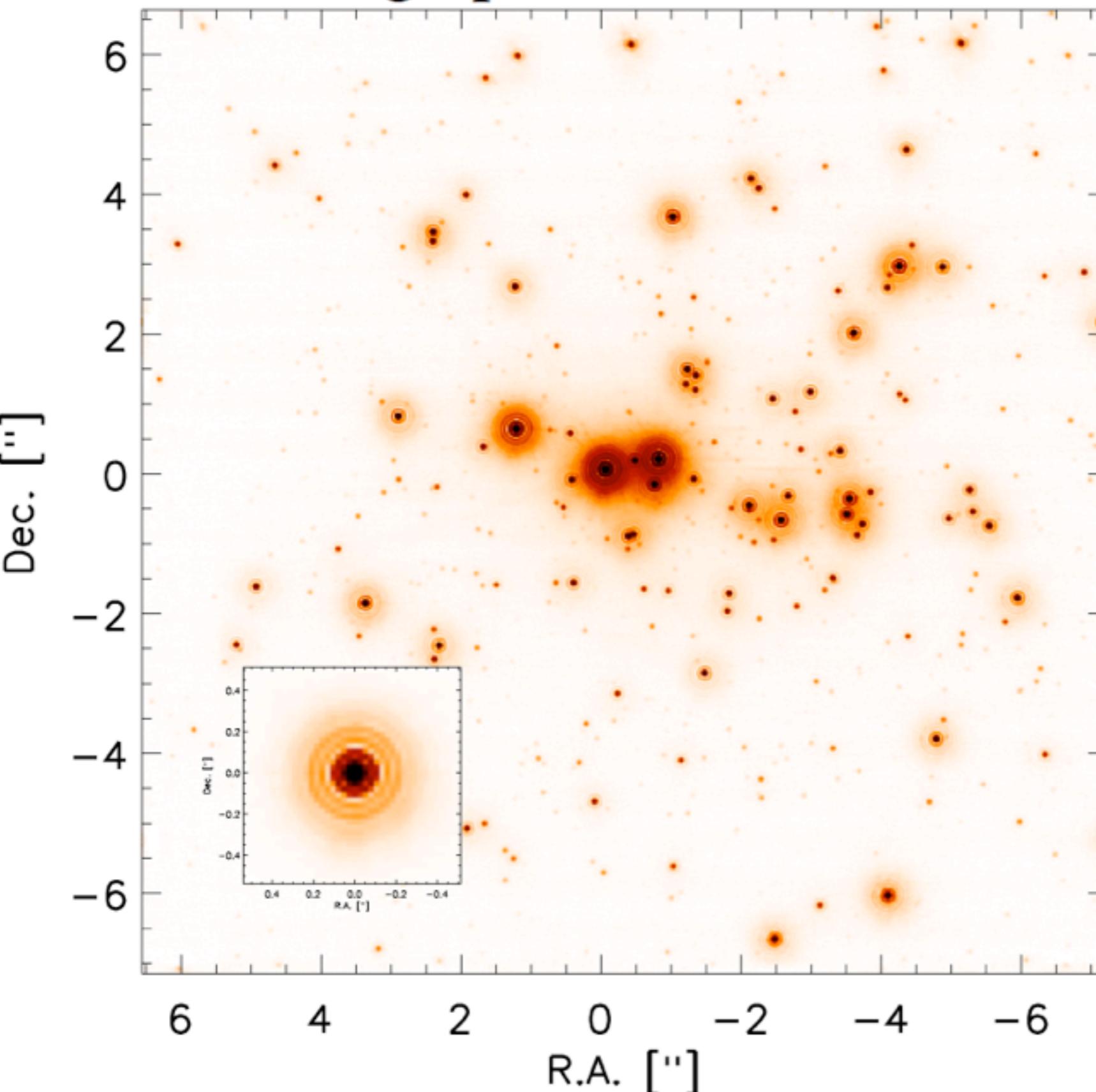
Speckle holography: NGC 3603



- Step 4
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- Step 5
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Improve PSF estimate by subtraction of secondary stars

Thanks to J. Girard, S. Rengaswamy, G. Montagnier (ESO)!

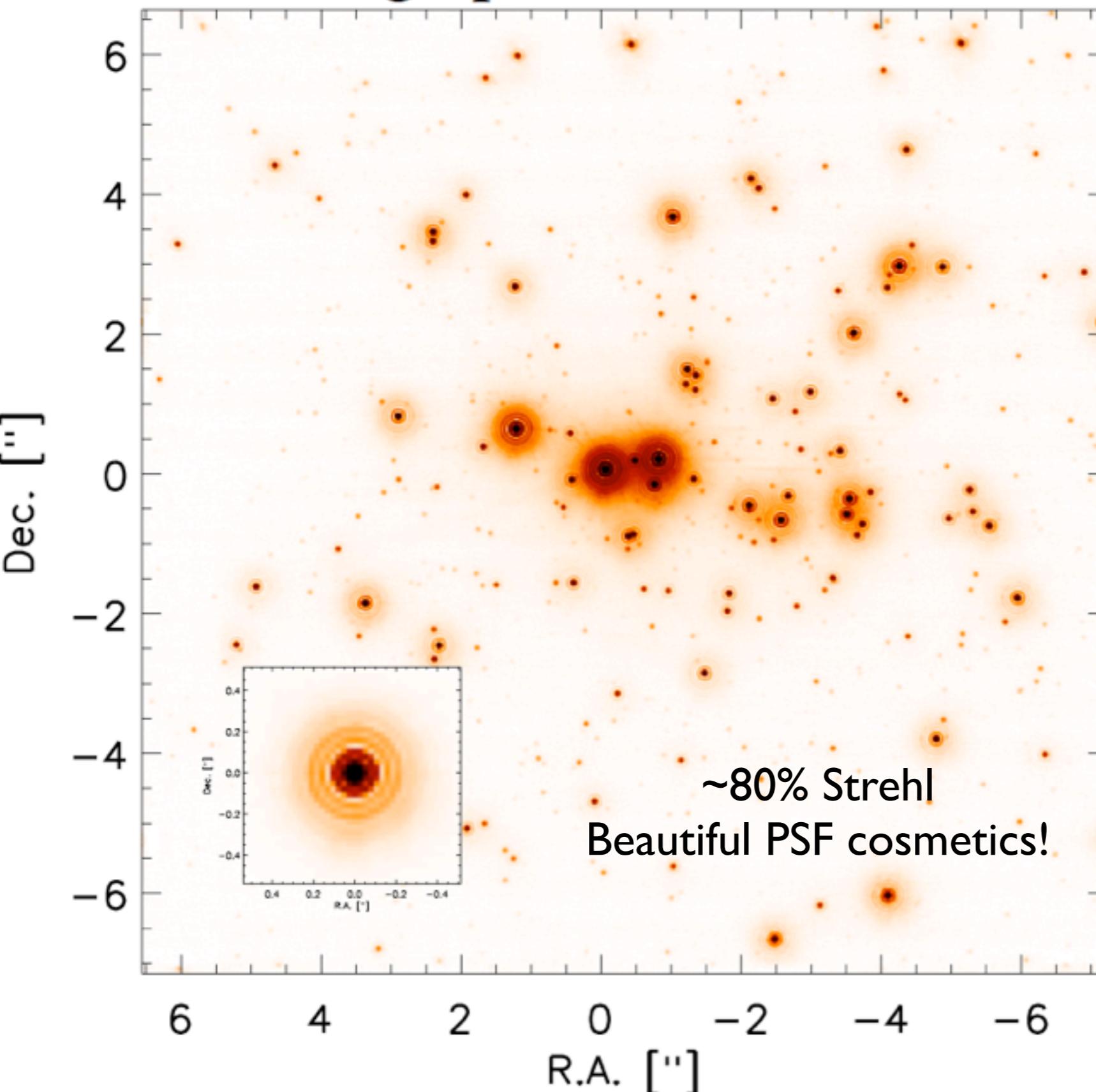
Speckle holography: NGC 3603



- Step 7
Run holography algorithm
- Step 8 (optional)
Repeat steps 2-7

Thanks to J. Girard, S. Rengaswamy, G. Montagnier (ESO)!

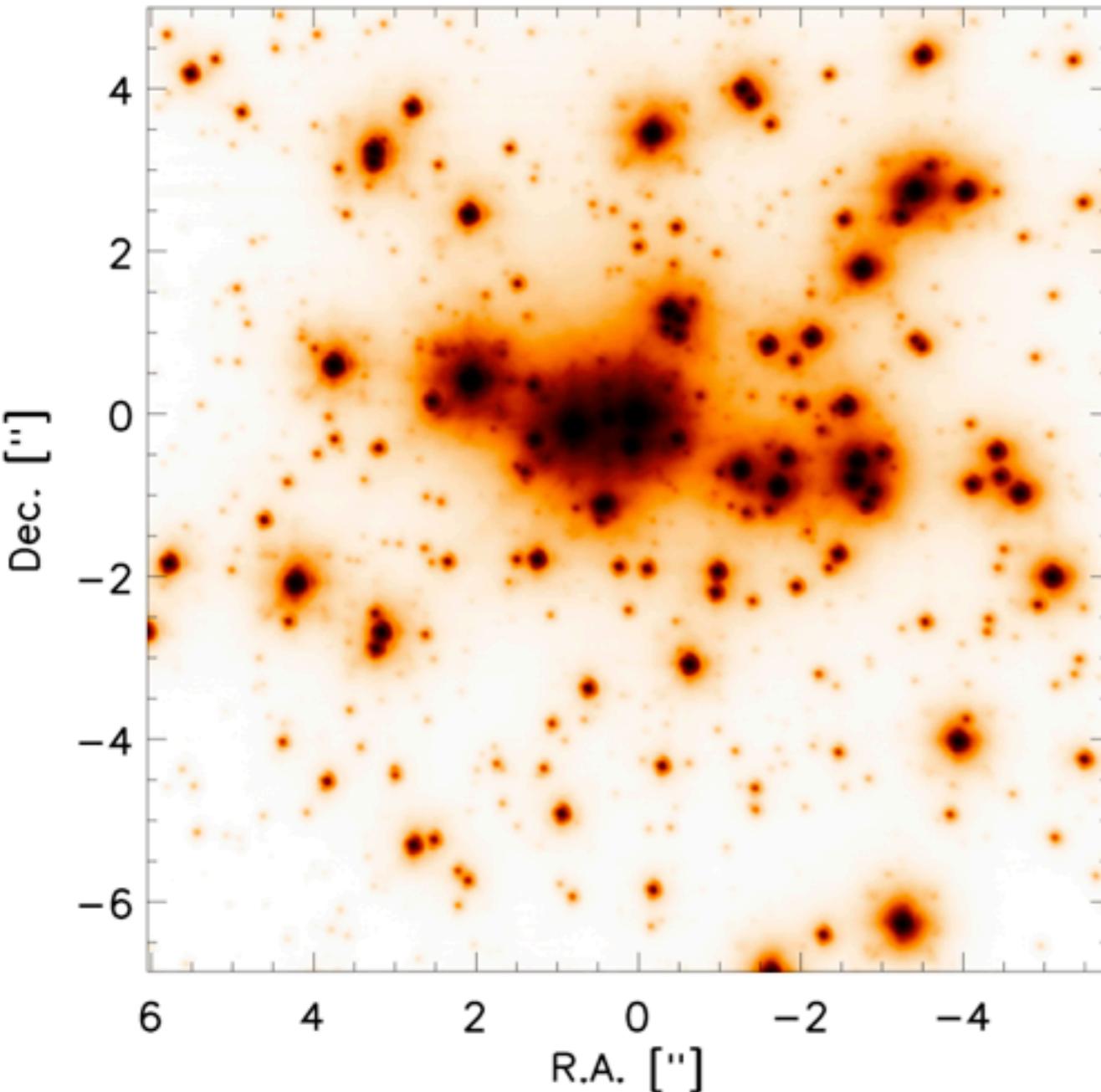
Speckle holography: NGC 3603



- Step 7
Run holography algorithm
- Step 8 (optional)
Repeat steps 2-7

Thanks to J. Girard, S. Rengaswamy, G. Montagnier (ESO)!

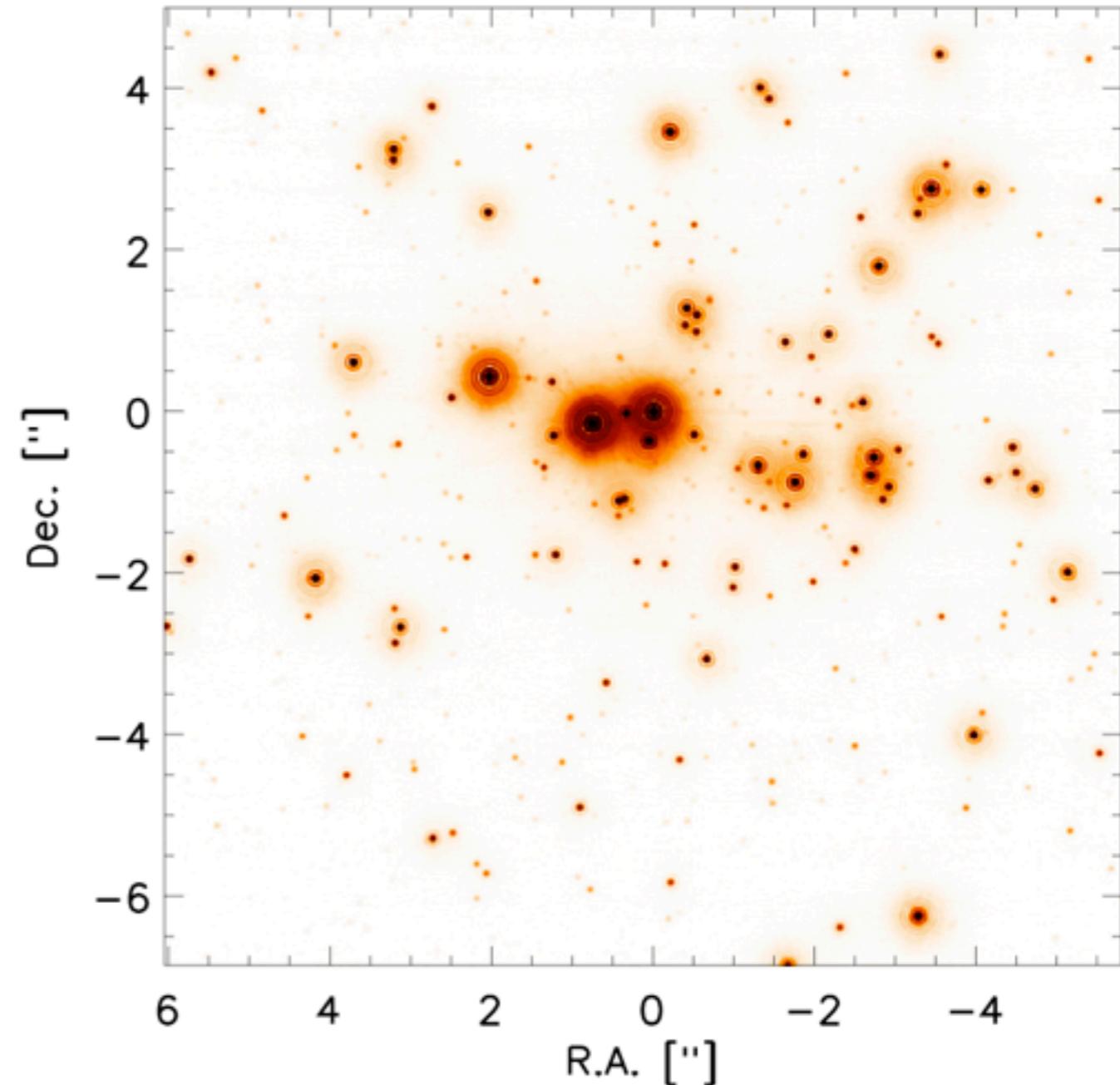
NGC 3603: AO vs. Holography



NaCo, AO, 20 April 2008

DIMM \approx 0.7"

$t_{int} = 1320 \times 0.5\text{s} = 1320\text{s}$

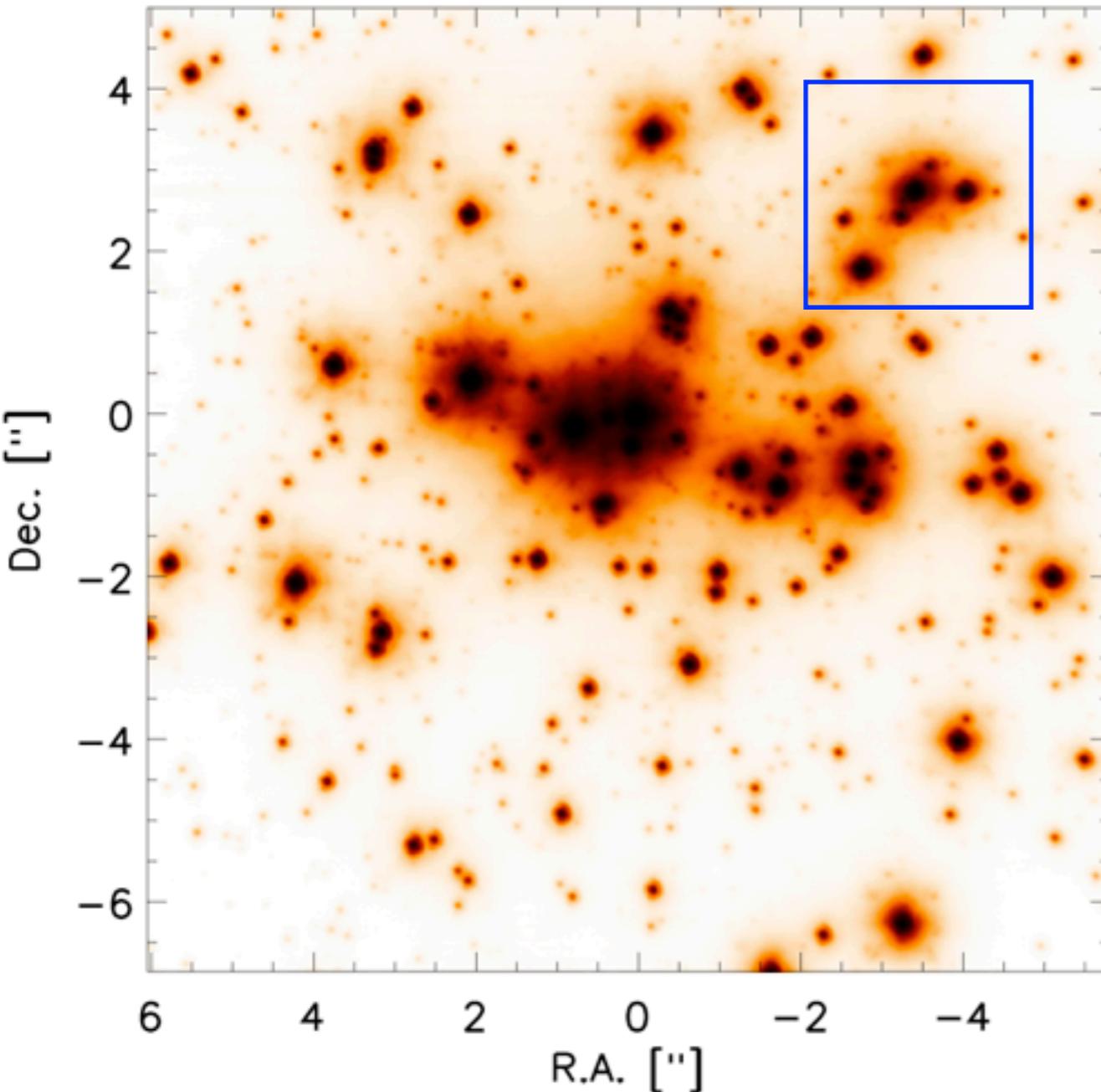


NaCo, speckle, 28 Jan 2010

DIMM \approx 0.5"

$t_{int} = 4907 \times 0.11\text{s} = 540\text{s}$

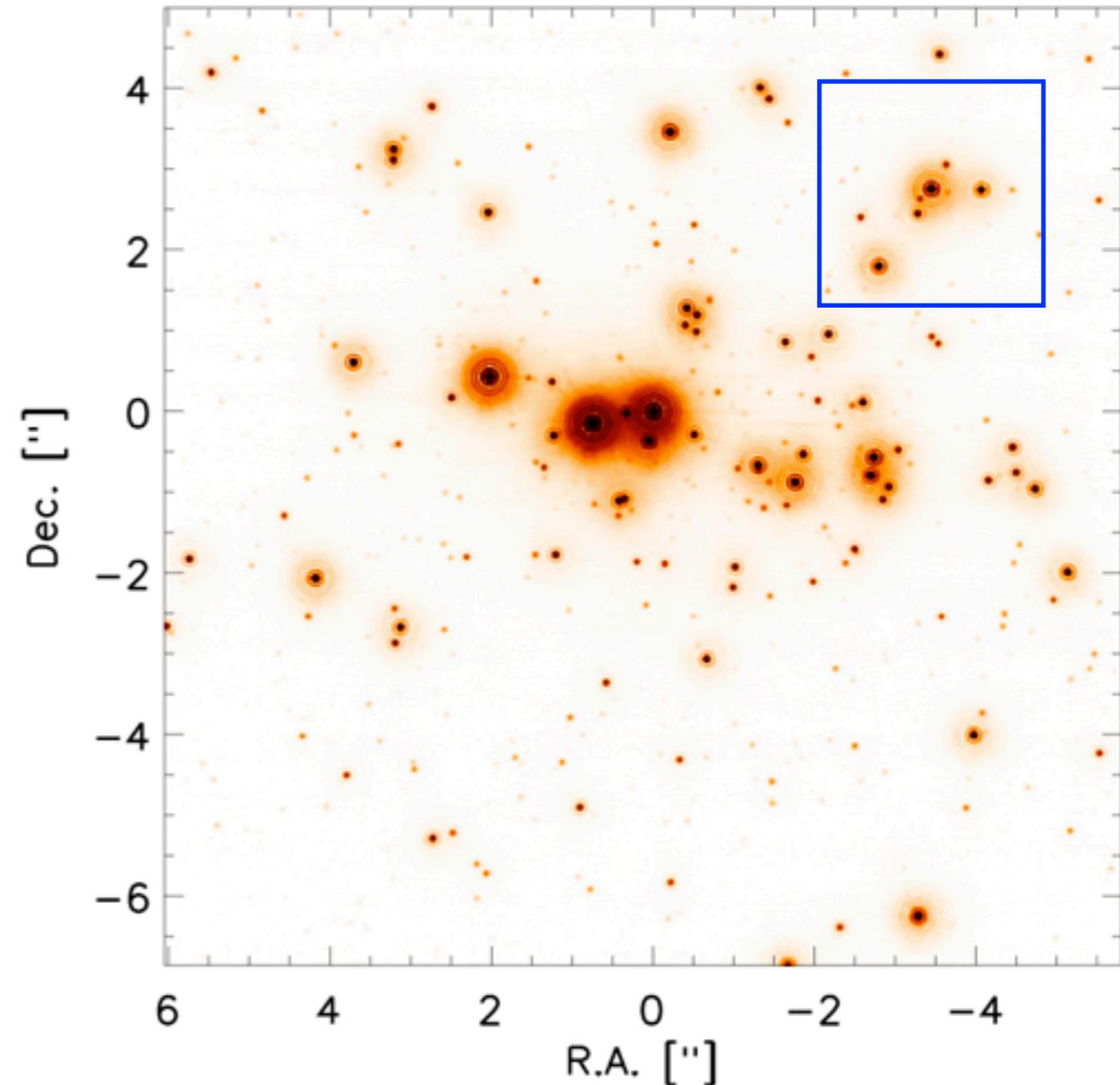
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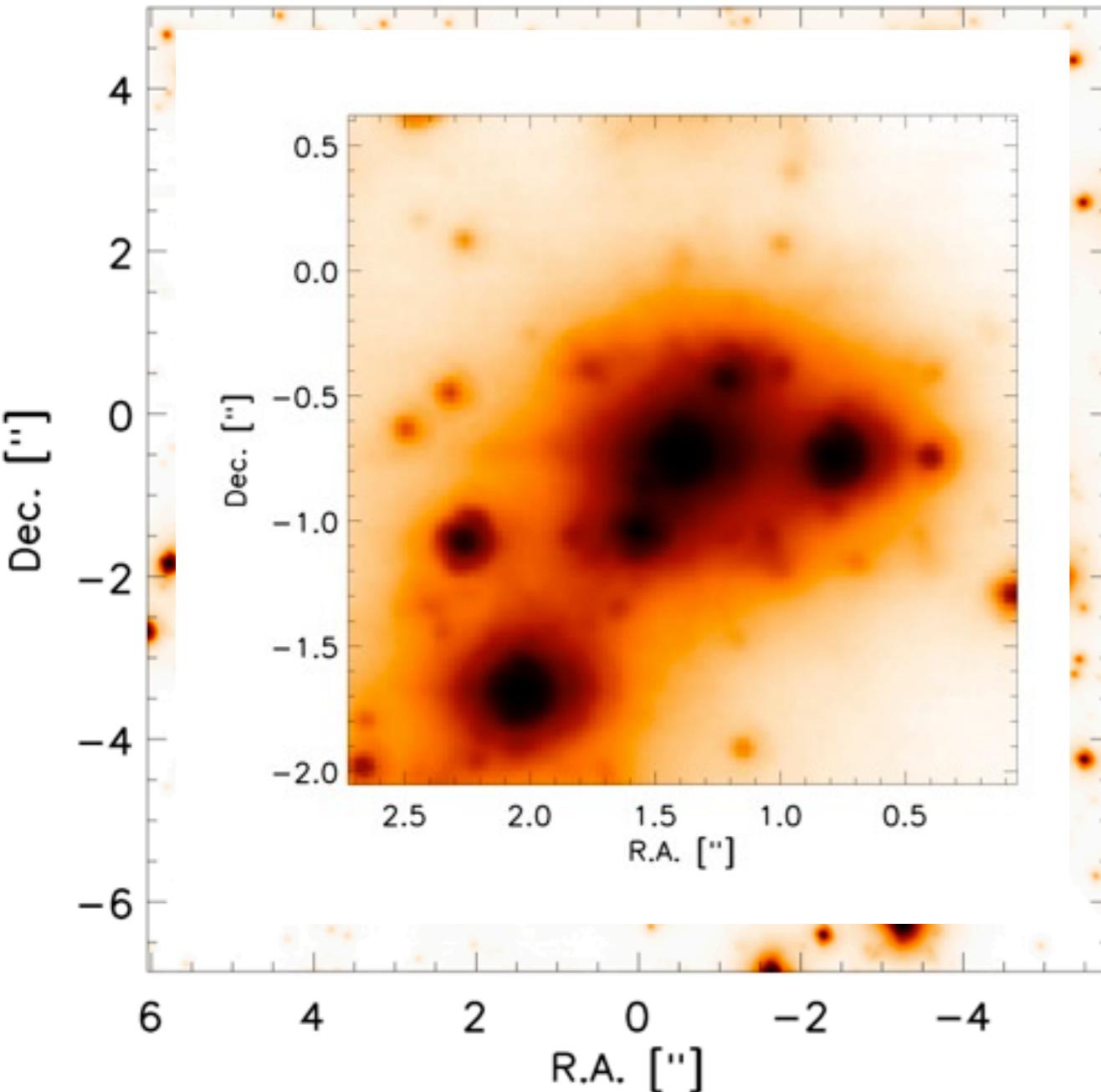


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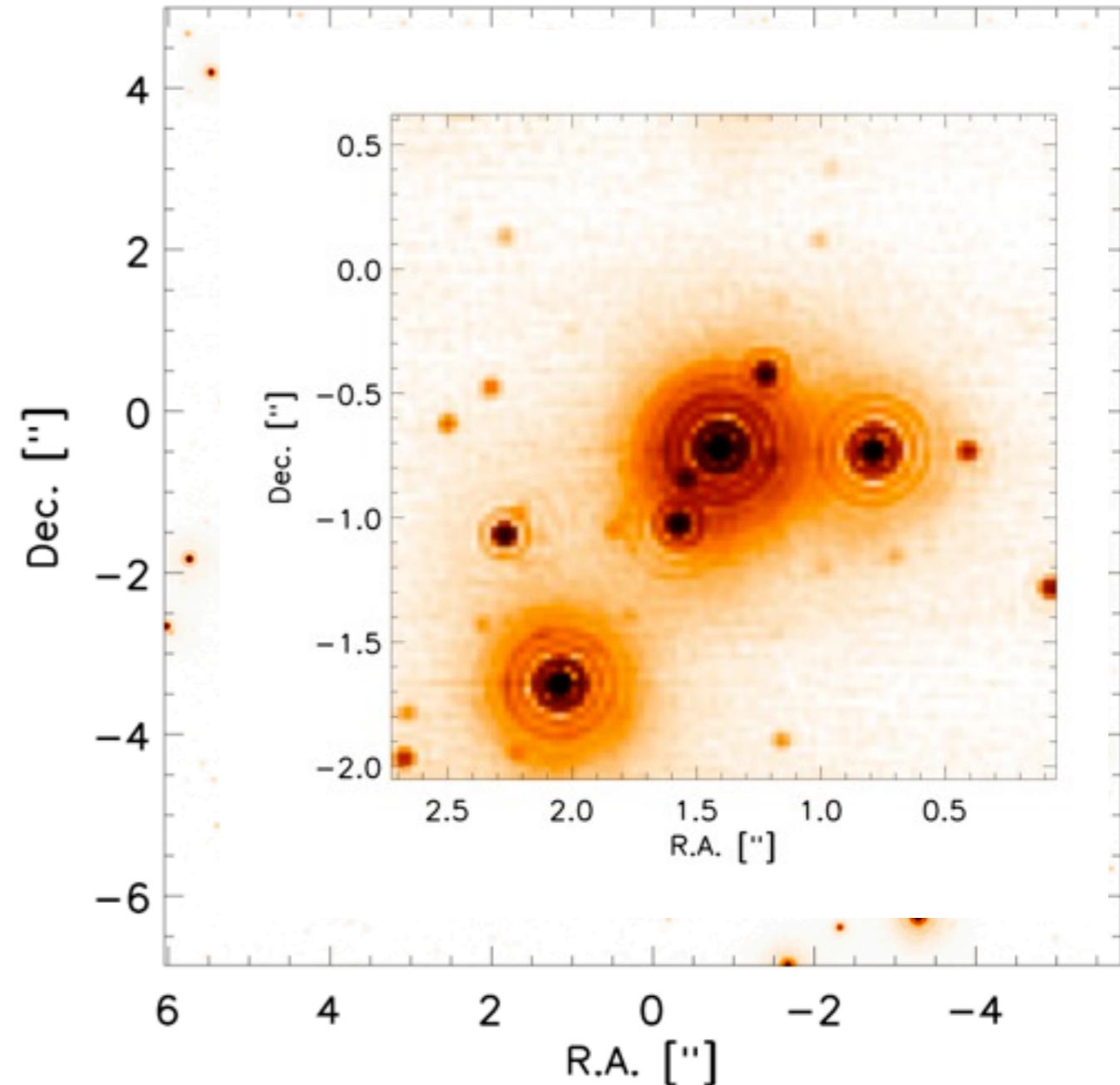
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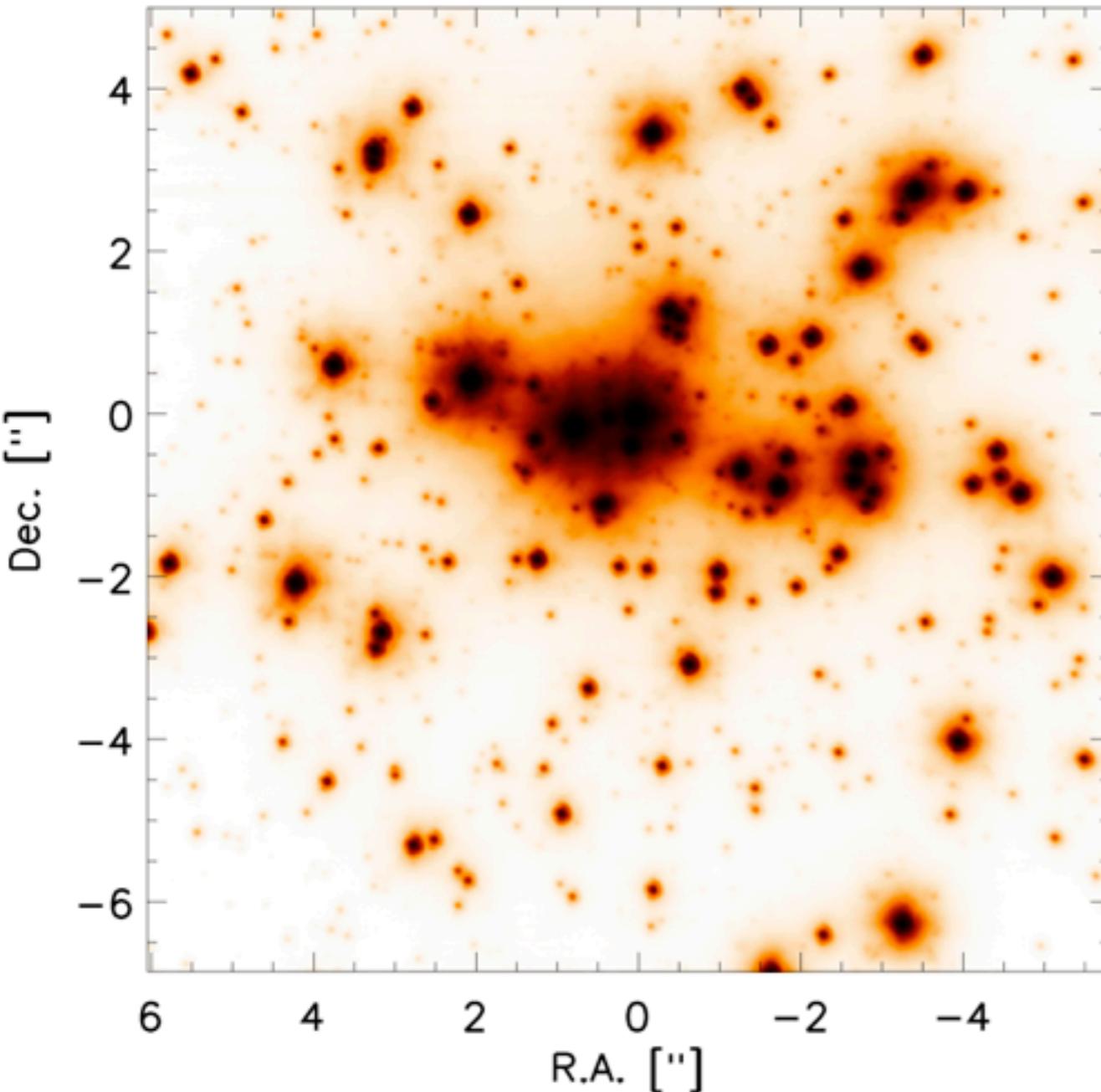


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$t_{\text{int}} = 4907 \times 0.11 \text{ s} = 540 \text{ s}$

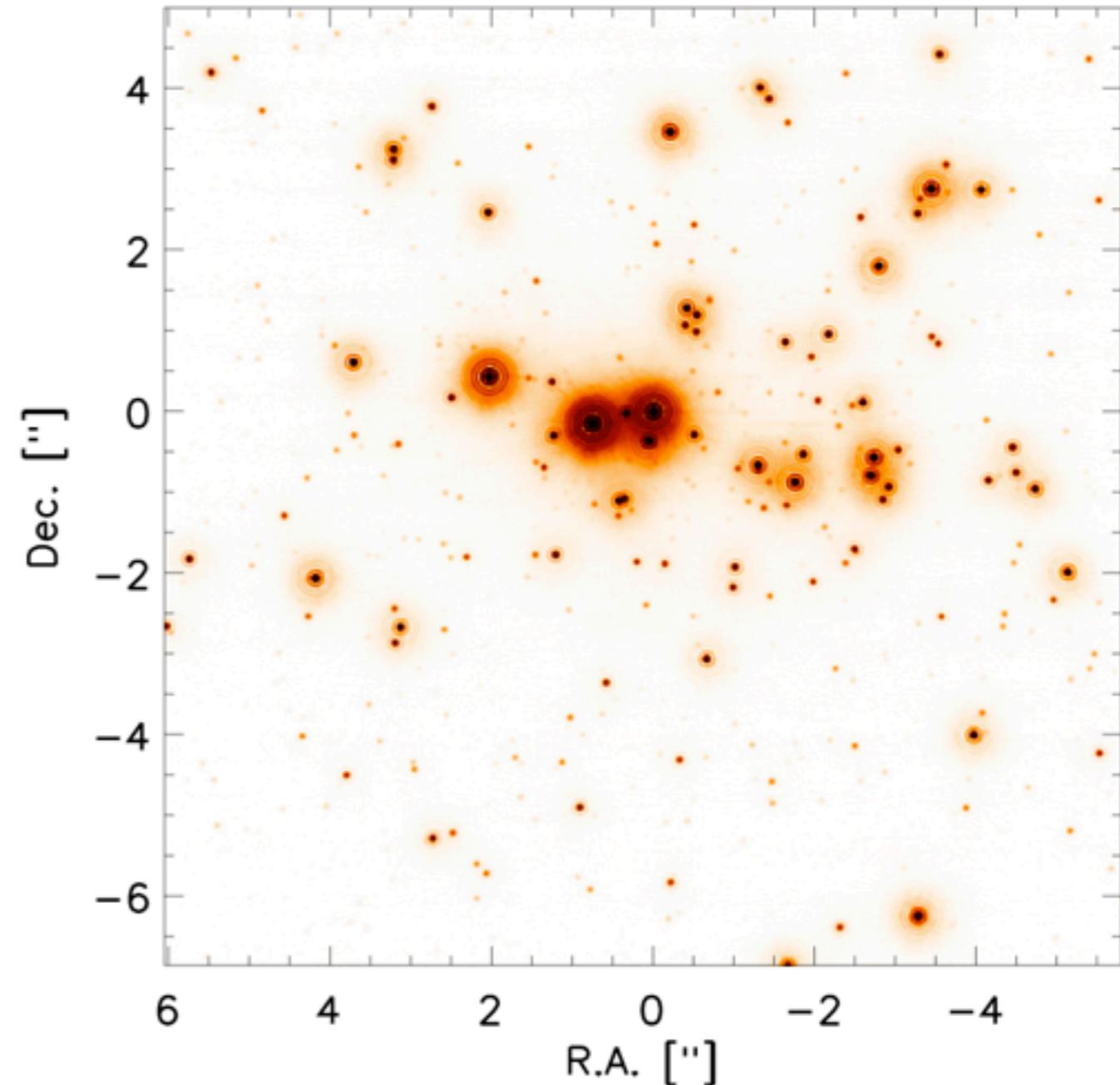
NGC 3603: AO vs. Holography



NaCo, AO, 20 April 2008

DIMM \approx 0.7"

$t_{int} = 1320 \times 0.5\text{s} = 1320\text{s}$

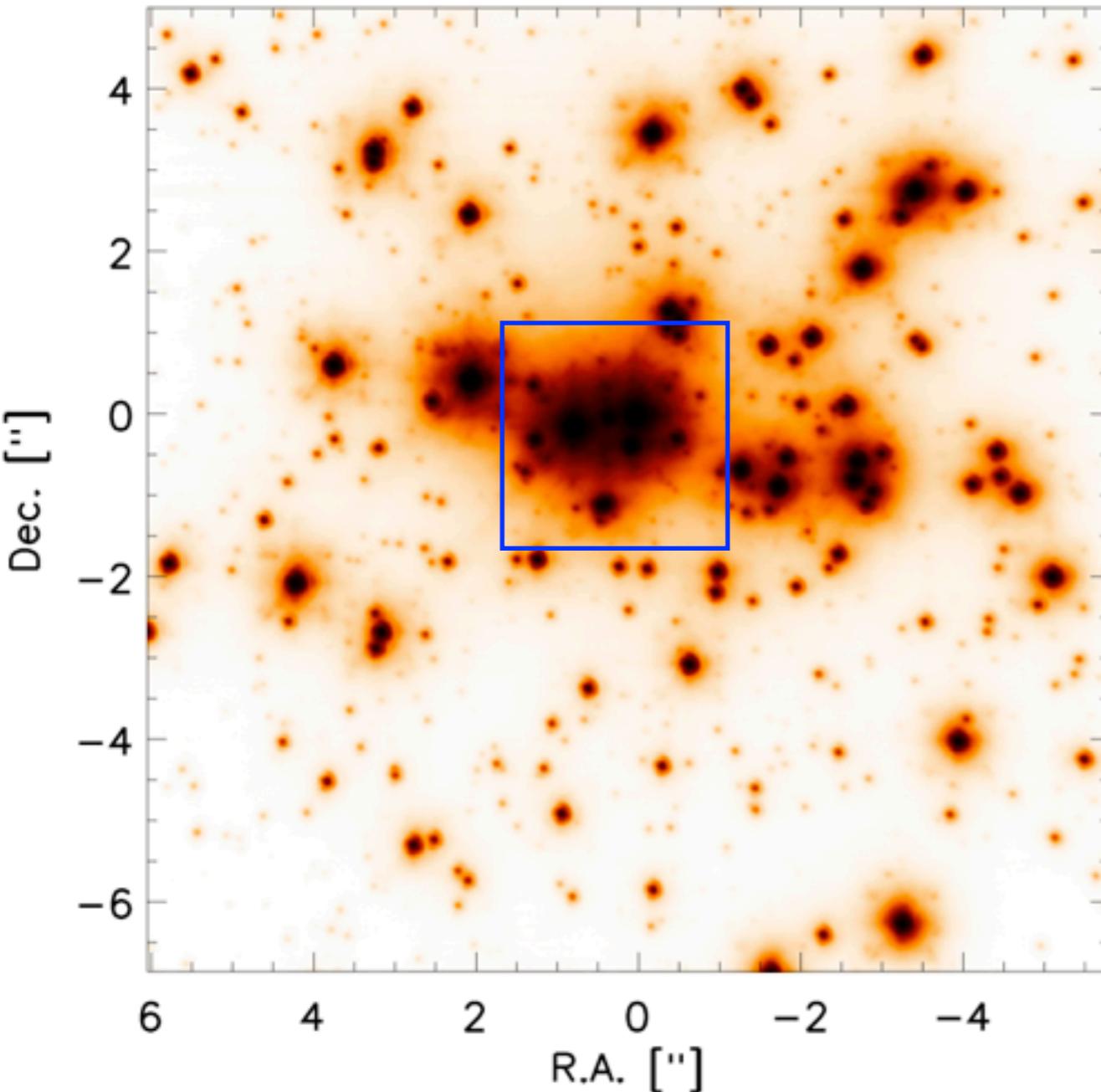


NaCo, speckle, 28 Jan 2010

DIMM \approx 0.5"

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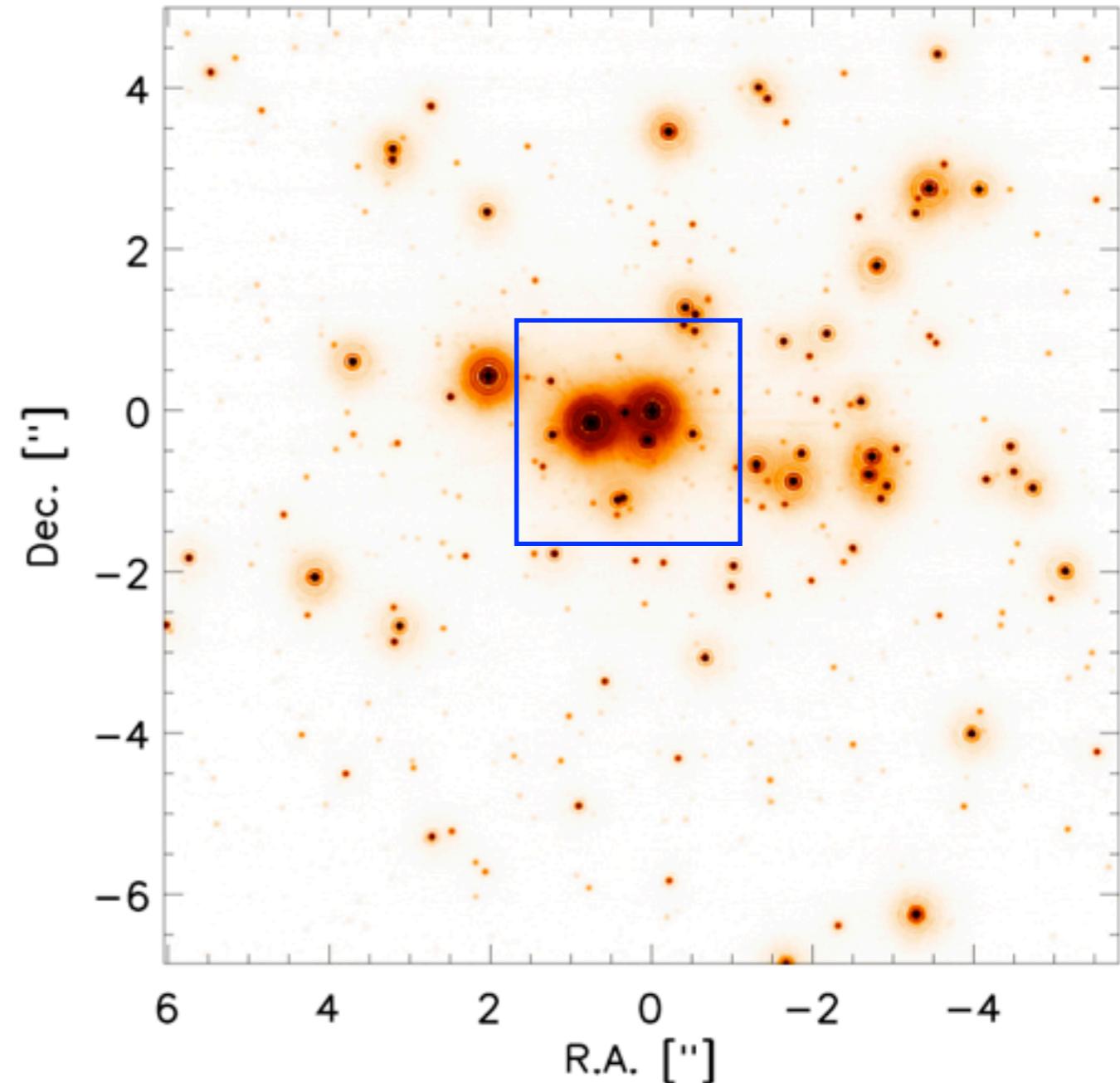
NGC 3603: AO vs. Holography



NaCo, AO, 20 April 2008

DIMM \approx 0.7"

$t_{\text{int}} = 1320 \times 0.5 \text{s} = 1320 \text{s}$

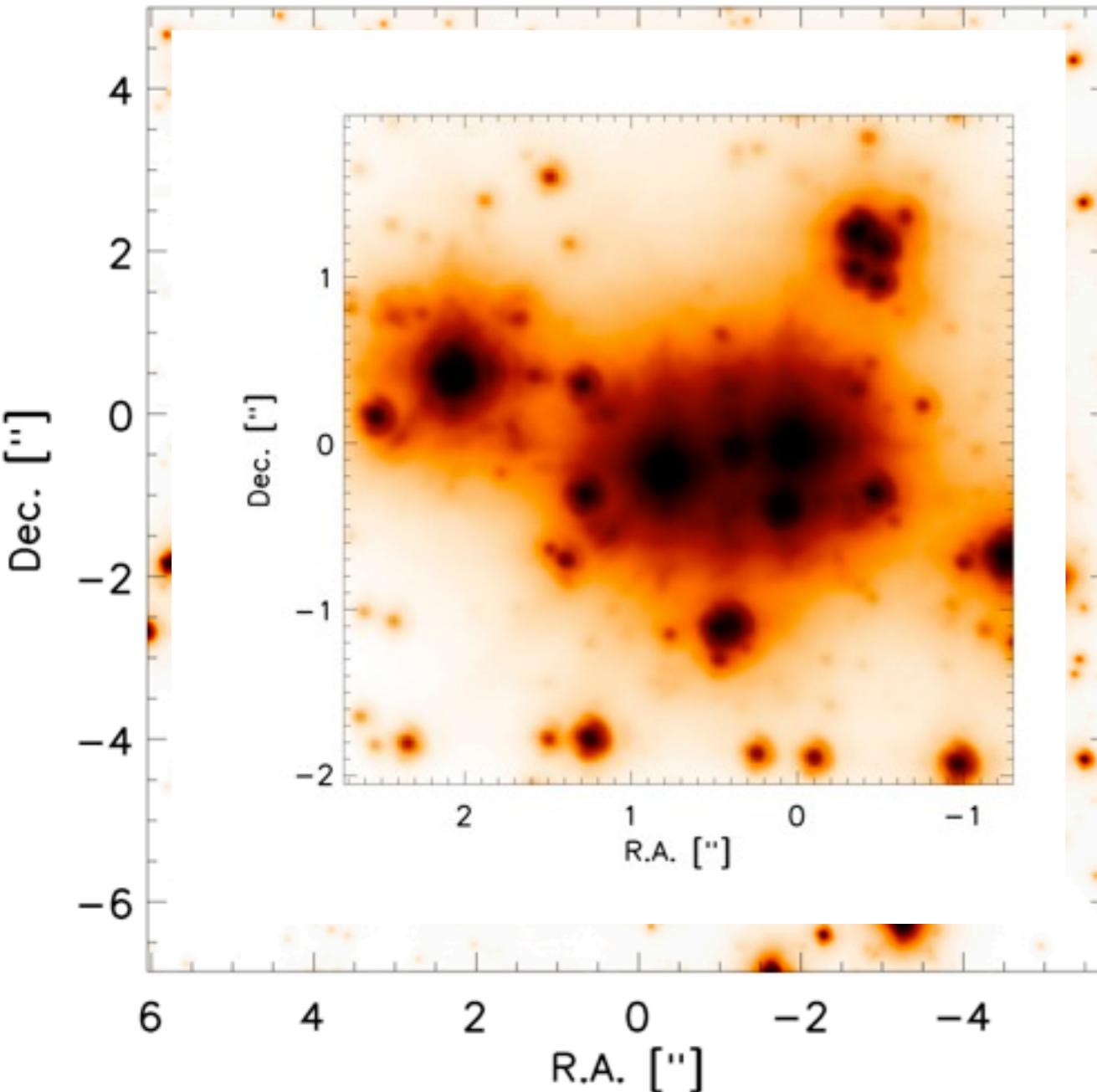


NaCo, speckle, 28 Jan 2010

DIMM \approx 0.5"

$t_{\text{int}} = 4907 \times 0.11 \text{s} = 540 \text{s}$

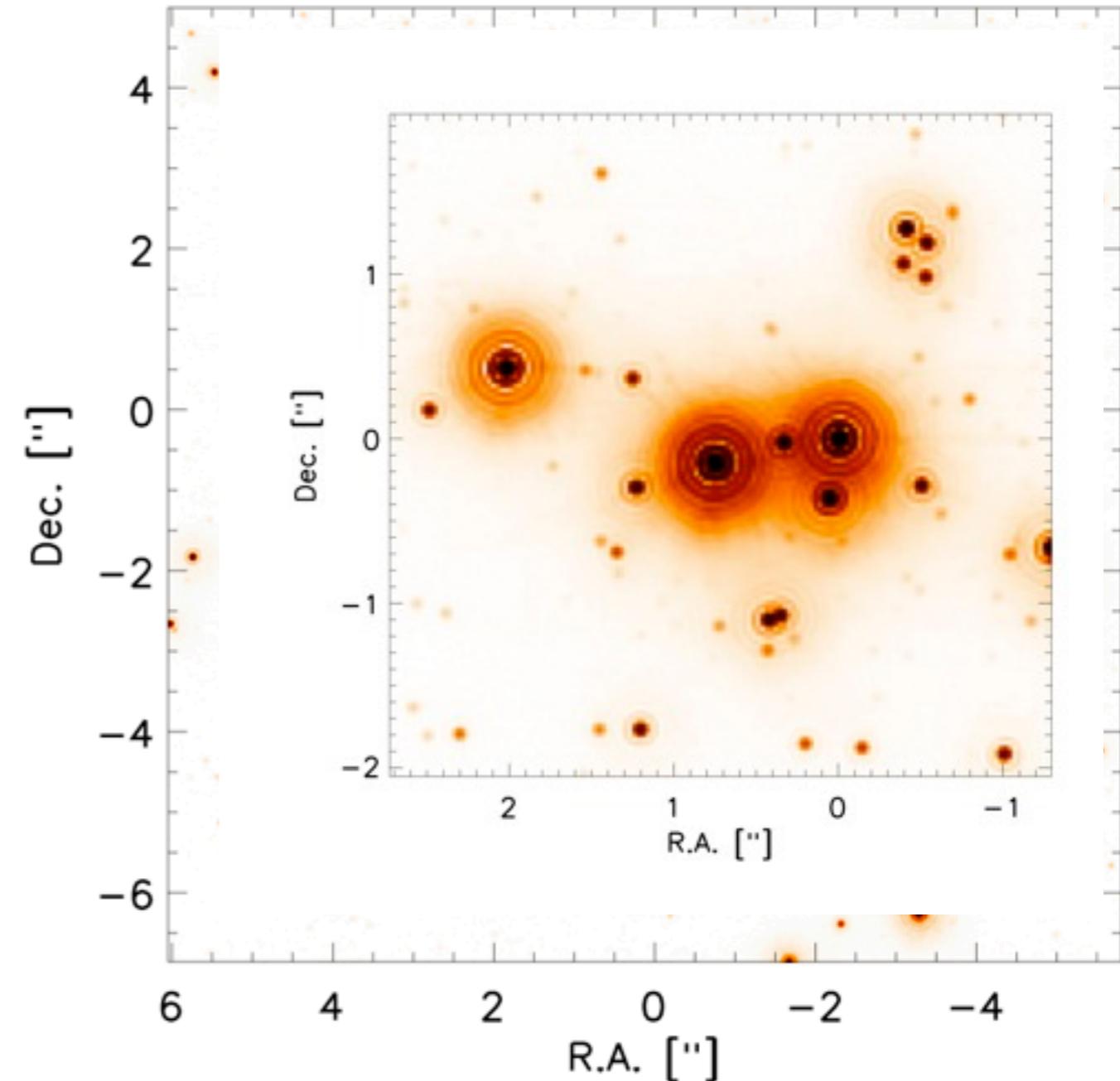
NGC 3603: AO vs. Holography



NaCo, AO, 20 April 2008

DIMM \approx 0.7"

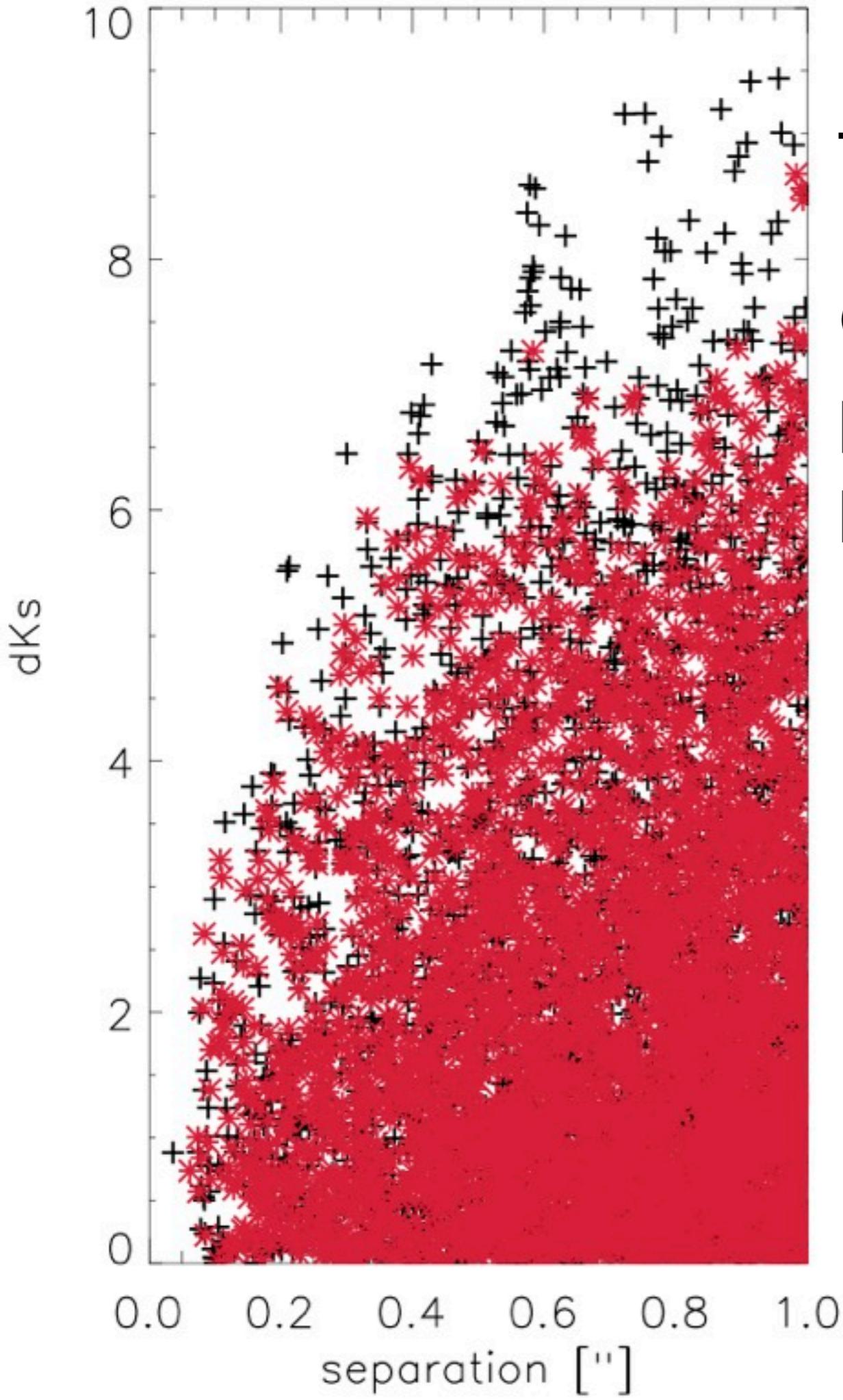
$t_{int} = 1320 \times 0.5\text{s} = 1320\text{s}$



NaCo, speckle, 28 Jan 2010

DIMM \approx 0.5"

$t_{int} = 4907 \times 0.11\text{s} = 540\text{s}$



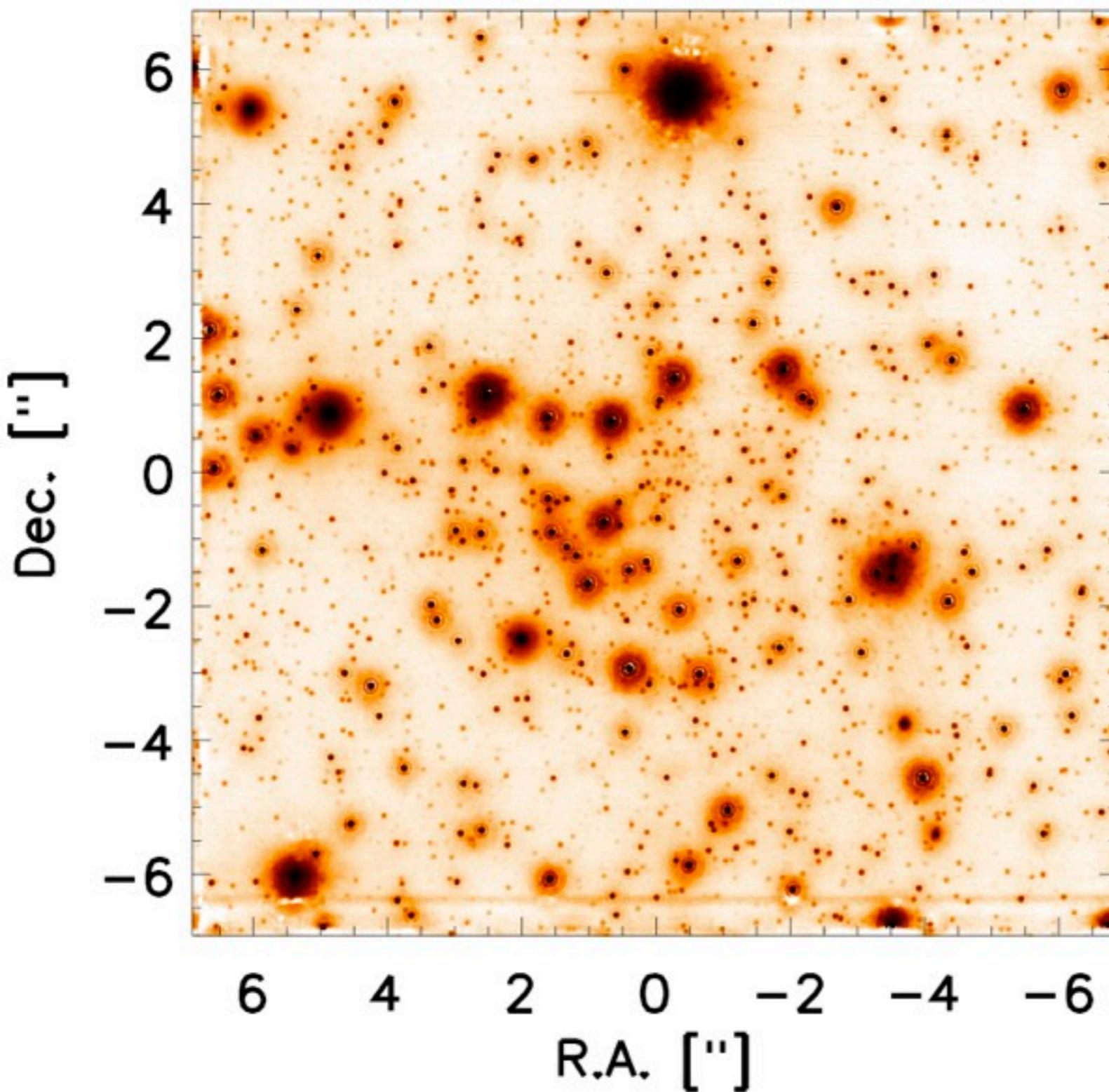
Difference in m_{K_s} vs. separation
for all detected pairs of stars

Conservative source selection,
performance of holography
probably under-estimated.

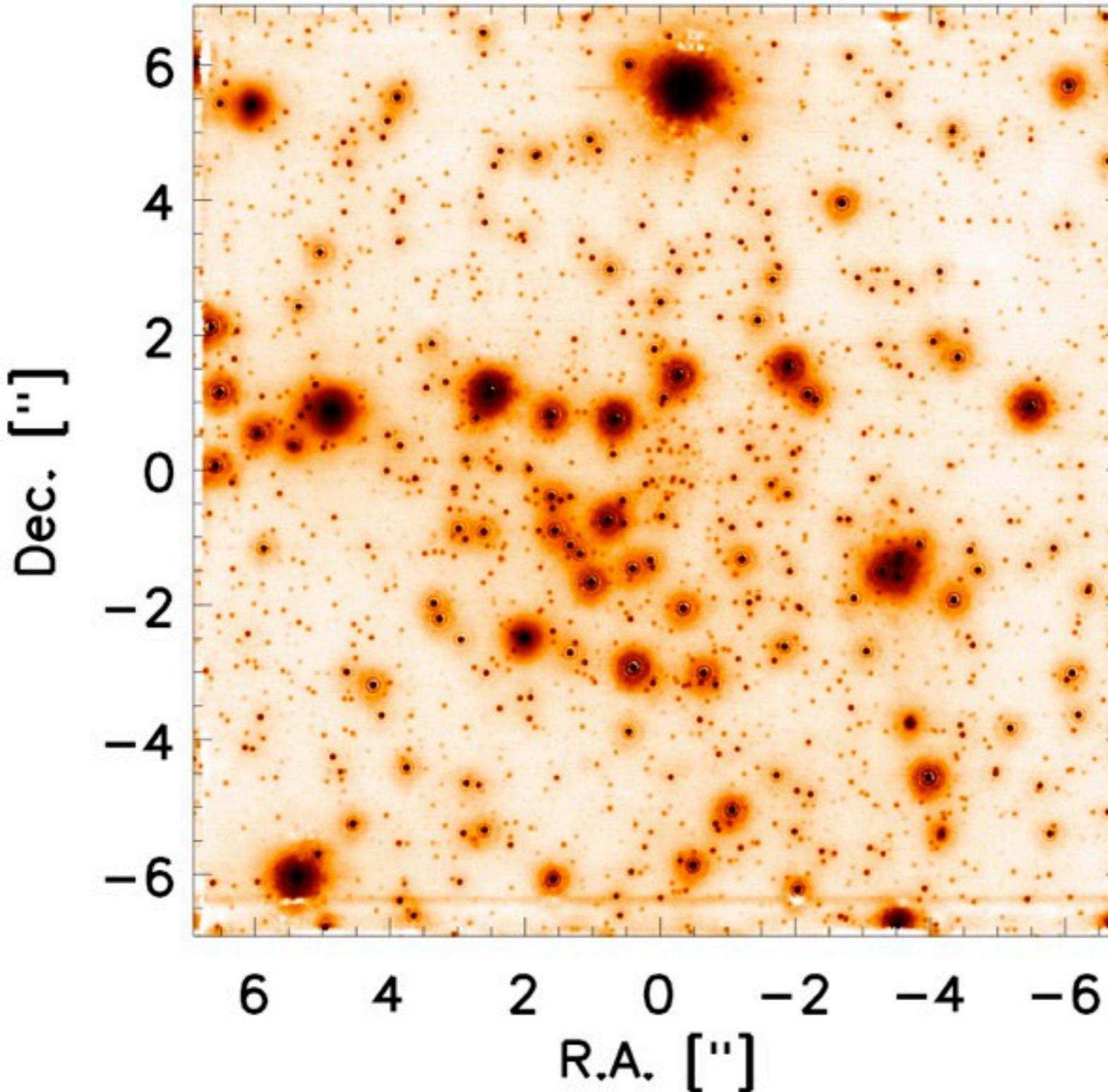
black: holography
red:AO

More tests...

Multiple, faint reference stars



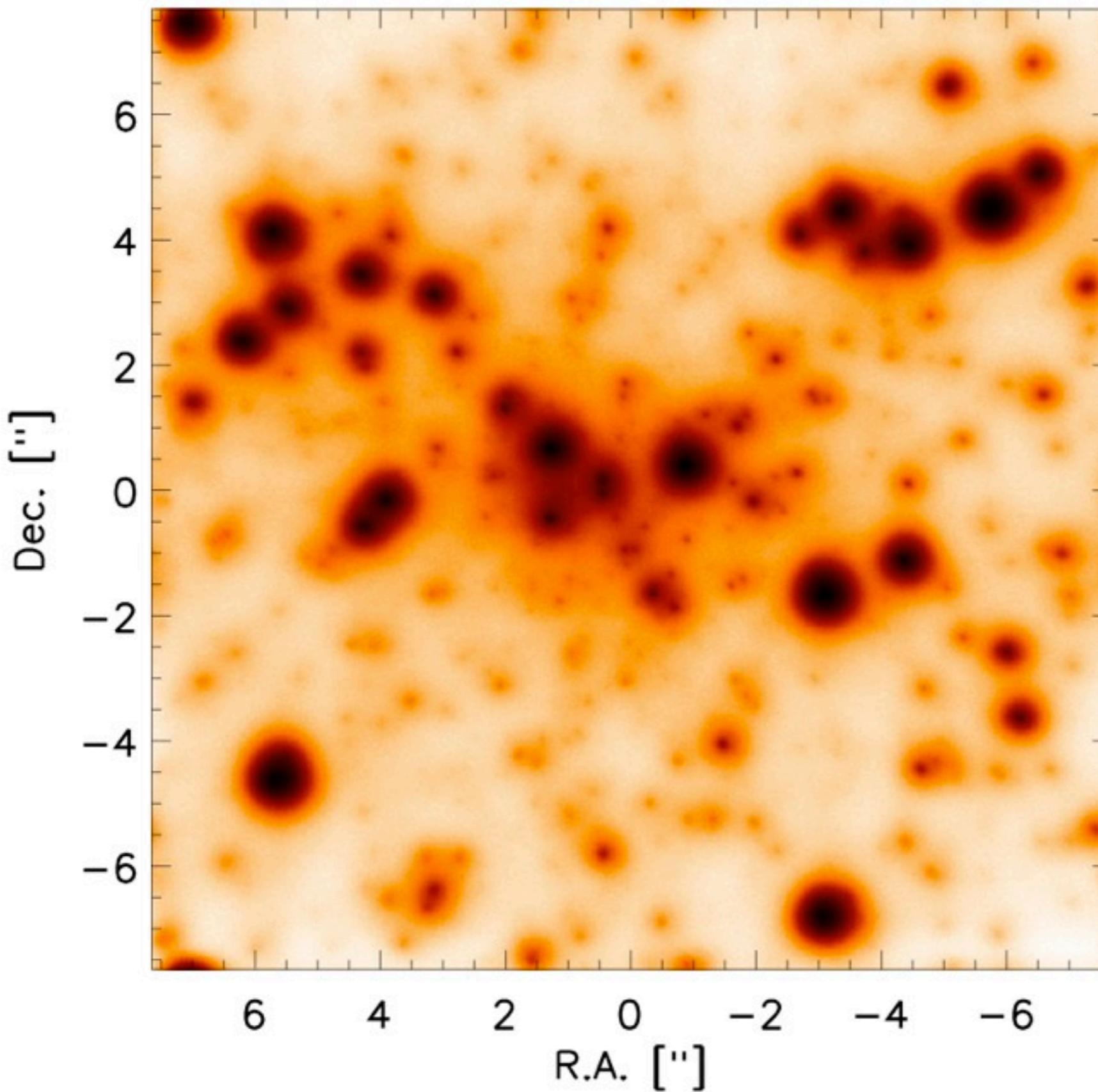
Multiple, faint reference stars



Galactic center, NaCo/VLT
23 Ks \approx 13 reference stars:
Strehl \sim 45%, excellent
cosmetics.

⇒ beyond the possibilities of
current AO systems

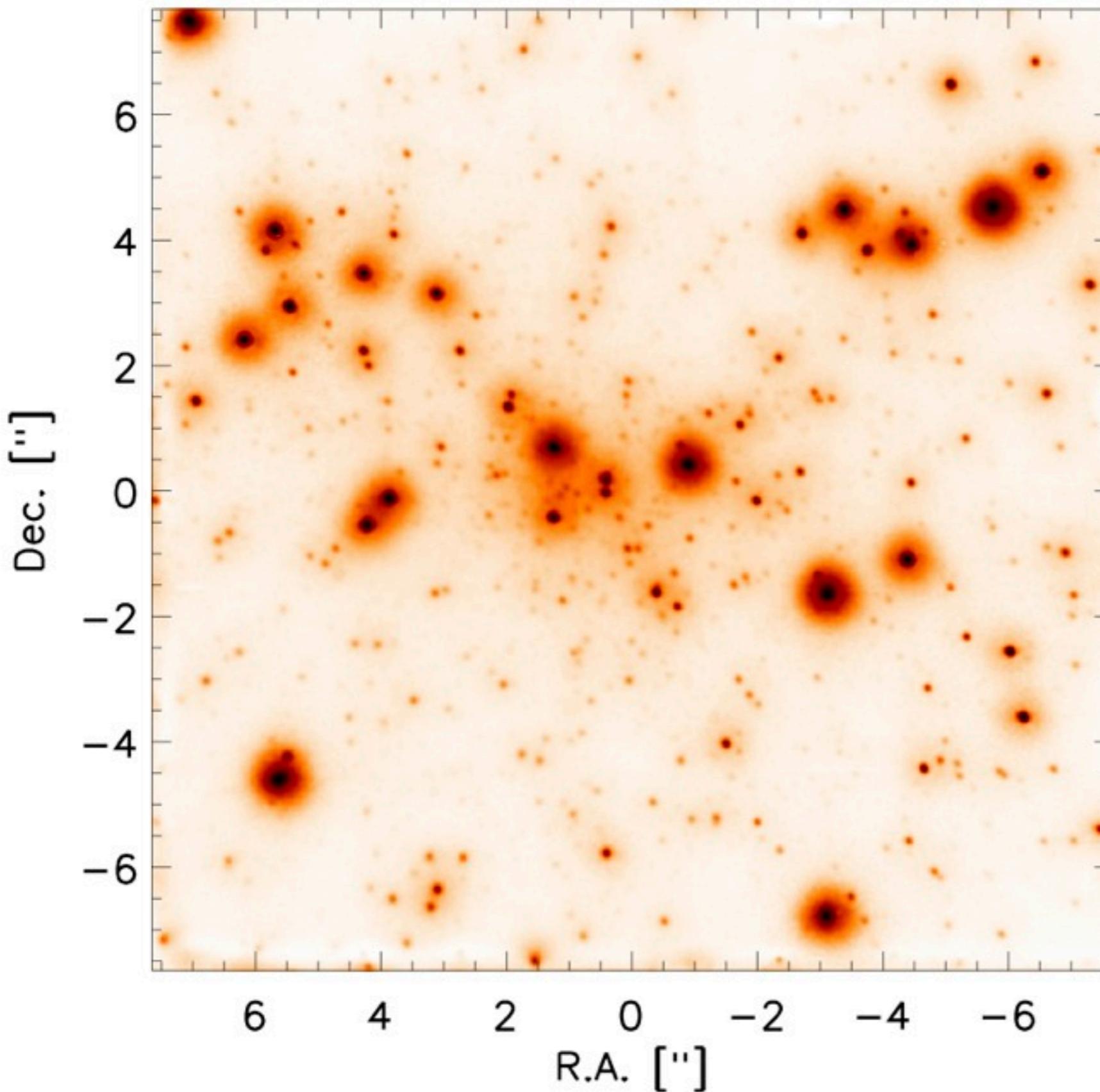
Short wavelengths: I-band



Core of M15
FASTCAM@NOT
I-band, seeing $\sim 1''$

Simple shift-and-add
with frame selection
(8.5%): *lucky imaging*
 $\sim 7\%$ Strehl, $\Delta m \approx 8$

Short wavelengths: I-band

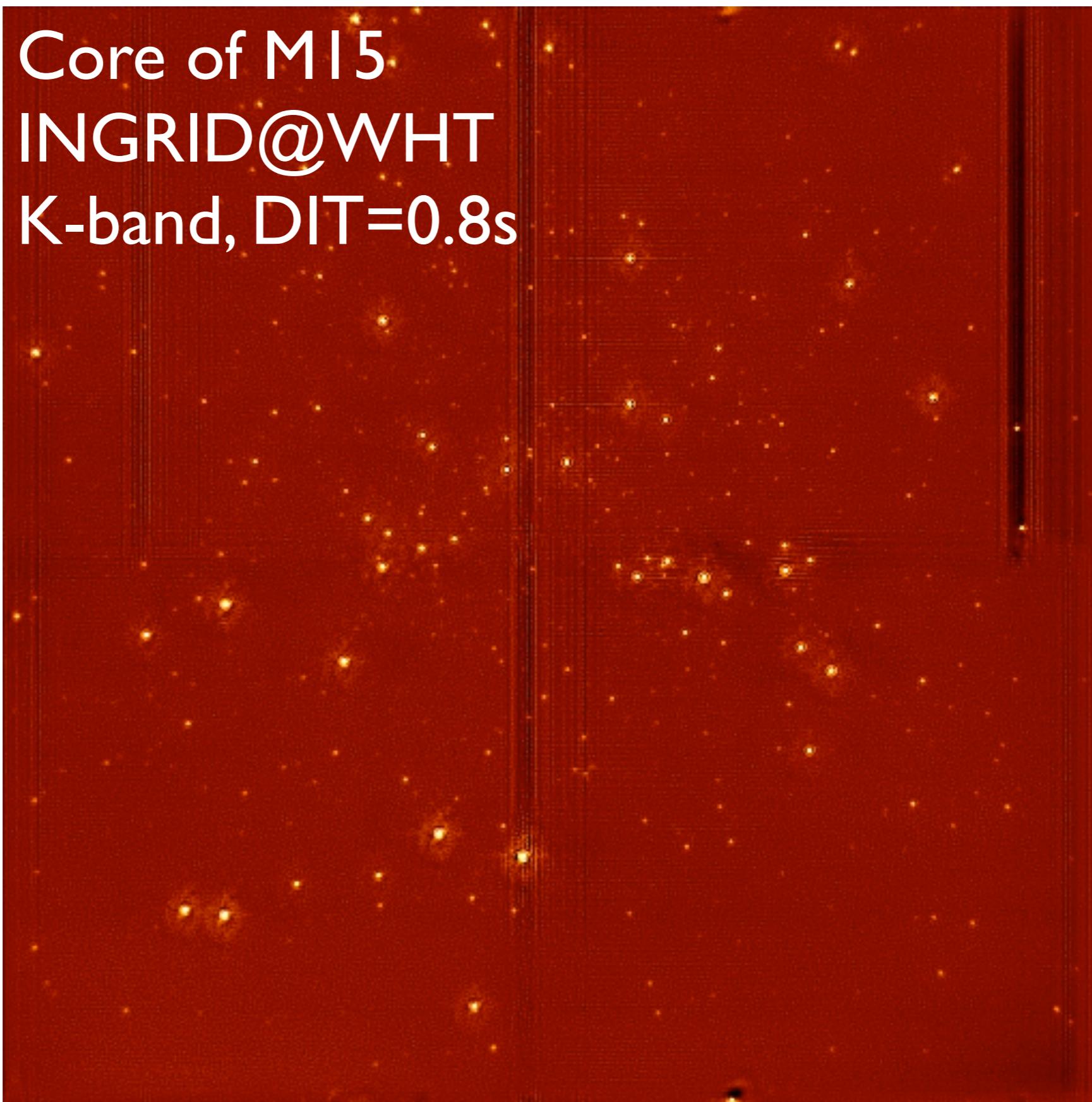


Core of M15
FASTCAM@NOT
I-band, seeing $\sim 1''$

Holography with
frame selection
(50%), separate
reconstruction of
subfields to deal with
anisoplanatic effects:
 $\sim 18\%$ Strehl,
 $\Delta m \approx 8.5$

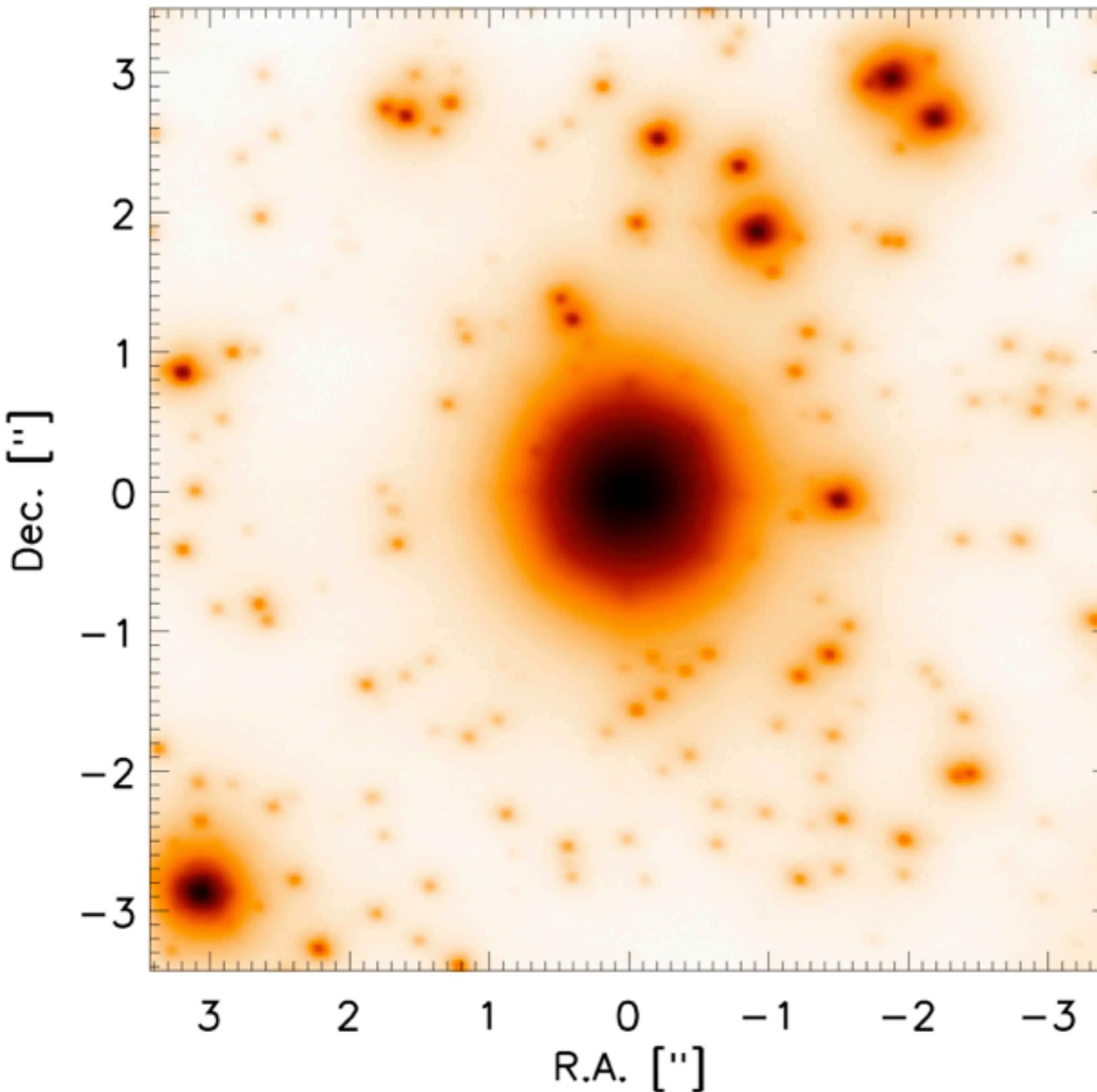
INGRID@WHT

Core of M15
INGRID@WHT
K-band, DIT=0.8s



More applications...

Holography + AO



47 Tuc

NaCO/VLT

K_s

1920×3s = 5760s

$\tau_0 = 1\text{--}2\text{ ms}$

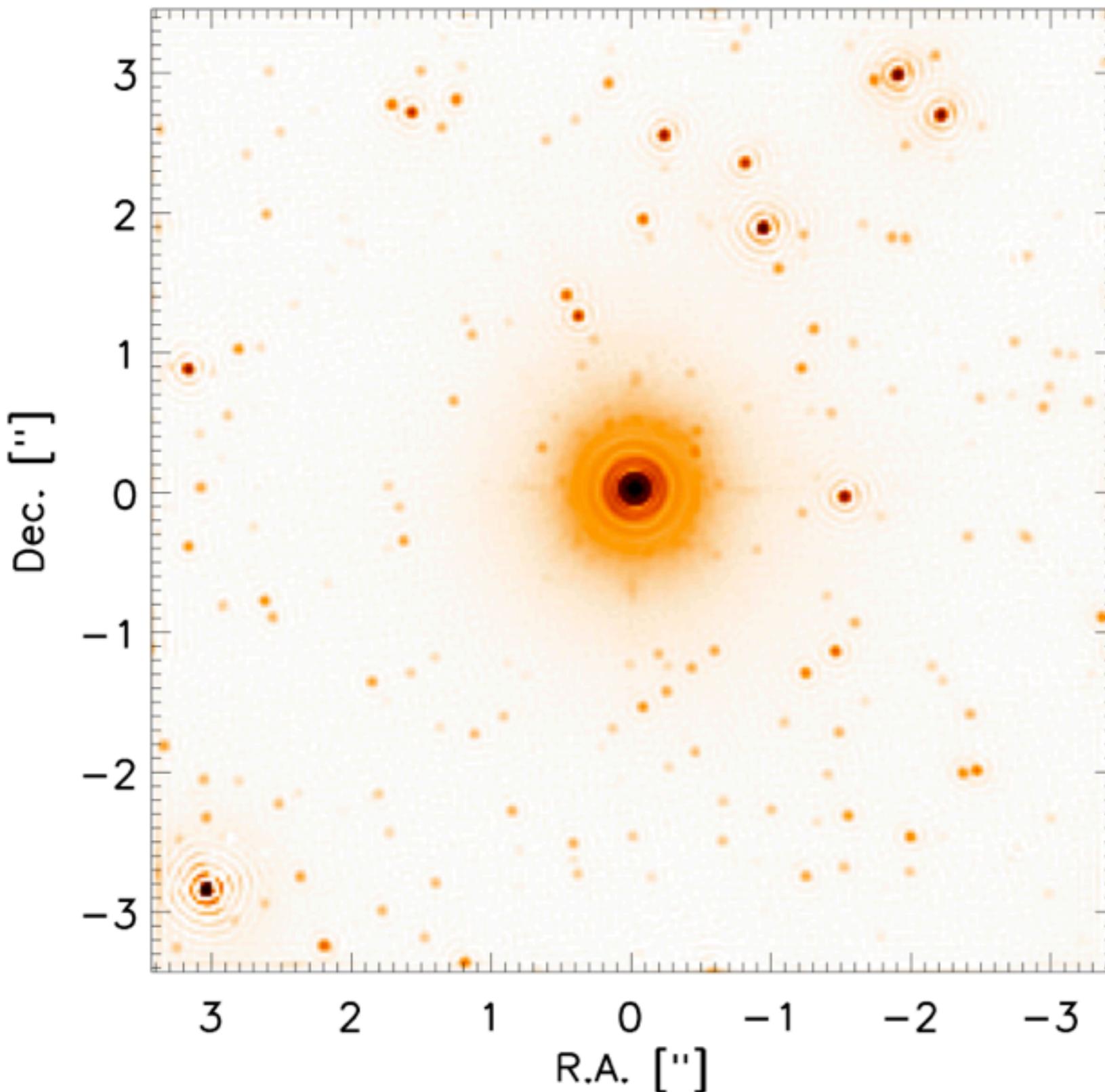
AO correction

unstable, PSF halo

highly variable

SSA combination
of AO frames

Holography + AO



47 Tuc

NaCO/VLT

Ks

$1920 \times 3\text{s} = 5760\text{s}$

$\tau_0 = 1-2\text{ ms}$

AO correction

unstable, PSF halo

highly variable

“holographic” combination
of AO frames

Going wide-field: sub-sampled holography

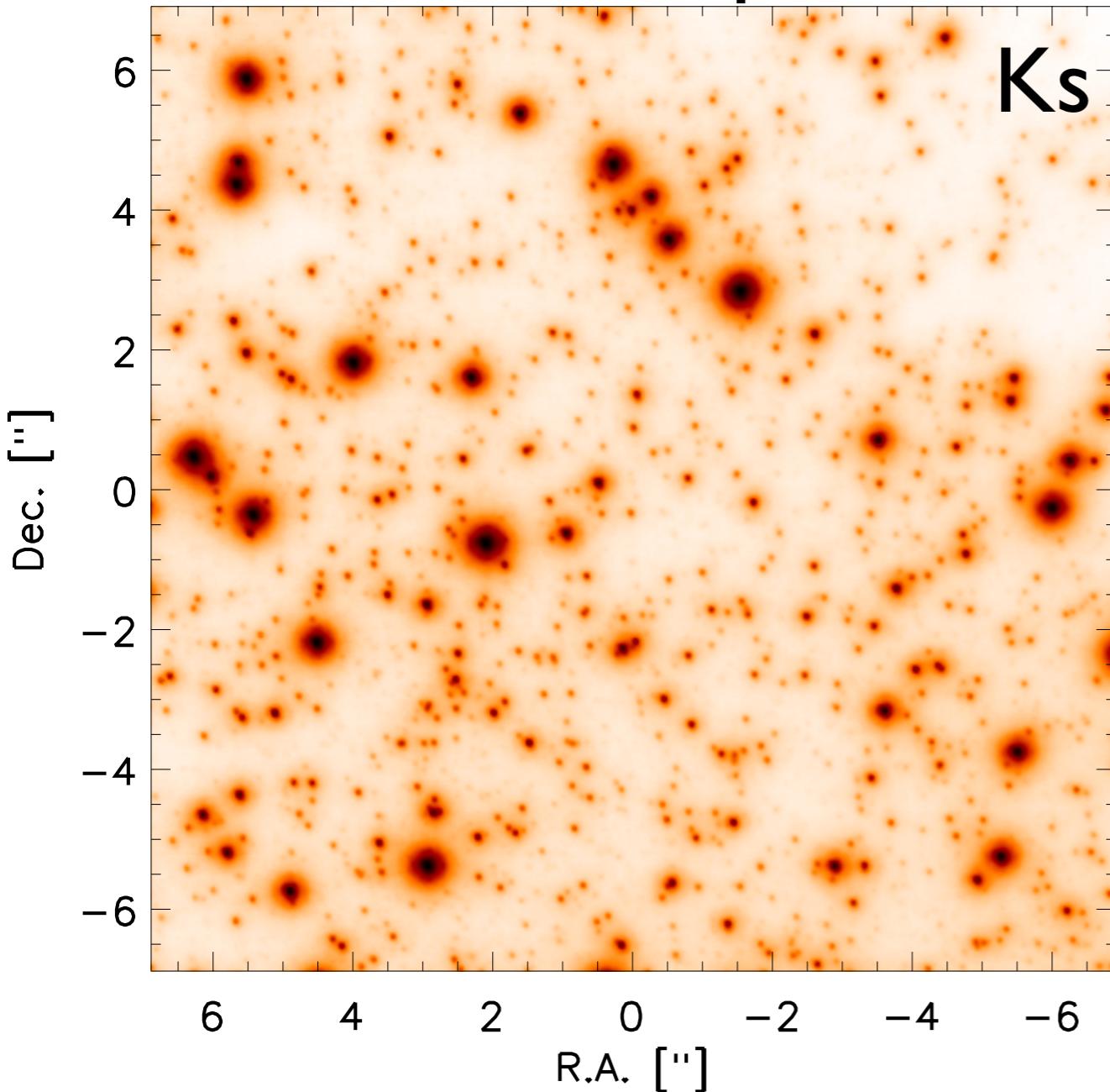
Idea:

If holography also works when the diffraction limit is *sub-sampled*, then we can trade off *lower angular resolution* for a *larger FOV* and *increased sensitivity*.

Going wide-field: sub-sampled holography

Going wide-field: sub-sampled holography

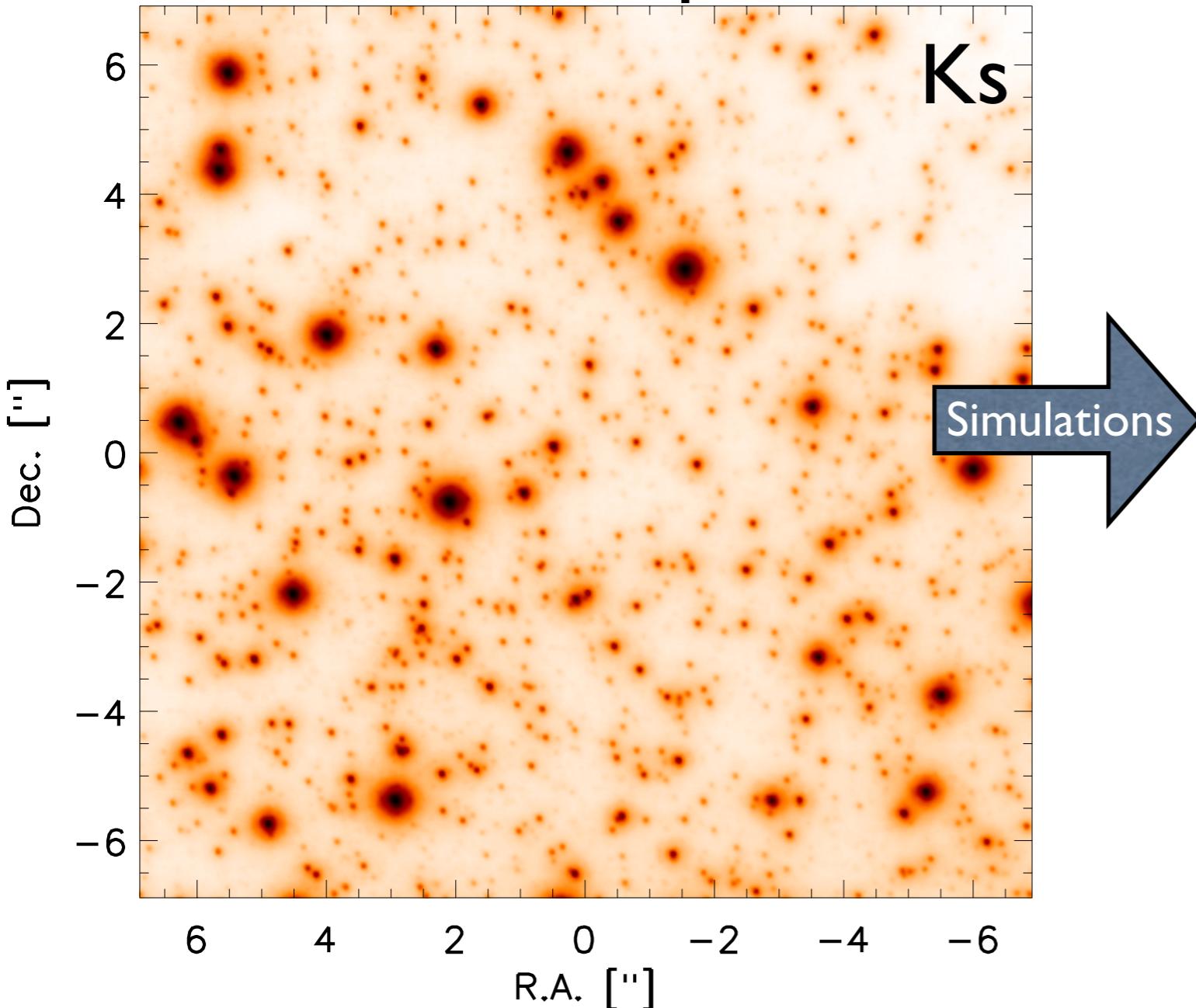
NACO, 0.027"/pixel scale



Field 20"NE of SgrA*
(Schödel et al. 2009)

Going wide-field: sub-sampled holography

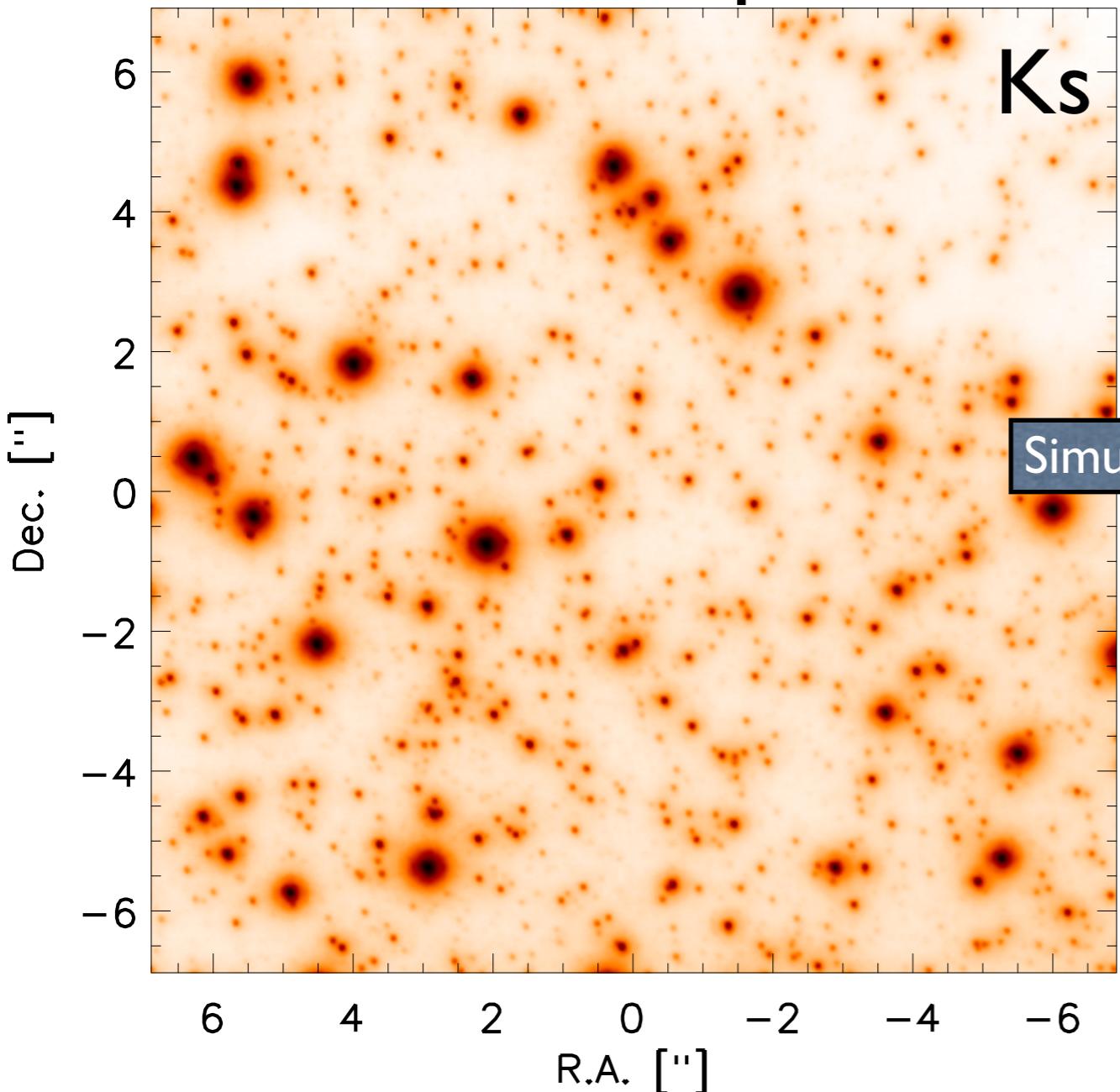
NACO, 0.027"/pixel scale



Field 20''NE of SgrA*
(Schödel et al. 2009)

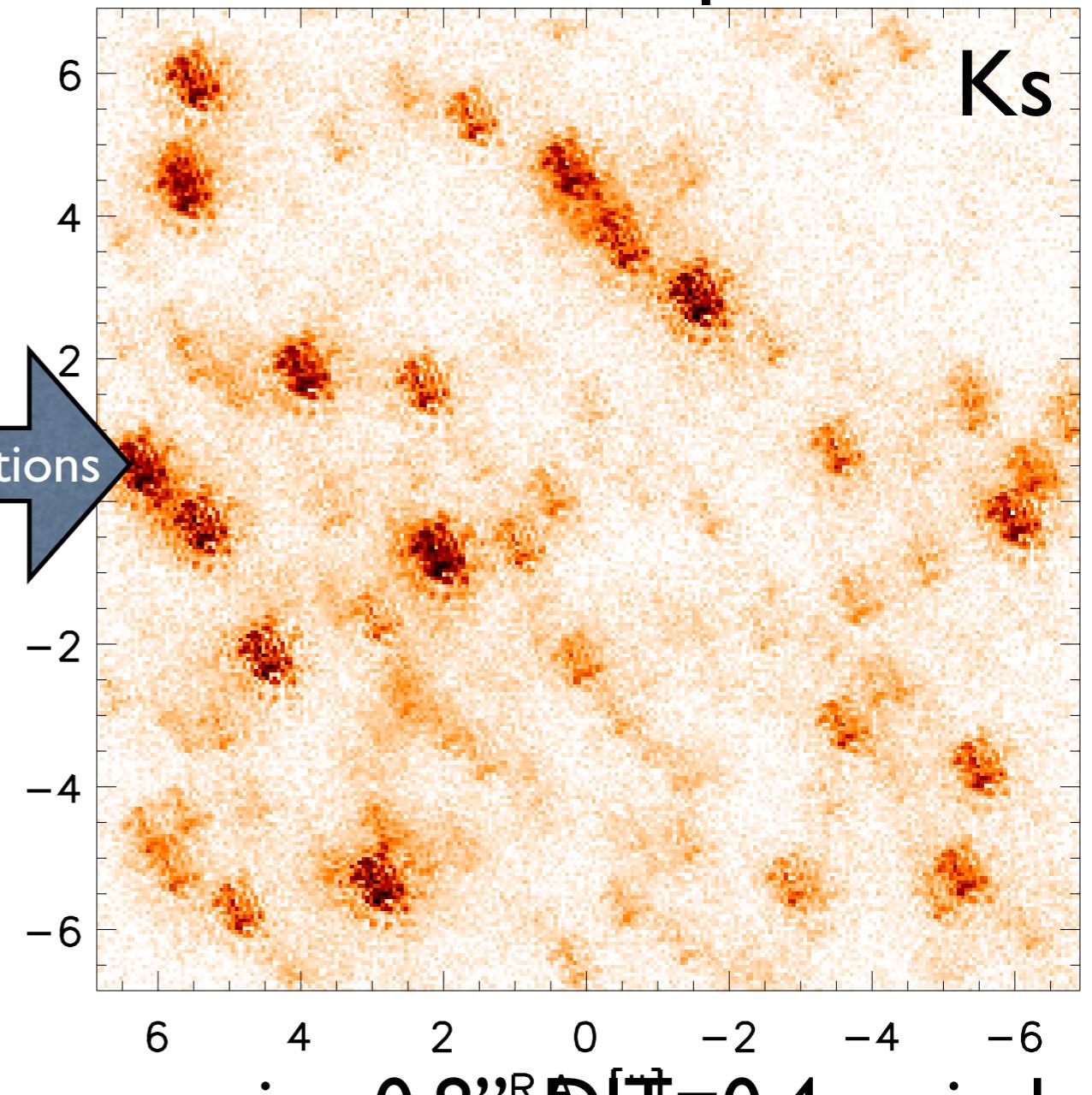
Going wide-field: sub-sampled holography

NACO, 0.027''/pixel scale



Field 20''NE of SgrA*
(Schödel et al. 2009)

NACO, 0.054''/pixel scale

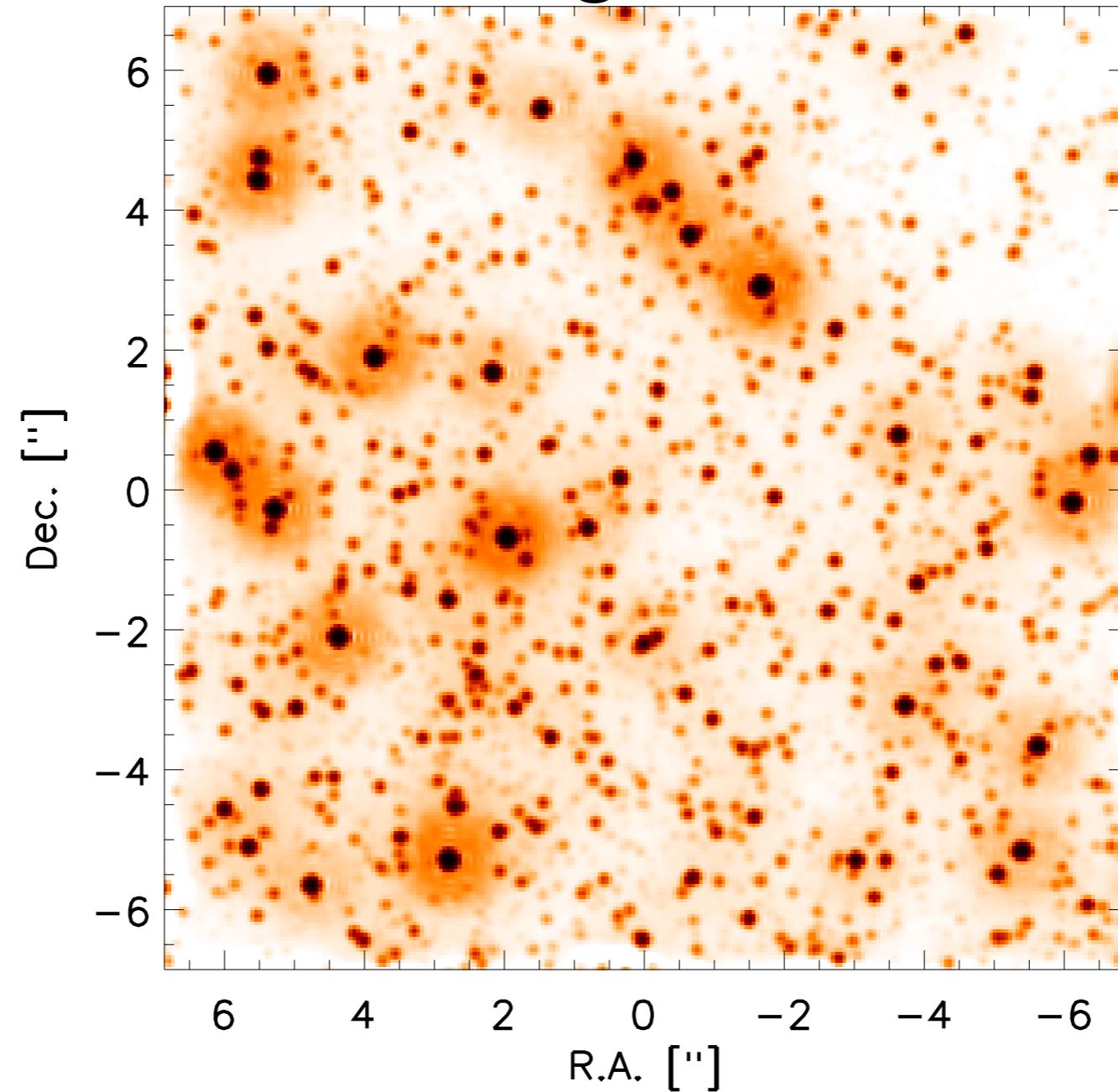


seeing 0.8'', $DIT=0.4\text{s}$, wind
speed = 10 m/s, 10,000 frames
speckle code: Rengaswamy et al. 2010)

Going wide-field: sub-sampled holography

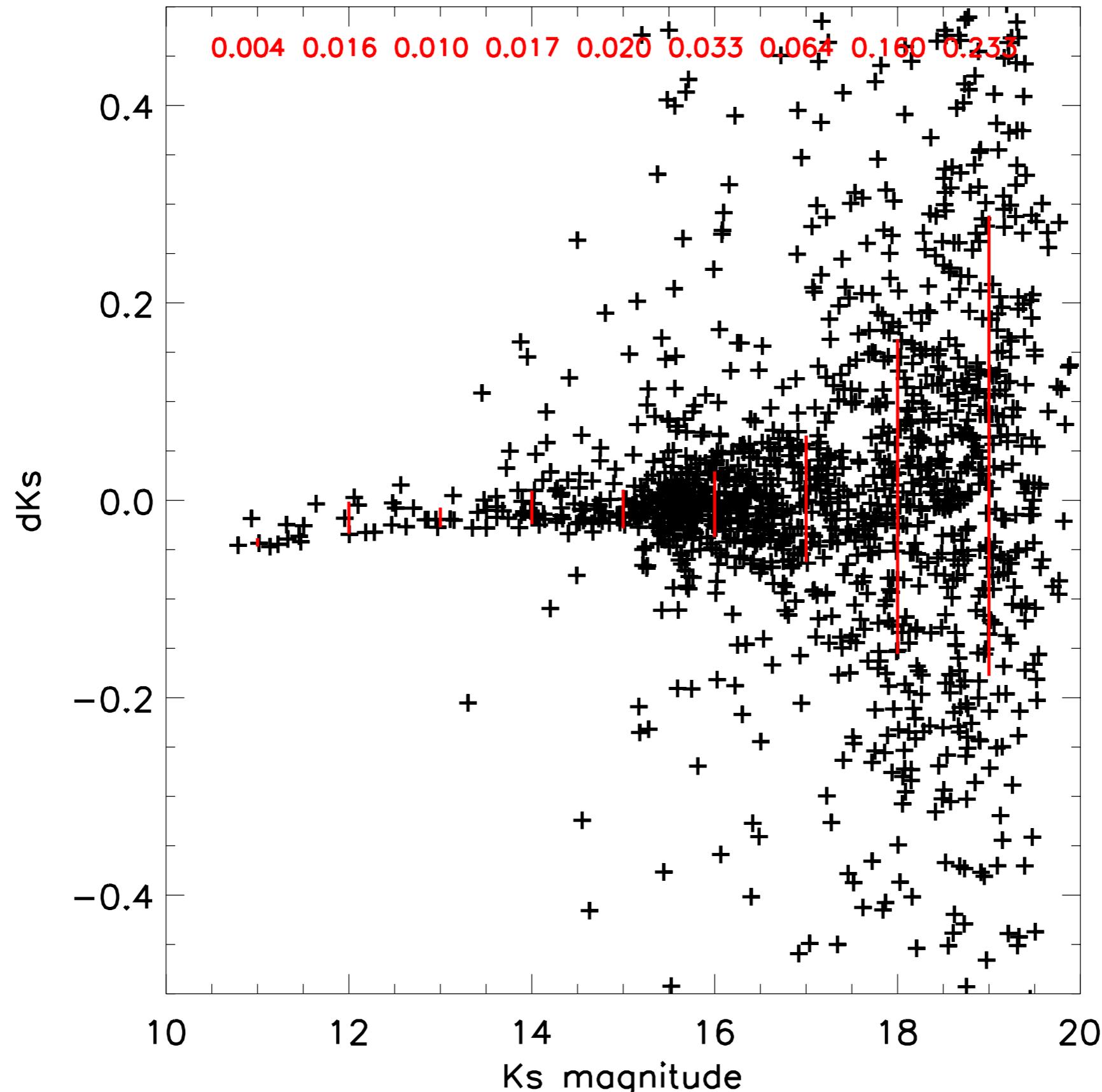
Going wide-field: sub-sampled holography

Reconstructed image, $\sim 0.13''$ FWHM



Going wide-field: sub-sampled holography

Going wide-field: sub-sampled holography



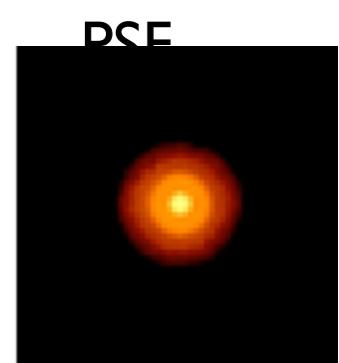
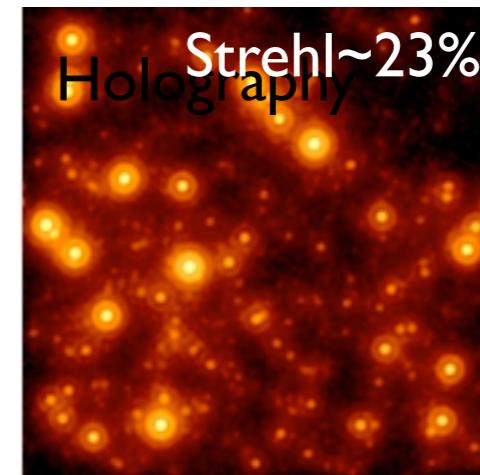
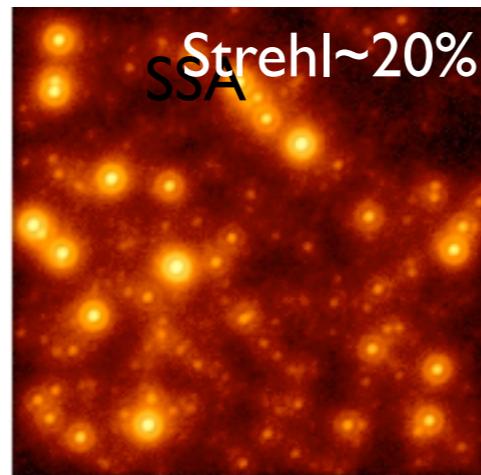
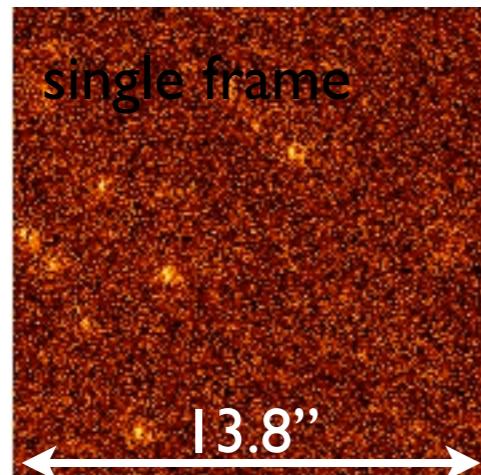
Holography with NOTCAM

80''×80''FOV with **0.078''sampling**, diffraction limit **Ks~0.20''**

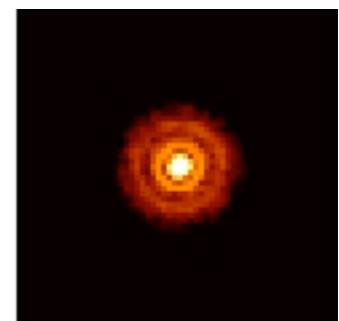
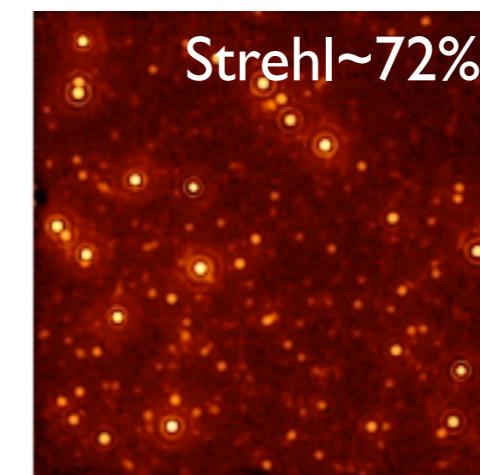
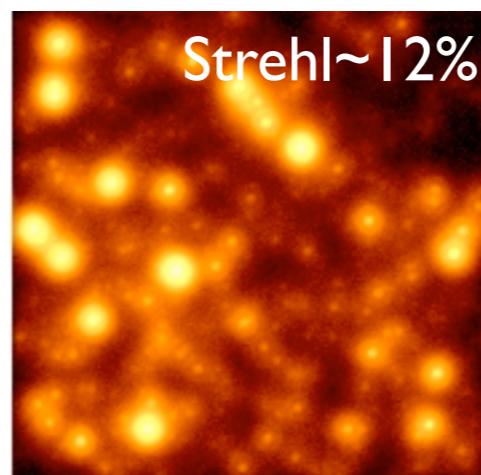
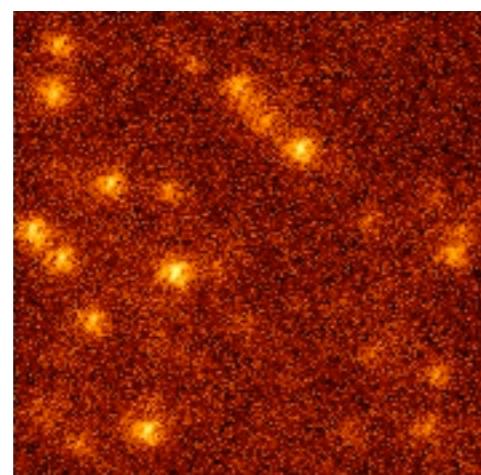
Simulation: 0.8'' seeing, windspeed 10m/s, airmass 1.2

Gain, Readout noise as in NaCo's HAWAII - detector

DIT = 0.1s
5000 frames

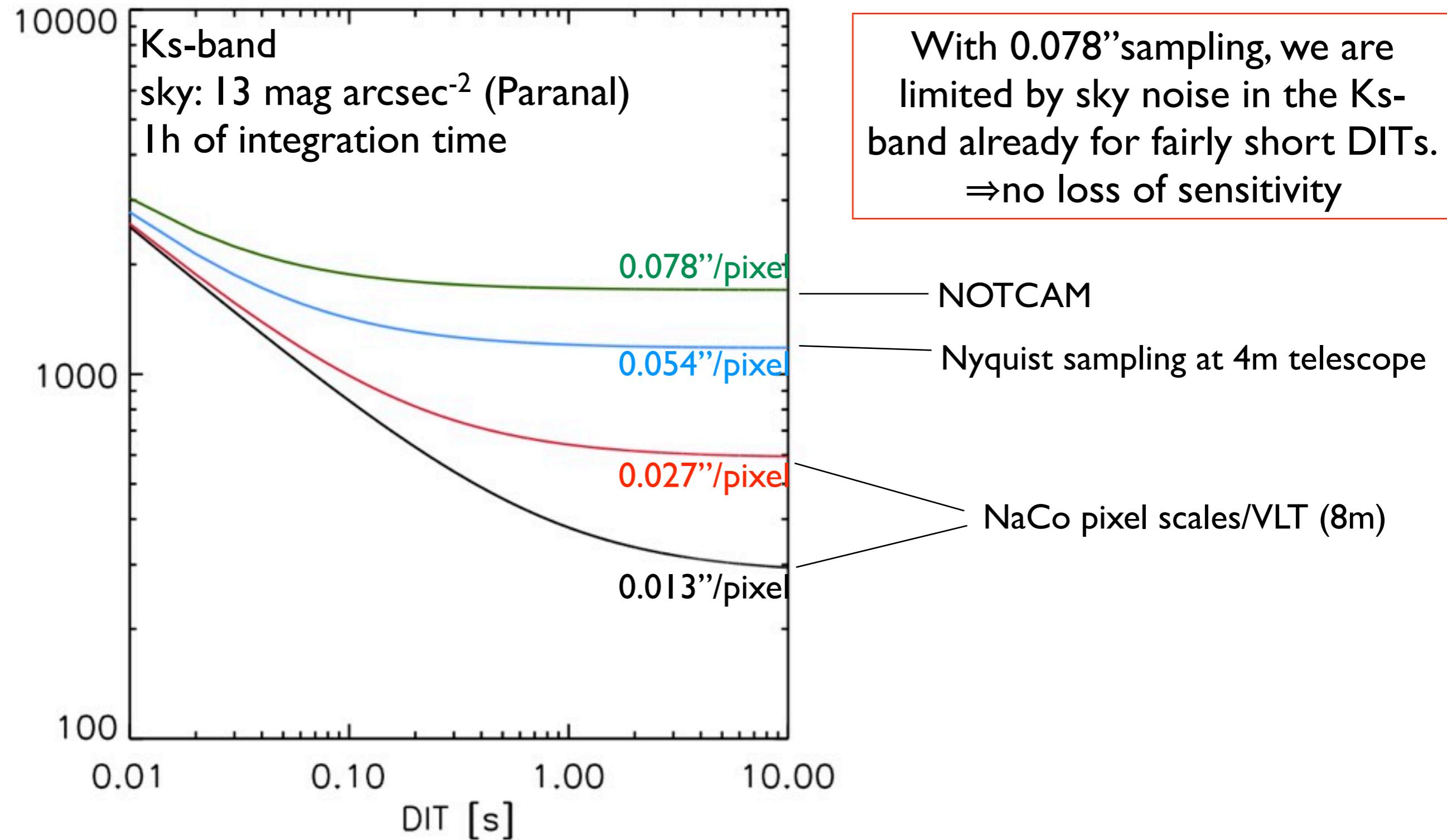


DIT = 0.5s
1000 frames



Astrometric precision ≤ 0.001 pixel (~ 0.1 mas) for $K_s \leq 16$ in 1 h
⇒ proper motions ≥ 1 mas/yr can be detected in 1 yr

Holography with NOTCAM



Conclusions

The case for a wide angle speckle system - WASPS

Science cases:

High accuracy photometric and astrometric studies of distant (1-10kpc) SFRs, globular clusters, Galactic center, Galactic bulge, multiplicity and orbits of OBstars

Proper motion studies in embedded regions can complement Gaia results.

A speckle camera can provide any telescope within short times and with relatively small investment with MCAO-like capabilities, similar to Gemini's GeMS.

e.g., speckle camera@WHT/CAHA:

2k x 2k detector with Nyquist sampling at K can provide 120''x120'' FOV.

What to take away...

Holography...

- can be **equivalent to or even superior to AO** and is **(almost always) superior to simple lucky imaging**
- can make **optical diffraction limited imaging** possible at **10m-telescopes**
- is **economic, powerful, and easy** (plug&play)
- is particularly **attractive for small telescopes**
- **works with existing instruments** (INGRID, NOTCAM, ASTRA-LUX, FASTCAM), **very little or no investment needed** (RO electronics)
- **Fast readout mode** should be made available at all imaging instruments

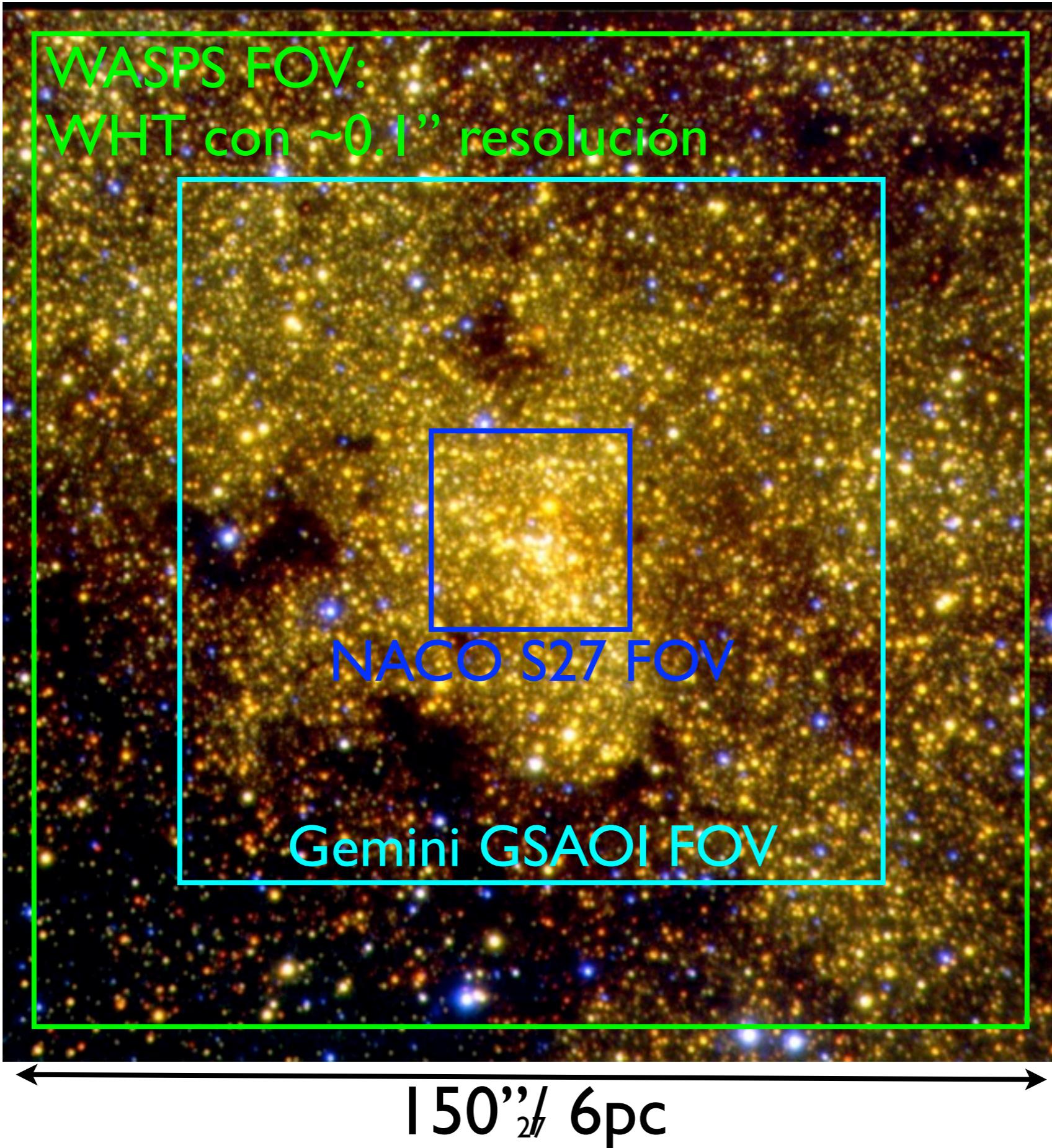
...and in the future

The ground-based space telescope with “zero noise”
NIR detectors...
astronomers’ dream may actually become true.

Finger et al. (2010): *Development of high speed low noise NIR HgCdTe Avalanche Photo-diode Arrays for Adaptive Optics and Interferometry* (ESO/Selex-Galileo Infrared Ltd)

Figer et al. (2011): *A photon-counting detector for exoplanet missions*

Thank you!



WASPS: conceptos

dewar + óptica (optimizada para astrometría) + detector
(Sistema de refrigeración opcional)

a) Infrarrojo cercano (sólo J,H,K)

diseño sencillo; desarrollo rápido; costes de material dominados por costes de detector
(e.g. Teledyne H2RG: ~350k€)

b) 2 canales: IR/óptico o J-K/L-M

gran utilidad, pero más complejo y caro

Telescopios:
GTC/VLT o NTT/WHT/CAHA

Campo (banda K) con detector 2k x 2k y muestreo del límite de difracción:
~60''x60'' en VLT/GTC
~120''x120'' en NTT/WHT

con sub-muestreo:
120''x120'' en VLT/GTC
240''x240'' en NTT/WHT



SHARP@ESO NTT: NICMOS
2 256, FOV: 13''x13''

Lucky imaging

SSA image reconstruction combined with *strong frame selection* (only 1%-10% of frames used).

Special lucky imaging approach, e.g. AstraLux: push into optical domain with electron multiplying high-speed CCDs; off-the-shelf components (low costs!; see, e.g., Hormuth et al. 2008)

⇒ HST resolution in i/z-bands on ground-based 2-4m telescopes

Lucky imaging

Core of M15 with AstraLux, Calar Alto 2.2m (Hormuth et al. 2008)

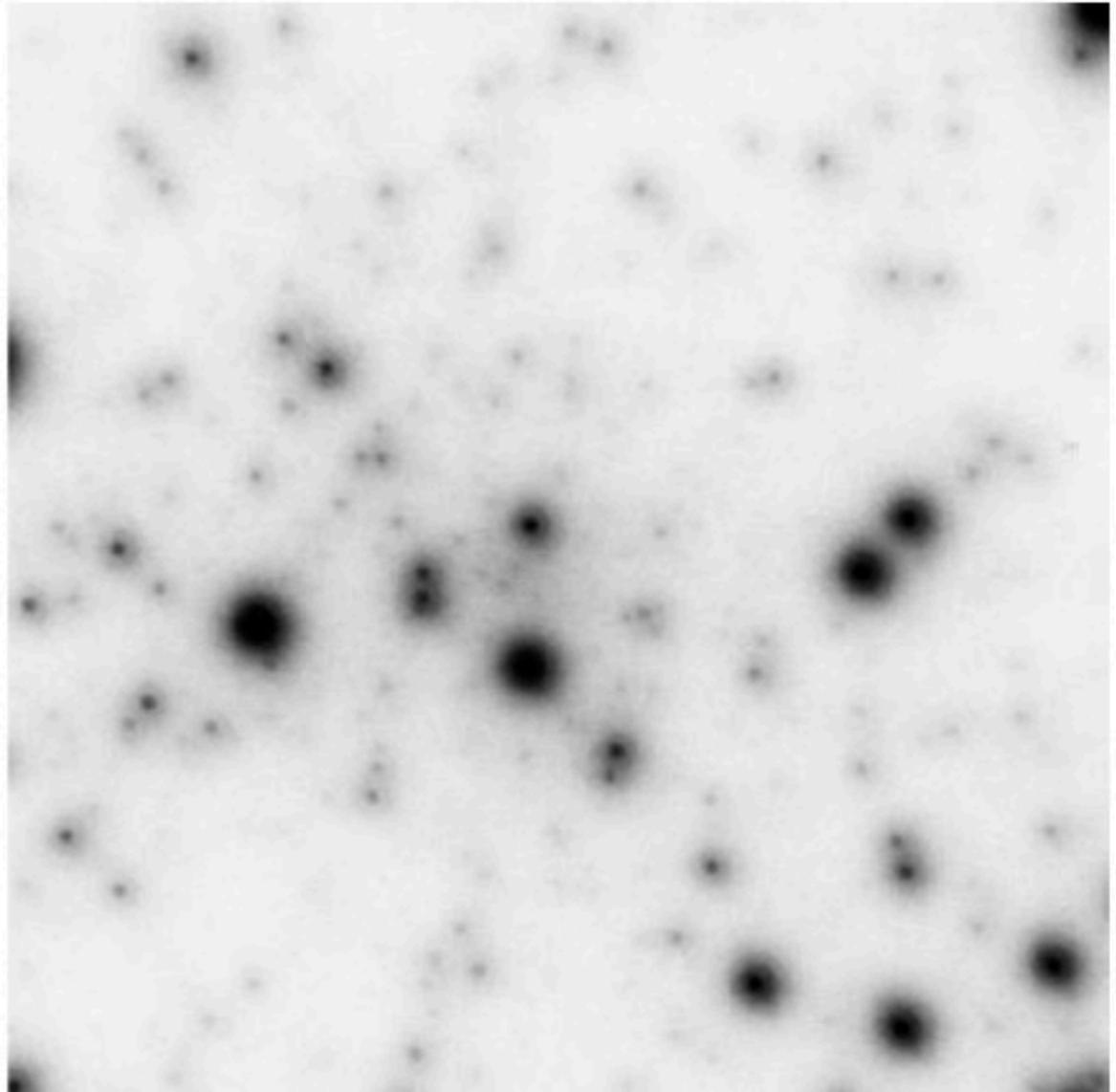
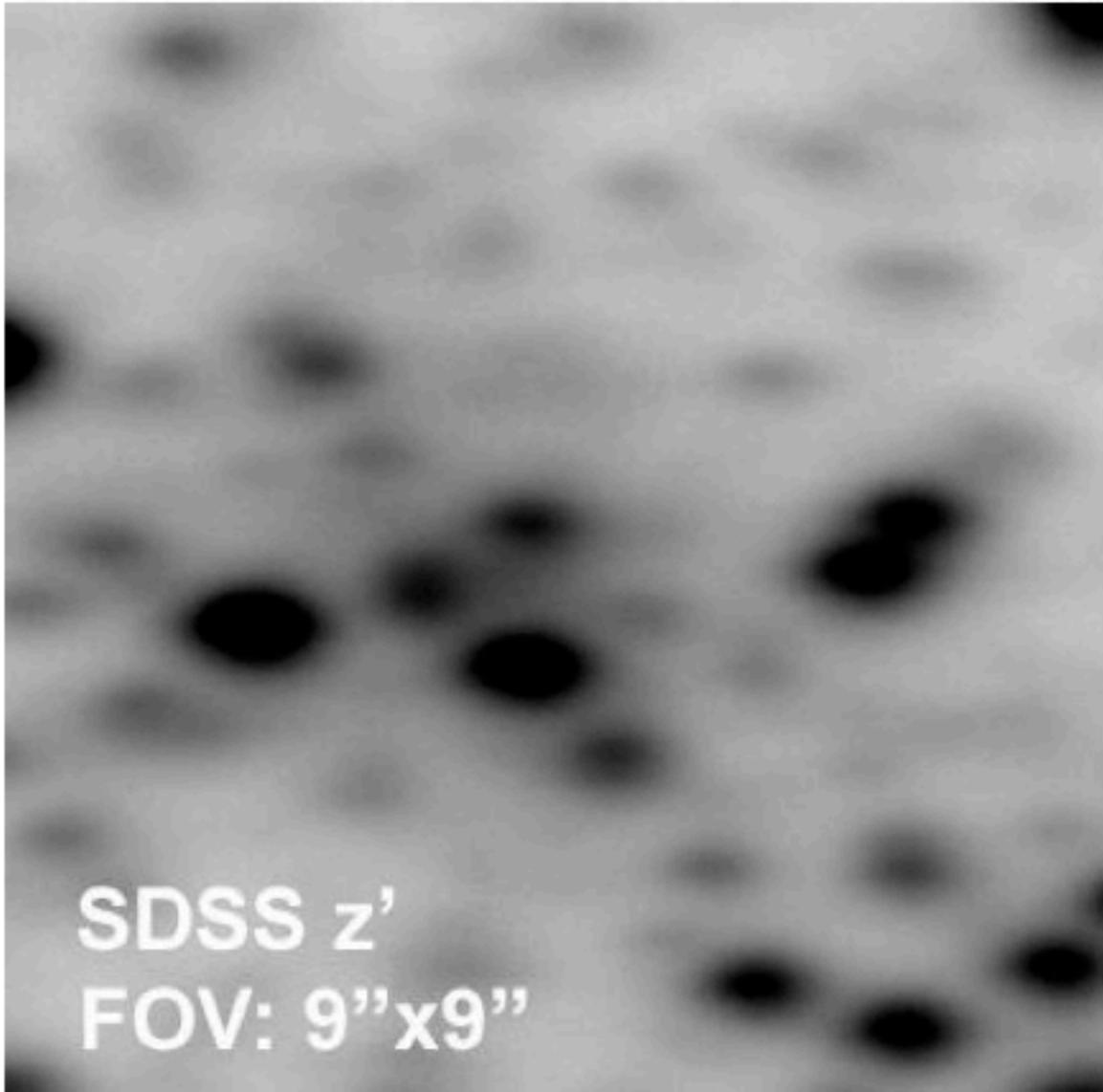


Figure 3. Comparison between seeing limited imaging and the “Lucky” version: The combination of the best 5% of 10000 single frames provided a Strehl ratio of 20% in this observation of the core of the globular cluster M15. Though the conventional result contains 20 times more photons, it is clearly inferior in terms of point source detection limits.